

Elementary particles, dark matter candidate and new extended standard model

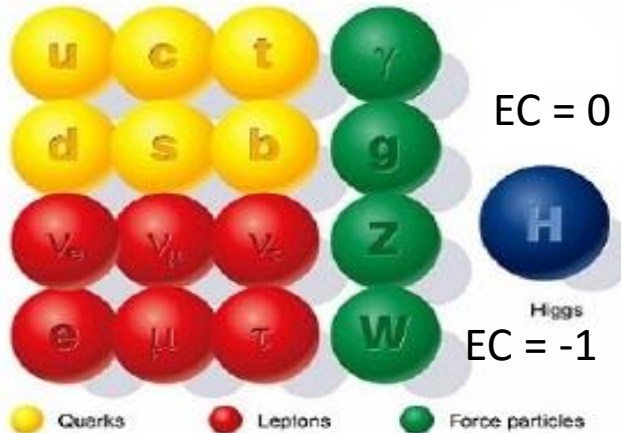
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**New trends in high-energy physics**  
**2 - 8 October 2016,**  
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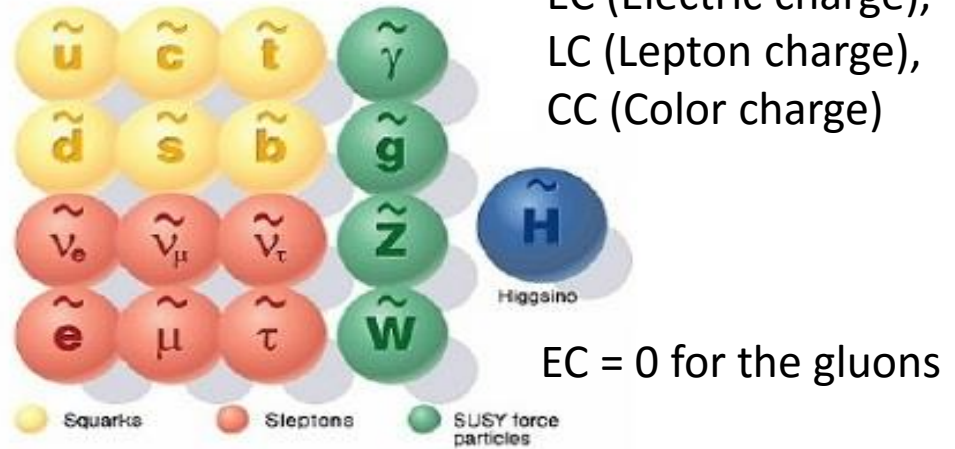
# New physics search beyond the Standard Model

## SUPERSYMMETRY

$\Delta EC = 0, -1$



**Standard particles**



**SUSY particles**

Techniquarks, Axion,  
Leptoquarks, WIMP,

$Z'$  boson ( $EC=0$ )  $\longrightarrow e + e^+$

$W'$  boson ( $EC=-1$ )  $\longrightarrow b + \bar{t}$

Heavy quarks ( $EC$ ):  $T(2/3)$ ,  $B(-1/3)$ ,  $X(5/3)$ ,  $Y(-4/3)$

Sterile neutrino, Neutralinos, X- and Y- Bosons, Preons

**Earlier Extended  
standard models**

# Standard model (SM)

Leptons				Quarks			
EC				EC			
0	$\nu_e$	$\nu_\mu$	$\nu_\tau$	2/3	u	c	t
-1	e	$\mu$	$\tau$	-1/3	d	s	b
-2	?	?	?	-4/3	?	?	?
LC				LC			
n1	$\nu_e$	e	?	N1	u	d	?
n2	$\nu_\mu$	$\mu$	?	N2	c	s	?
n3	$\nu_\tau$	$\tau$	?	N3	t	b	?
				CC			
				r			
				g			
				b			

2 flavors  
 ← 3rd flavor is missing.  
 3 flavors (3 generations)  
 3 flavors

SM: 6 leptons, 18 quarks  
 ESM: 9 leptons, 27 quarks

EC (Electric charge), LC (Lepton charge), CC (Color charge)

$e(\text{EC,LC}) = e(-1, n1)$ .  $s(\text{EC,LC,CC}) = s(-1/3, N2, b) = s(-1/3, N2) \text{CC}(b) = s(b)$

Force carrying bosons: EC = 0(Z, gluons), -1(W<sup>-</sup>) for weak force and strong force

# Extended Standard model (ESM)

Missing particles (EC)				Leptons(EC,LC)				Quarks(EC,LC,CC)			
EC				EC				EC			
d1	?			0	$\nu_e$	$\nu_\mu$	$\nu_\tau$	2/3	u	c	t
d2	?			-1	e	$\mu$	$\tau$	-1/3	d	s	b
d3	?			-2	Le	L $\mu$	L $\tau$	-4/3	Q1	Q2	Q3
				LC				LC			
				n1	$\nu_e$	e	Le	N1	u	d	Q1
				n2	$\nu_\mu$	$\mu$	L $\mu$	N2	c	s	Q2
				n3	$\nu_\tau$	$\tau$	L $\tau$	N3	t	b	Q3
								CC			
								r			
								g			
								b			
SM: 6 leptons, 18 quarks											
ESM: 3 missing particles,											
9 leptons, 27 quarks											

EC (Electric charge), LC (Lepton charge), CC (Color charge)

$$e(\text{EC,LC}) = e(-1, n1). \quad s(\text{EC,LC,CC}) = s(-1/3, N2, b) = s(-1/3, N2) \text{CC}(b) = s(b)$$

# Extended Standard model (ESM)

Dark matters

Normal matters

Normal matters  
(Hadrons)

Bastons (EC)				Leptons(EC,LC)				Quarks(EC,LC,CC)			
EC				EC				EC			
d1	B1			0	$\nu_e$	$\nu_\mu$	$\nu_\tau$	2/3	u	c	t
d2	B2			-1	e	$\mu$	$\tau$	-1/3	d	s	b
d3	B3			-2	Le	L $\mu$	L $\tau$	-4/3	Q1	Q2	Q3
				LC				LC			
				n1	$\nu_e$	e	Le	N1	u	d	Q1
				n2	$\nu_\mu$	$\mu$	L $\mu$	N2	c	s	Q2
				n3	$\nu_\tau$	$\tau$	L $\tau$	N3	t	b	Q3
								CC			
								r			
								g			
								b			
SM: 6 leptons, 18 quarks											
ESM: 3 bastons (dark matters),											
9 leptons, 27 quarks											

$$B1(EC) = B1(d1)$$

$$e(EC,LC) = e(-1,n1)$$

$$s(EC,LC,CC) = s(-1/3,N2,b)$$

The **charge quantizations** are missing here except the ECs of leptons and quarks.

	Bastons (EC)				Leptons(EC,LC)				Quarks(EC,LC,CC)			
	EC				EC				EC			
	d1	B1			0	$\nu_e$	$\nu_\mu$	$\nu_\tau$	2/3	u	c	t
	d2	B2			-1	e	$\mu$	$\tau$	-1/3	d	s	b
	d3	B3			-2	Le	L $\mu$	L $\tau$	-4/3	Q1	Q2	Q3
Total	-5				-3				-1			
					LC				LC			
					n1	$\nu_e$	e	Le	N1	u	d	Q1
					n2	$\nu_\mu$	$\mu$	L $\mu$	N2	c	s	Q2
					n3	$\nu_\tau$	$\tau$	L $\tau$	N3	t	b	Q3
Total					-5				-3			
									CC			
									r			
									g			
									b			
Total									-5			

Quark(EC,LC)CC = Quark (EC,LC,CC).  $s(-1/3,N2)CC(g) = s(-1/3,N2,g) = s(g)$

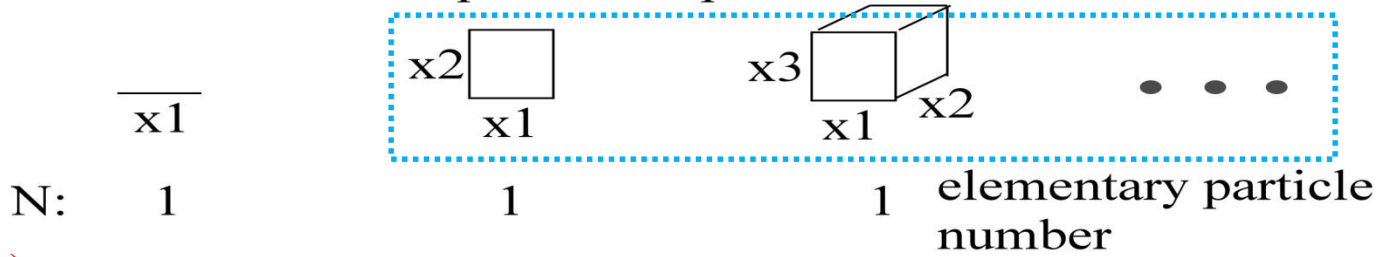
# Complete table of the elementary fermions in Extended Standard Model (ESM)

	Bastons (EC)				Leptons(EC,LC)				Quarks(EC,LC,CC)						
	EC				EC				EC						
X1	-2/3	B1			0	$\nu_e$	$\nu_\mu$	$\nu_\tau$	2/3	u	c	t			
X2	-5/3	B2			-1	e	$\mu$	$\tau$	-1/3	d	s	b			
X3	-8/3	B3			-2	Le	L $\mu$	L $\tau$	-4/3	Q1	Q2	Q3			
Total	-5				-3				-1						
					LC				LC						
X4					-2/3	$\nu_e$	e	Le	0	u	d	Q1			
X5					-5/3	$\nu_\mu$	$\mu$	L $\mu$	-1	c	s	Q2			
X6					-8/3	$\nu_\tau$	$\tau$	L $\tau$	-2	t	b	Q3			
Total					-5				-3						
	<p>Each flavor (charge) corresponds to each dimensional axis.</p> <p>Force carrying bosons: EC, LC, CC = 0, -1, -2</p> <p>EC, LC, CC Conservations in reactions and decays of particles</p>								CC						
X7												-2/3(r)			
X8													-5/3(g)		
X9													-8/3(b)		
Total													-5		

$x_1, x_2, x_3, x_4, x_5, x_6, x_7, \dots$

1 - dimensional quantized spaces

EC:  $x_1$   
 LC:  $x_2$   
 CC:  $x_3$

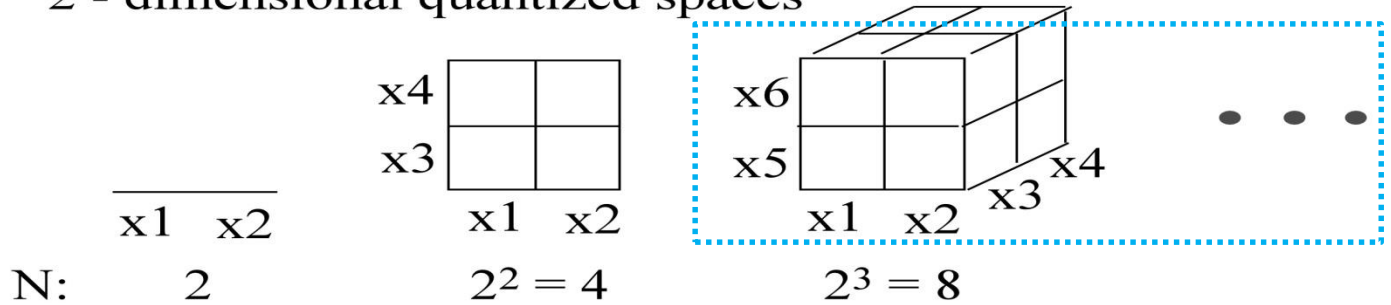


Each flavor (charge) corresponds to each dimensional axis.

$(x_1x_2), (x_3x_4), (x_5x_6), (x_7x_8), \dots$

2 - dimensional quantized spaces

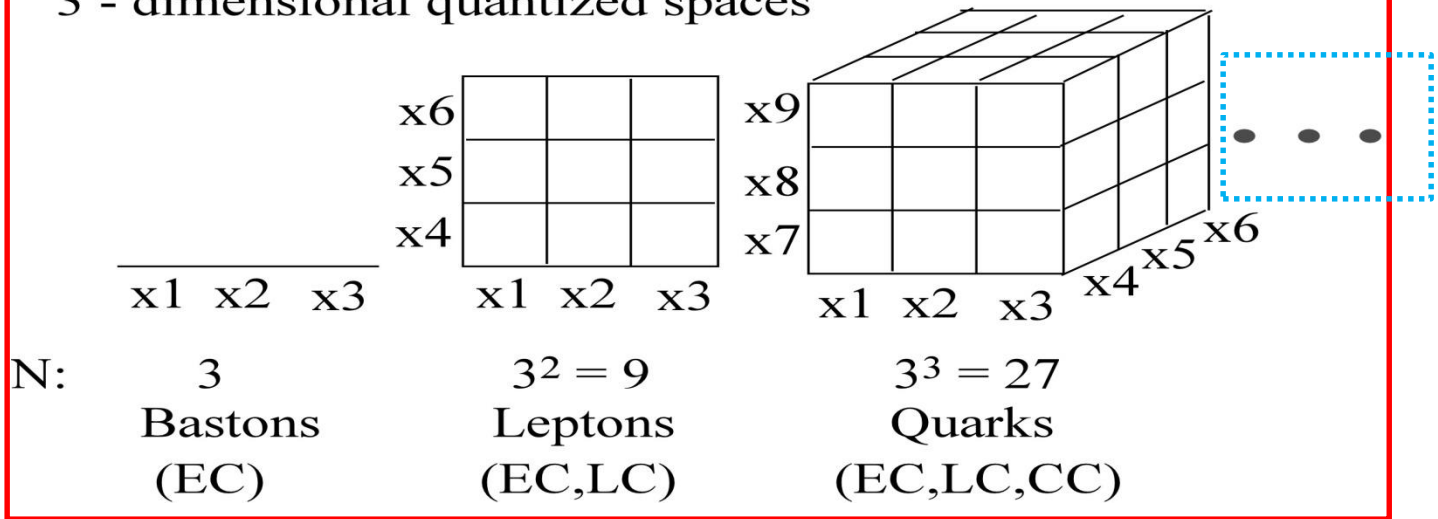
EC:  $x_1x_2$   
 LC:  $x_3x_4$   
 CC:  $x_5x_6$



$(x_1x_2x_3), (x_4x_5x_6), (x_7x_8x_9), (x_{10},x_{11},x_{12}), \dots$

3 - dimensional quantized spaces

EC:  $x_1x_2x_3$   
 LC:  $x_4x_5x_6$   
 CC:  $x_7x_8x_9$



 : Excluded



$(x_1x_2x_3x_4), (x_5x_6x_7x_8), (x_9x_{10}x_{11}x_{12}), \dots$

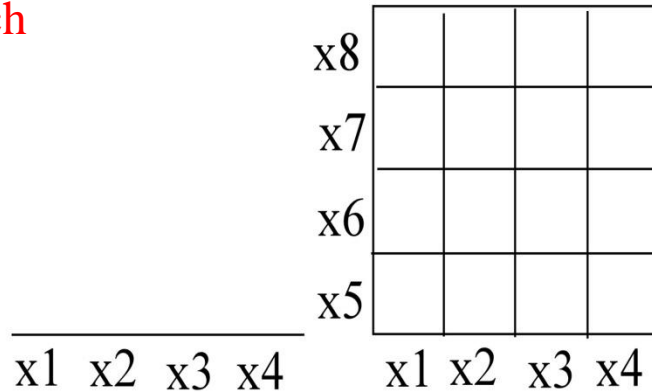
4 - dimensional quantized spaces

Each flavor (charge) corresponds to each dimensional axis.

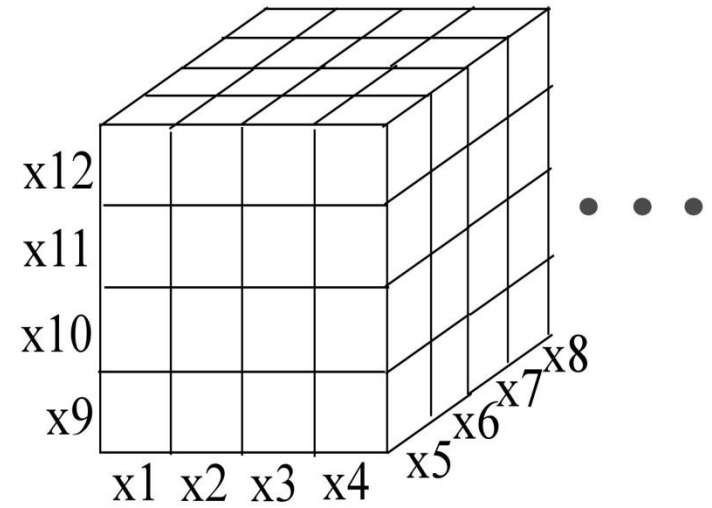
EC:  $x_1x_2x_3x_4$

LC:  $x_5x_6x_7x_8$

CC:  $x_9x_{10}x_{11}x_{12}$



N:            4                             $4^2 = 16$



$4^3 = 64$

$(x_1, x_2, x_3, x_4, x_5, x_6, x_7, \dots), \dots$

n - dimensional quantized spaces

N:        n	n <sup>2</sup>	n <sup>3</sup> elementary particle number
(EC)	(EC,LC)	(EC,LC,CC)

Unquantized space is the infinite n - dimensional quantized space with the infinite number of the EC elementary particles.

Only the 3 - dimensional quantized spaces can explain the baston, lepton and quark table.

**Space dimensions should be cut-off by the negative charge condition of the matters.**

Table 1. n-dimensional quantized spaces and their quantized charges assigned systematically to the matters (see Table 3). These have the space dimensions of  $N=n(n+1)$ . Antimatters have the charges of  $-Q(-Q_1, \dots, -Q_n)$  opposite to the charges of matters.  $N_{ep}$  is the number of the elementary fermion particles.  $Q_i - Q_{i-1} = -1$ .

$(n, N)$	$Q(Q_1, \dots, Q_n)$	$N_{ep}$
$(1, 2)$	$-1(-1)$	$1$
$(2, 6)$	$-2(-1/2, -3/2)$ $-4(-3/2, -5/2)$	$6$
$(3, 12)$ ( <i>our universe</i> )	$-1(2/3, -1/3, -4/3)$ $-3(0, -1, -2)$ $-5(-2/3, -5/3, -8/3)$	$39$
$(4, 20)$	$-2(1, 0, -1, -2)$ $-4(1/2, -1/2, -3/2, -5/2)$ $-6(0, -1, -2, -3)$ $-8(-1/2, -3/2, -5/2, -7/2)$	$340$
$(n, n(n+1))$	.....	$\sum_{i=1}^n n^i$

# Complete table of the elementary fermions in Extended Standard Model (ESM)

	Bastons (EC)				Leptons(EC,LC)				Quarks(EC,LC,CC)			
	EC				EC				EC			
X1	-2/3	B1			0	$\nu_e$	$\nu_\mu$	$\nu_\tau$	2/3	u	c	t
X2	-5/3	B2			-1	e	$\mu$	$\tau$	-1/3	d	s	b
X3	-8/3	B3			-2	Le	L $\mu$	L $\tau$	-4/3	Q1	Q2	Q3
Total	-5				-3				-1			
					LC				LC			
X4					-2/3	$\nu_e$	e	Le	0	u	d	Q1
X5					-5/3	$\nu_\mu$	$\mu$	L $\mu$	-1	c	s	Q2
X6					-8/3	$\nu_\tau$	$\tau$	L $\tau$	-2	t	b	Q3
Total					-5				-3			
	Each flavor (charge) corresponds to each dimensional axis.								CC			
X7									-2/3(r)			
X8									-5/3(g)			
X9									-8/3(b)			
Total									-5			

In SM, the 3 generations have the unsolved origin.  
 In ESM, the 3 generations (flavors) are originated from the 3 dimensional quantized space

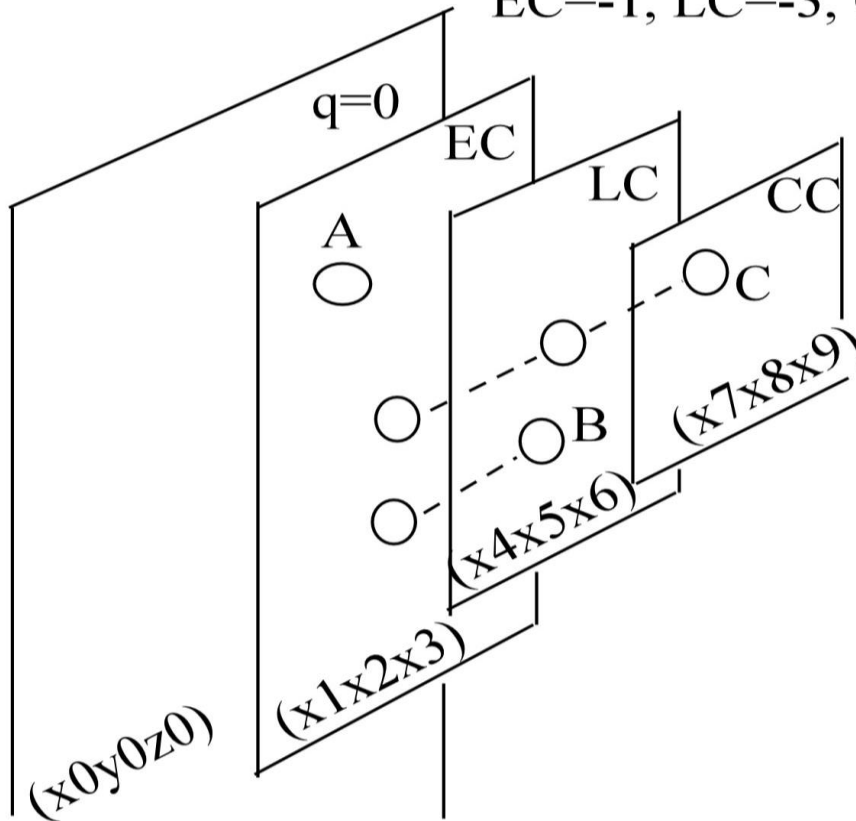
# Three-dimensional quantized space model (New extended standard model)

Matters ( $q < 0$ ) with  $E > 0$ :

A:  $x_1x_2x_3$  minimum warped quantum:  $EC = -5$  (3 bastons)

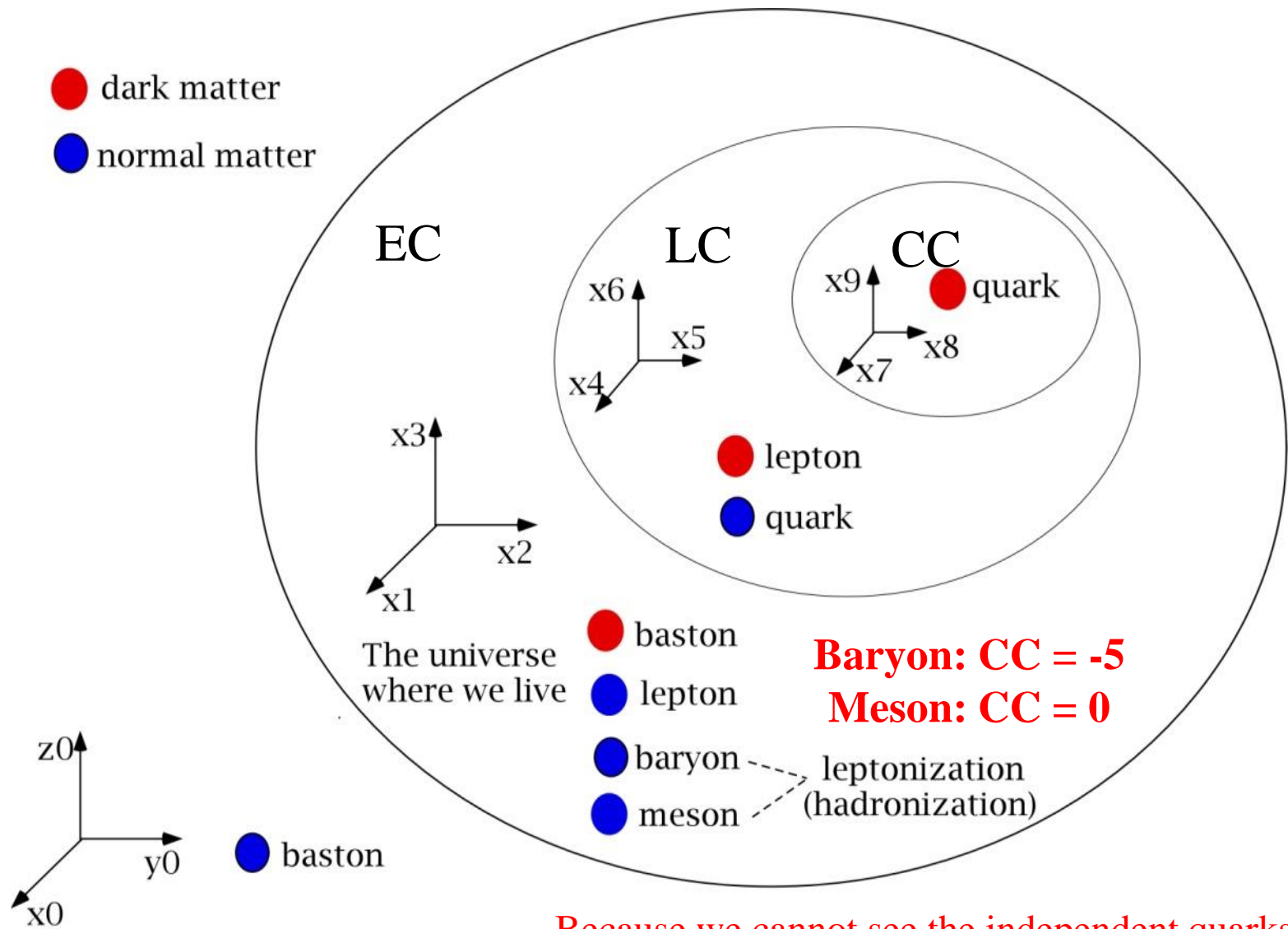
B:  $x_1x_2x_3-x_4x_5x_6$  minimum warped quantum:  $EC=-3, LC=-5$   
( $3 \times 3 = 9$  leptons)

C:  $x_1x_2x_3-x_4x_5x_6-x_7x_8x_9$  minimum warped quantum:  
 $EC=-1, LC=-3, CC=-5$  ( $3 \times 3 \times 3 = 27$  quarks)



A(-5)  
B(-3,-5)  
C(-1,-3,-5)

# Three-dimensional quantized space model (New extended standard model)



Because we cannot see the independent quarks, we are in the  $x_1x_2x_3$  space (universe).

# Force carrying bosons in Standard Model (SM)

	Dark matter force				Weak force (EC,LC)				Strong force (EC,LC,CC)			
	EC				EC				EC			
X1	0	?			0	Z			0	gluons	?	?
X2	-1	?			-1	W <sup>-</sup>			-1	?	?	?
X3	-2	?			-2	?	?	?	-2	?	?	?
Total	-3				-3				-3			
					LC				LC			
X4					0	Z      W <sup>-</sup>		?	0	gluons	?	?
X5					-1			?	-1	?	?	?
X6					-2			?	-2	?	?	?
Total					-3				-3			
									CC			
X7									0	?	?	?
X8									-1	?	?	?
X9									-2	?	?	?
Total									-3			

Force carrying bosons: EC, LC, CC = 0, -1, -2

$-3 = 0 -1 -2$

SM: 2 Z/W<sup>-</sup> bosons, 8 gluons (color octet)

ESM: 3 dark matter force bosons,

9 weak force bosons, 27 strong force bosons

# Complete table of the force carrying bosons in Extended Standard Model (ESM)

	Dark matter force				Weak force (EC,LC)				Strong force (EC,LC,CC)			
	EC				EC				EC			
X1	0	Z(0)			0	Z(0,0)	Z(0,-1)	Z(0,-2)	0	Z(0,0)	Z(0,-1)	Z(0,-2)
X2	-1	W(-1)			-1	W(-1,0)	W(-1,-1)	W(-1,-2)	-1	W(-1,0)	W(-1,-1)	W(-1,-2)
X3	-2	Y(-2)			-2	Y(-2,0)	Y(-2,-1)	Y(-2,-2)	-2	Y(-2,0)	Y(-2,-1)	Y(-2,-2)
Total	-3				-3				-3			
					LC				LC			
X4					0	Z(0,0)	W(-1,0)	Y(-2,0)	0	Z(0,0)	W(-1,0)	Y(-2,0)
X5					-1	Z(0,-1)	W(-1,-1)	Y(-1,-1)	-1	Z(0,-1)	W(-1,-1)	Y(-1,-1)
X6					-2	Z(0,-2)	W(-1,-2)	Y(-2,-2)	-2	Z(0,-2)	W(-1,-2)	Y(-2,-2)
Total					-3				-3			
									CC			
X7	Z, W <sup>-</sup> , gluons (SM) →								0			
X8	Z(0,LC), W(-1,LC), Z(0,0,CC) (ESM)								-1			
X9	Z/W/Y(EC,LC,0) ↔ Z/W/Y(EC,LC)								-2			
Total	Z/W/Y(EC,0) ↔ Z/W/Y(EC)								-3			

$$Z/W/Y(-1,0)CC(-2) = Z/W/Y(-1,0,-2)$$

## ESM (Extended standard model)

Table 9. Relations between W/Z(EC,LC) bosons and mesons/leptons(EC,LC).

	W and Z	Quarks(Mesons)	Leptons
W <sup>-</sup>	W(-1, -2)	$b\bar{u}(B^-)$	$\tau\bar{\nu}_e$
W <sup>-</sup>	W(-1, -1)	$s\bar{u}(K^-), b\bar{c}(B_c^-)$	$\mu\bar{\nu}_e, \tau\bar{\nu}_\mu$
W <sup>-</sup>	W(-1, 0)	$d\bar{u}(\pi^-), s\bar{c}(D_s^-), b\bar{t}$	$e\bar{\nu}_e, \mu\bar{\nu}_\mu, \tau\bar{\nu}_\tau$
Z	Z(0, -2)	$b\bar{d}(\bar{B}^0), t\bar{u}$	$\nu_\tau\bar{\nu}_e, \tau e^+$
Z	Z(0, -1)	$s\bar{d}(\bar{K}^0), c\bar{u}(D^0), b\bar{s}(\bar{B}_s^0), t\bar{c}$	$\mu e^+, \tau\mu^+, \nu_\mu\bar{\nu}_e, \nu_\tau\bar{\nu}_\mu$
Z	Z(0, 0)	$u\bar{u}(\pi^0), d\bar{d}, c\bar{c}, s\bar{s}, b\bar{b}$	$\nu_\tau\bar{\nu}_\tau, \nu_e\bar{\nu}_e, \nu_\mu\bar{\nu}_\mu,$ $ee^+, \mu\mu^+, \tau\tau^+$
W <sup>-</sup>	W(-1, 1)	$d\bar{c}(D^-), s\bar{t}$	$e\bar{\nu}_\mu, \mu\bar{\nu}_\tau$
W <sup>-</sup>	W(-1, 2)	$d\bar{t}$	$e\bar{\nu}_\tau$

Z/W/Y(EC,LC)CC = Z/W/Y(EC,LC,CC) for two quarks. For mesons CC=0.



# (1) Possible experimental searches in LHC

Le, L $\mu$ , Q1, Z(0,-1), W(-1,-1), Y(-2,0): TeV scale

SM

ESM (Extended standard model)

<b>Z</b>	Z(0,-1)	$\mu(-1,-5/3)$ $e^+(1,2/3)$	$\nu_\mu(0,-5/3)$ $\bar{\nu}_e(0,2/3)$	$\tau(-1,-8/3)$ $\bar{\mu}(1,5/3)$	
	Z(0,-1)	$L_\mu(-2,-5/3)$ $\bar{L}_e(2,2/3)$			
	Z(0,0) 91.2 GeV/c <sup>2</sup>	$e(-1,-2/3)$ $e^+(1,2/3)$	$\mu(-1,-5/3)$ $\bar{\mu}(1,5/3)$		
	<b>W<sup>-</sup></b>	W(-1,-1)	$\mu(-1,-5/3)$ $\bar{\nu}_e(0,2/3)$	$\tau(-1,-8/3)$ $\bar{\nu}_\mu(0,5/3)$	$L_\mu(-2,-5/3)$ $e^+(1,2/3)$
		W(-1,0) 80.4 GeV/c <sup>2</sup>	$\bar{\nu}_e(0,2/3)$ $e(-1,-2/3)$	$\bar{\nu}_\mu(0,5/3)$ $\mu(-1,-5/3)$	
<b>W<sup>-</sup></b>	Y(-2,0)	$\bar{\nu}_e(0,2/3)$ $L_e(-2,-2/3)$	$\bar{\nu}_\mu(0,5/3)$ $L_\mu(-2,-5/3)$		

Table 3. Electric charges (EC), lepton charges (LC) and color charges (CC) for the elementary fermion particles. Red colored ones have been previously known. All charges are normalized to ECs of e (EC=-1) and  $\nu_e$  (EC=0).  $u(r) = (2/3, 0, -2/3) = (EC, LC, CC)$ .

EC flavor	x1x2x3	x1x2x3	x1x2x3
x1	-2/3(B1)	0( $\nu_e, \nu_\mu, \nu_\tau$ )	2/3(u, c, t)
x2	-5/3(B2)	-1(e, $\mu$ , $\tau$ )	-1/3(d, s, b)
x3	-8/3(B3)	-2(L $_e$ , L $_\mu$ , L $_\tau$ )	-4/3(Q1, Q2, Q3)
Total EC	-5	-3	-1
LC flavor		x4x5x6	x4x5x6
x4		-2/3( $\nu_e, e, L_e$ )	0(u, d, Q1)
x5		-5/3( $\nu_\mu, \mu, L_\mu$ )	-1(c, s, Q2)
x6		-8/3( $\nu_\tau, \tau, L_\tau$ )	-2(t, b, Q3)
Total LC		-5	-3
CC flavor			x7x8x9
x7			-2/3(r)
x8			-5/3(g)
x9			-8/3(b)
Total CC			-5

Bastons (dark matters),

Leptons,

Quarks

Baryon: CC = -5 (3 quarks)

Meson: CC = 0 (quark - anti quark)

Paryon: LC = -5 (3 leptons)

Koron: LC = 0 (lepton - anti lepton)

Force carrying bosons: EC, LC, CC = 0, -1, -2

Meson:  $\pi^0$  (u  $\bar{u}$ )(0,0,0)

Koron:  $\pi_1^0$  ( $e^+e^-$ )(0,0)

$$Z/W/Y(EC,LC,0) \longleftrightarrow Z/W/Y(EC,LC)$$

$$Z/W/Y(EC,0) \longleftrightarrow Z/W/Y(EC)$$

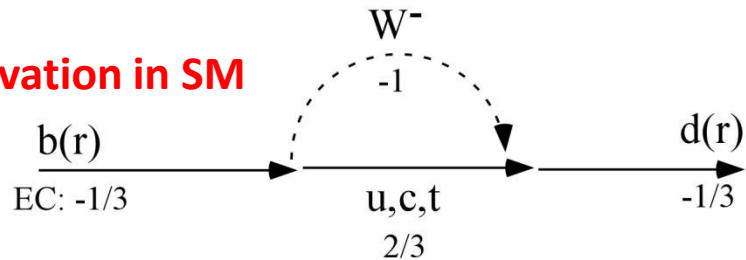
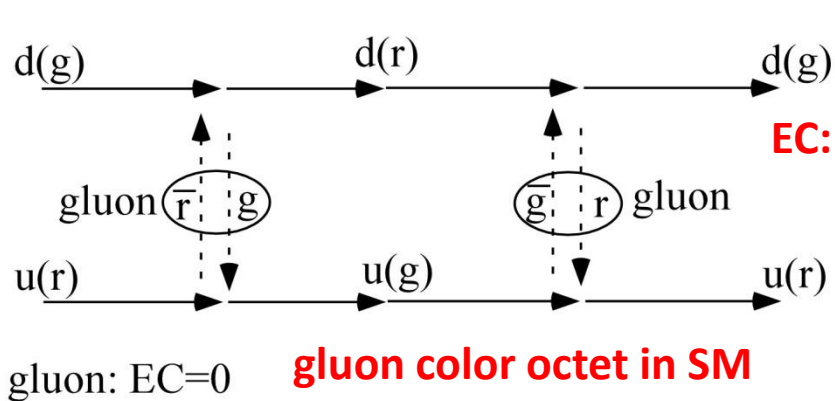
Gluons are replaced with these bosons.

EC flavor	x1x2x3	x1x2x3	x1x2x3
x1	0 Z(0)	0 Z(0,0),Z(0,-1),Z(0,-2)	0 Z(0,0),Z(0,-1),Z(0,-2)
x2	-1 W(-1)	-1 W(-1,0),W(-1,-1),W(-1,-2)	-1 W(-1,0),W(-1,-1),W(-1,-2)
x3	-2 Y(-2)	-2 Y(-2,0),Y(-2,-1),Y(-2,-2)	-2 Y(-2,0),Y(-2,-1),Y(-2,-2)
Total EC	-3	-3	-3
LC flavor		x4x5x6	x4x5x6
x4		0 Z(0,0),W(-1,0),Y(-2,0)	0 Z(0,0),W(-1,0),Y(-2,0)
x5		-1 Z(0,-1),W(-1,-1),Y(-2,-1)	-1 Z(0,-1),W(-1,-1),Y(-2,-1)
x6		-2 Z(0,-2),W(-1,-2),Y(-2,-2)	-2 Z(0,-2),W(-1,-2),Y(-2,-2)
Total LC		-3	-3
CC flavor			x7x8x9
x7			0 CC(0)
x8			-1 CC(-1)
x9			-2 CC(-2)
Total CC			-3

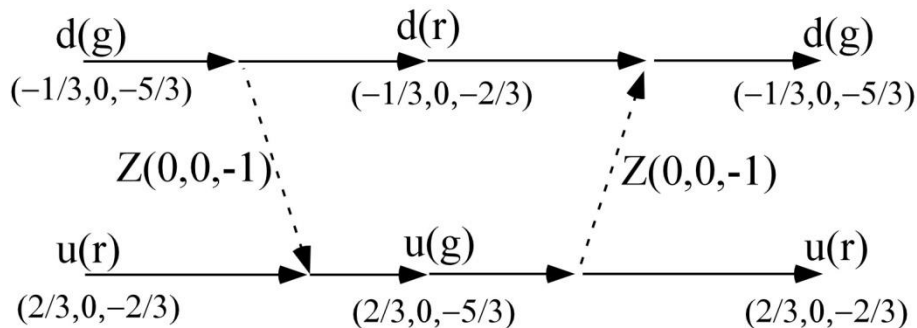
Dark matter force,

Weak force,

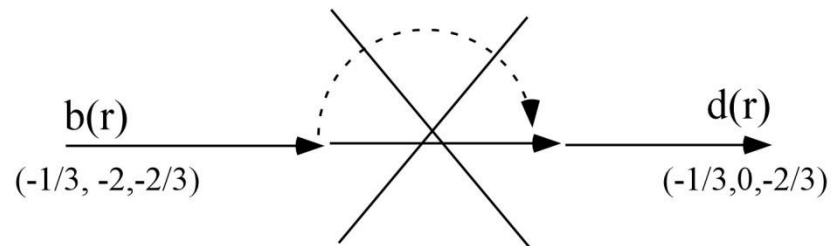
Strong force



It is possible under the EC conservation.

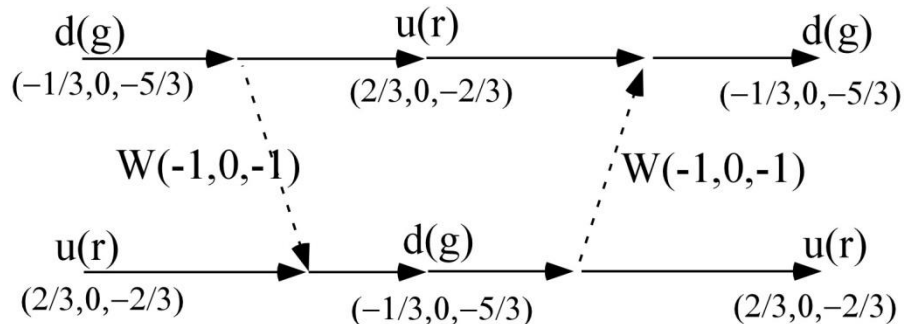


The  $Z(0,0,CC)$  boson with  $CC = 0, -1, -2$  plays the same role as the gluon does.

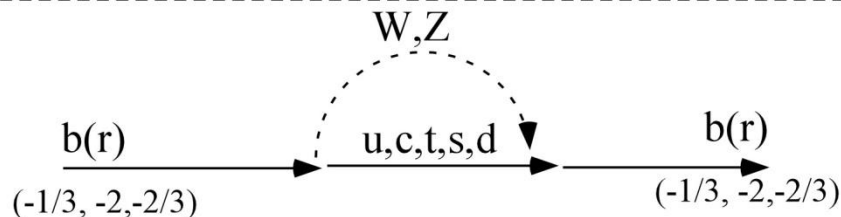


$\Delta EC=0$ ,  $\Delta CC=0$  but  $\Delta LC=2$ .

It is not possible because LC is not conserved. **EC,LC,CC: Conservations in ESM**



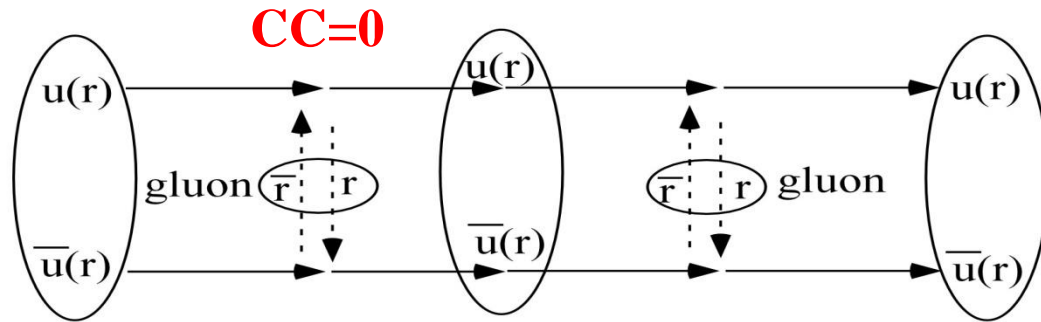
The  $Z/W/Y(EC,LC,CC)$  bosons with  $EC,LC,CC = 0, -1, -2$  describe all possible interactions between the quarks.



- $W(-1,0,0)$  —  $t(2/3,-2,-2/3)$
- $W(-1,-1,0)$  —  $c(2/3,-1,-2/3)$
- $W(-1,-2,0)$  —  $u(2/3,0,-2/3)$
- $Z(0,-1,0)$  —  $s(-1/3,-1,-2/3)$
- $Z(0,-2,0)$  —  $d(-1/3,0,-2/3)$

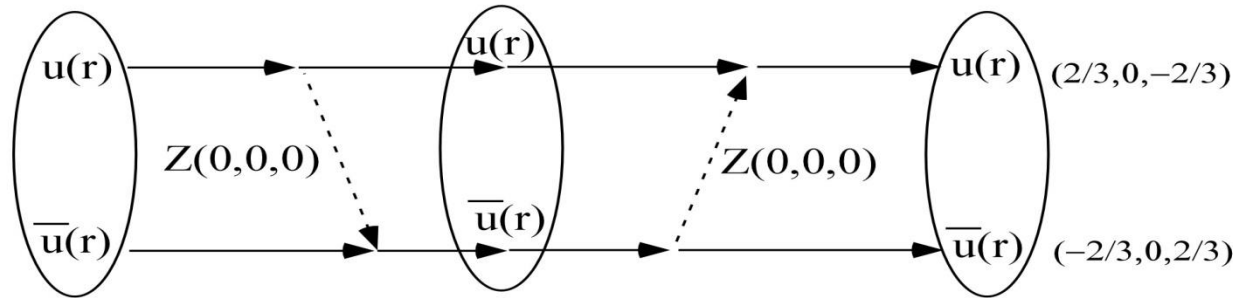
Meson (quark - anti quark)

**Strong force (EC,LC,CC)**



**EC: Conservation in SM,  
gluon color octet in SM**

$\pi^0$

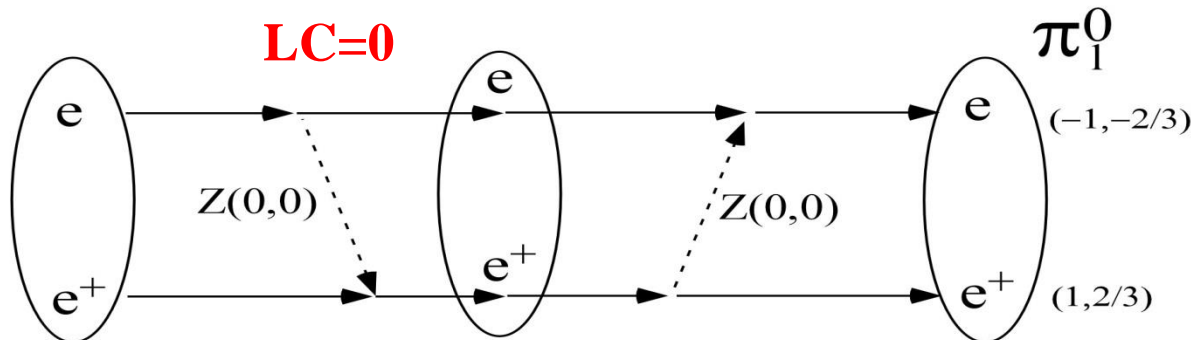


**EC,LC,CC:  
Conservations in ESM**

135 MeV/c<sup>2</sup>

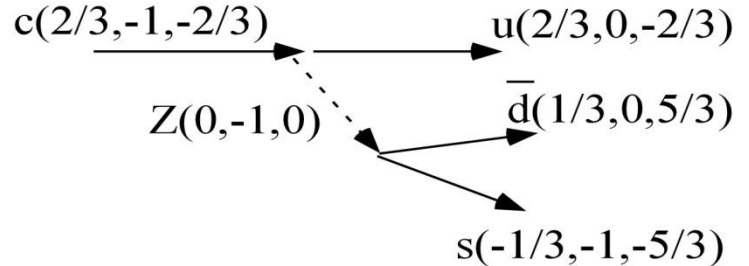
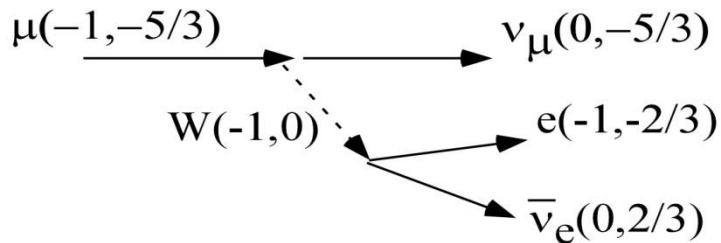
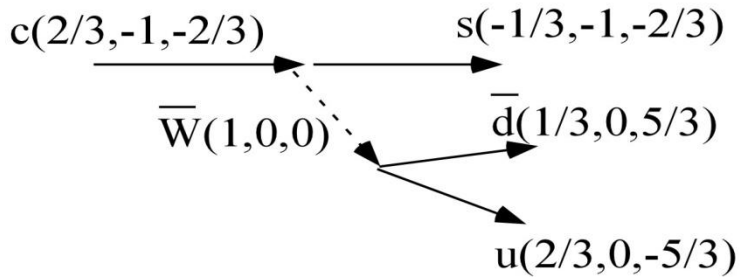
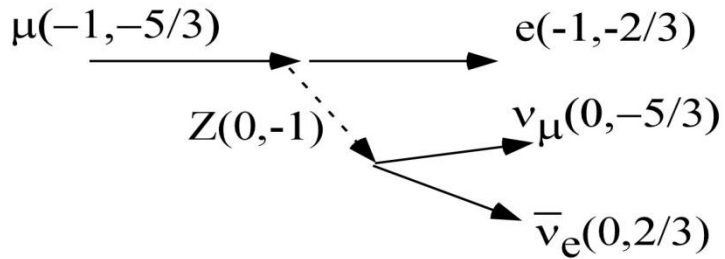
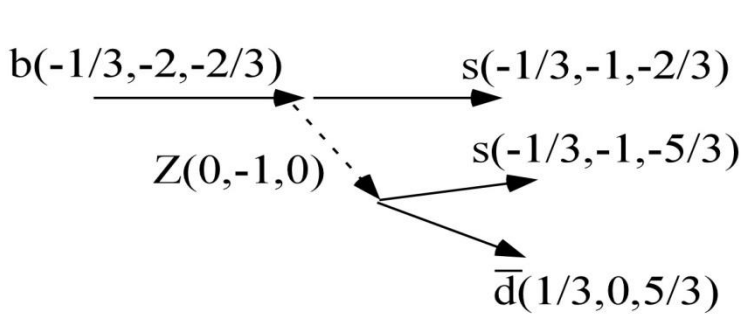
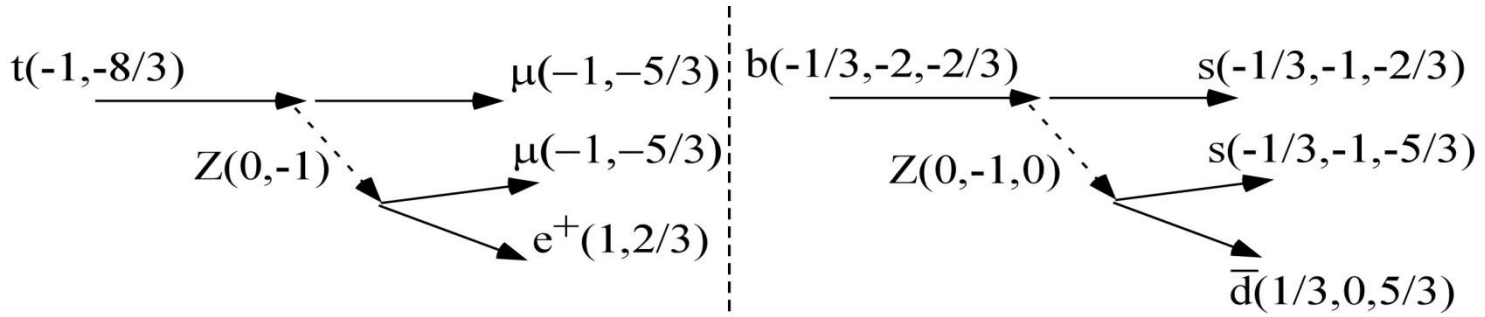
Koron (lepton - anti lepton)

**Weak force (EC,LC)**



**EC,LC:  
Conservations in ESM**

**16.7 MeV/c<sup>2</sup>**



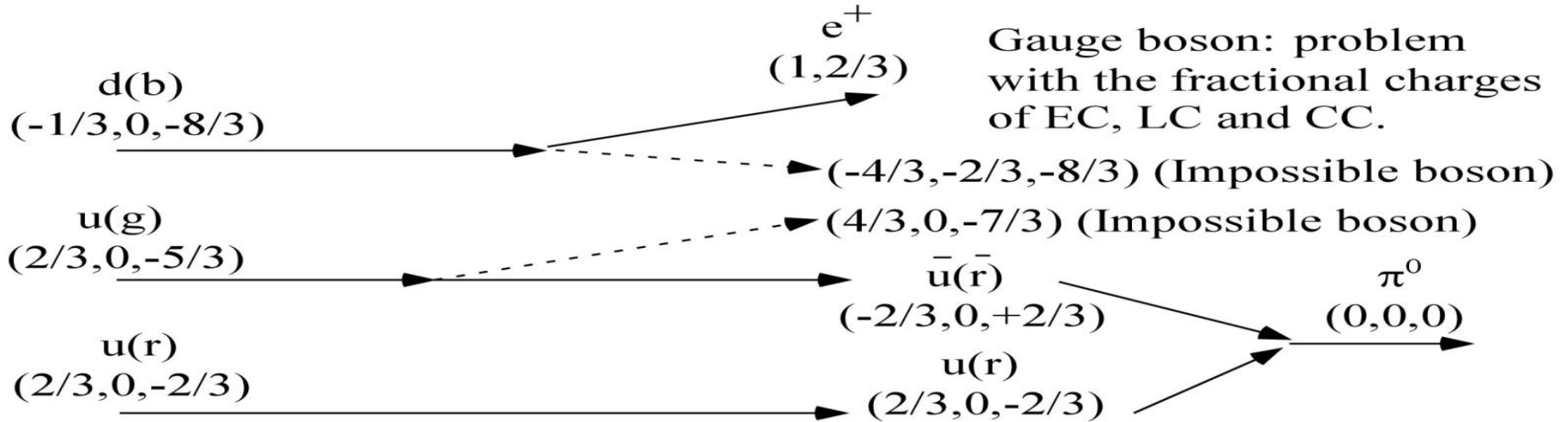
Lepton decay

Quark decay

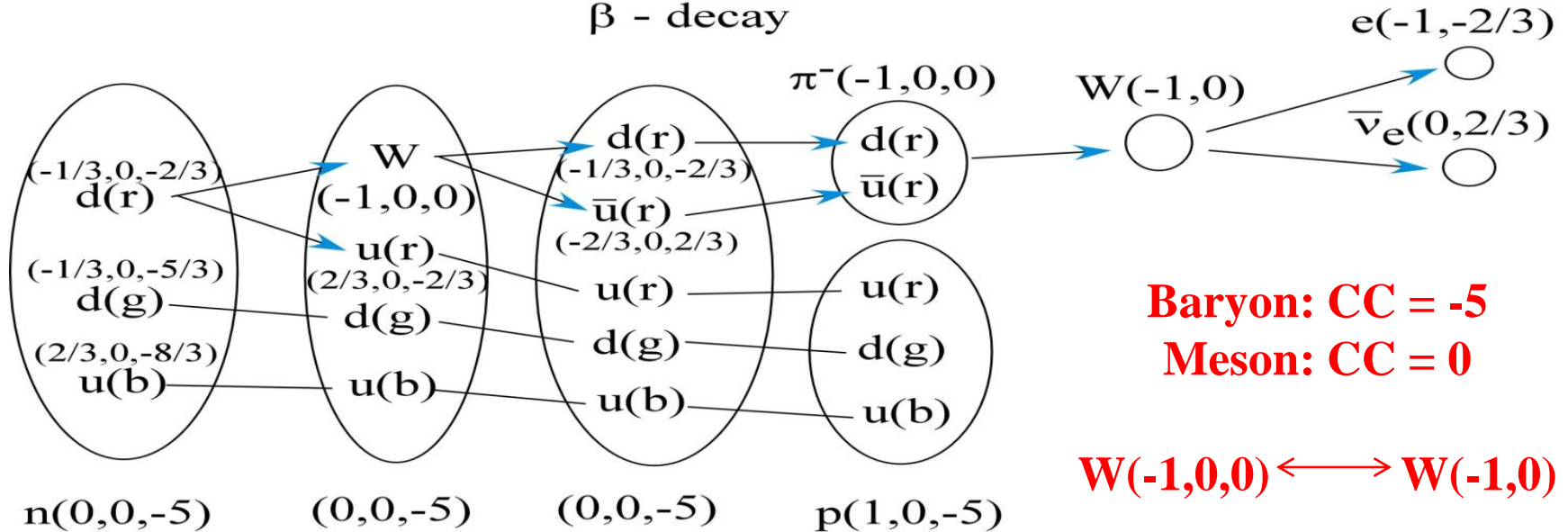
**EC, LC, CC: Conservations in ESM (Extended standard model)**

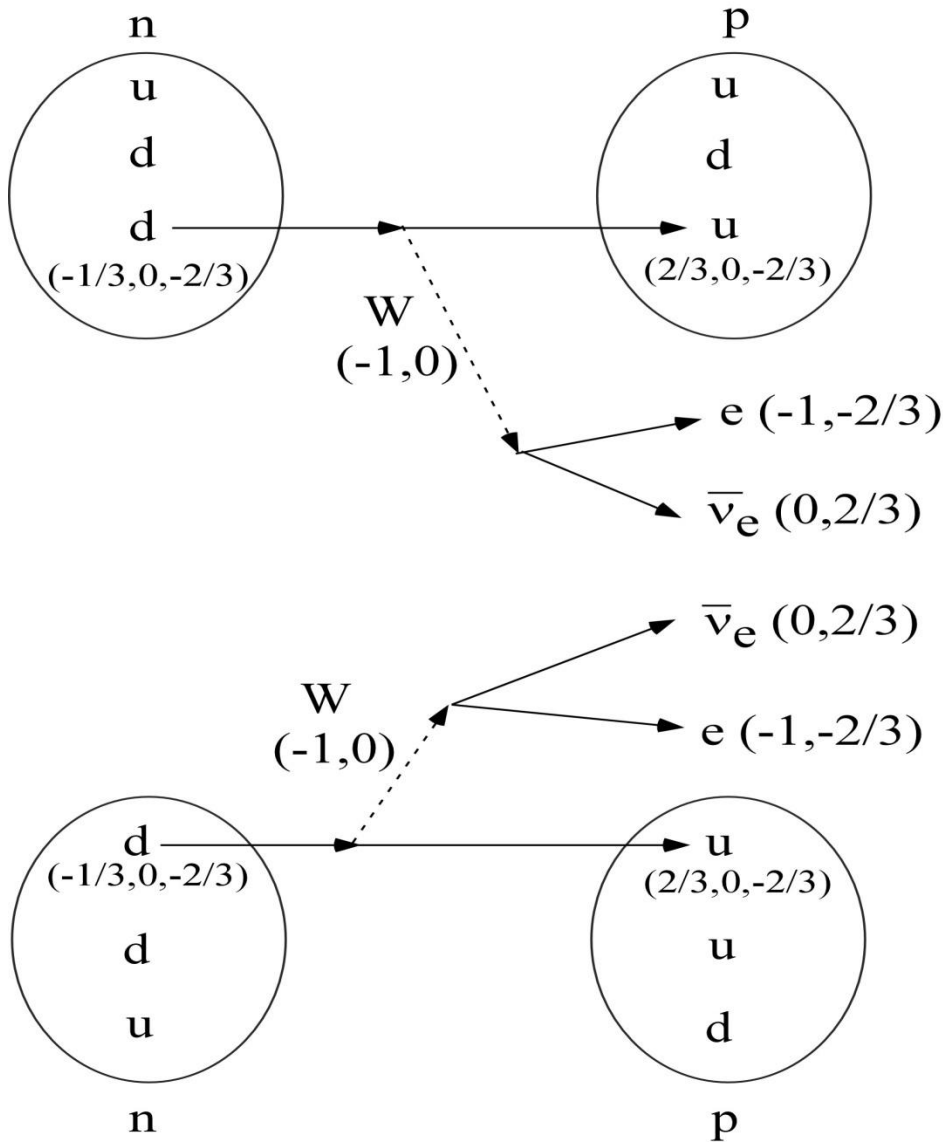
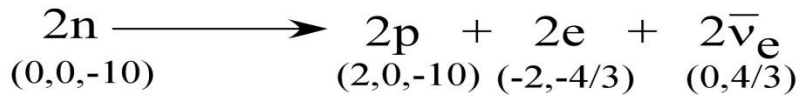
$$\mathbf{p} \longrightarrow \mathbf{e}^+ + \mathbf{\pi}^0$$

$(1,0,-5) \longrightarrow (1,2/3) + (0,0,0)$ 
 EC: Conserved  
 LC,CC: not conserved



$\beta$  - decay





Double beta decay should have two electron anti-neutrinos.

The neutrino is not the Majorana particle because of the non-zero lepton charge (LC).

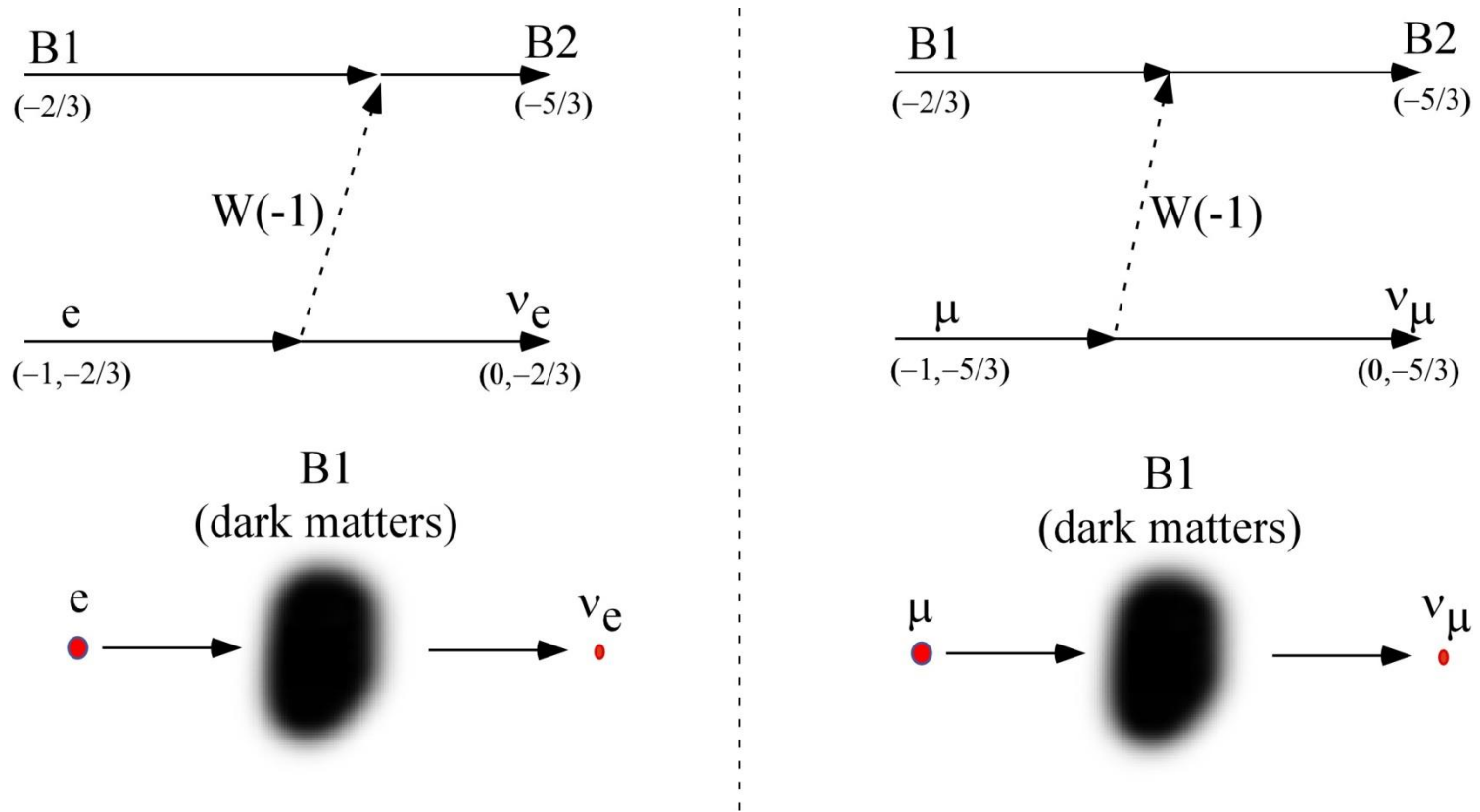
**Baryon: CC = -5**

**Meson: CC = 0**

**$W(-1,0,0) \longleftrightarrow W(-1,0)$**



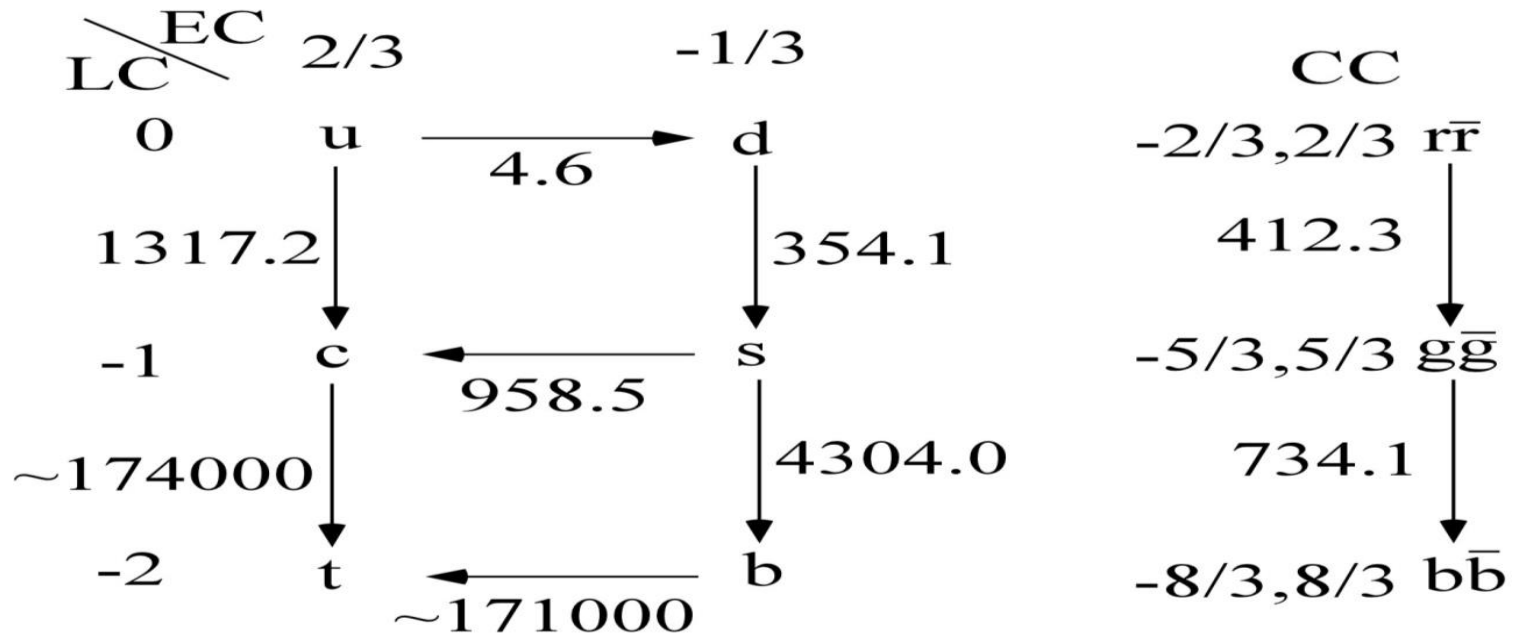
# Source of the enhanced cosmic $\nu_e$ and $\nu_\mu$ neutrinos



From the  $B1 - e$  and  $B1 - \mu$  reactions, the cosmic  $e$  and  $\mu$  particles are transferred to the cosmic  $\nu_e$  and  $\nu_\mu$  neutrinos, respectively.

# Charge configurations of mesons

$\pi^0$  (  $u \bar{u}$  ):  $m = 135.0$  MeV,  
 $m(u) = 67.5$  MeV



**Meson: CC = 0**

Meson energies and quark charges

Quark excitation energies associated with the mesons.

Mesons	$q\bar{q}$	$(EC,LC,CC)(\overline{E\bar{C}}, \overline{L\bar{C}}, \overline{C\bar{C}})$	Exp. (MeV)	Calc. (MeV)
$\pi^0$	$u\bar{u}$	$(2/3,0,-2/3) (-2/3,0,2/3)$	135.0	135.0
$\eta$	$u\bar{u}$	$(2/3,0,-5/3) (-2/3,0,5/3)$	547.3	547.3
$f_1(1285)$	$u\bar{u}$	$(2/3,0,-8/3) (-2/3,0,8/3)$	1285	1281.4
$\pi^+$	$u\bar{d}$	$(2/3,0,-2/3) (1/3,0,2/3)$	139.6	139.6
$f_0(550)$	$u\bar{d}$	$(2/3,0,-5/3) (1/3,0,5/3)$	550	551.9
$\eta(1295)$	$u\bar{d}$	$(2/3,0,-8/3) (1/3,0,8/3)$	1295	1286.0
$K^+$	$u\bar{s}$	$(2/3,0,-2/3) (1/3,1,2/3)$	493.7	493.7
$K^*(892)^+$	$u\bar{s}$	$(2/3,0,-5/3) (1/3,1,5/3)$	891.7(3)	906
$K_1(1650)$	$u\bar{s}$	$(2/3,0,-8/3) (1/3,1,8/3)$	1650	1640
$K^0$	$d\bar{s}$	$(-1/3,0,-2/3) (1/3,1,2/3)$	497.7	498.3

Mesons	$q\bar{q}$	(EC,LC,CC)( $\overline{E\bar{C}}, \overline{L\bar{C}}, \overline{C\bar{C}}$ )	Exp. (MeV)	Calc. (MeV)
$K^+(892)^0$	$d\bar{s}$	(-1/3,0,-5/3) (1/3,1,5/3)	896.1(3)	910.6
$K_2(1780)$	$d\bar{s}$	(-1/3,0,-8/3) (1/3,1,8/3)	1776(7)	1644.7
$D^+$	$c\bar{d}$	(2/3,-1,-5/3) (1/3,0,5/3)	1869.3(5)	1869.1
$D^0$	$c\bar{u}$	(2/3,-1,-5/3) (-2/3,0,5/3)	1864.5(5)	1864.5
$D_s^+$	$c\bar{s}$	(2/3,-1,-2/3) (1/3,1,2/3)	1968.6(6)	1810.9
$B^+$	$u\bar{b}$	(2/3,0,-5/3) (1/3,2,5/3)	5279.0(5)	5210.0
$B_s^0$	$s\bar{b}$	(-1/3,-1,-2/3) (1/3,2,2/3)	5369.6(24)	5156.4
$B_c^+$	$c\bar{b}$	(2/3,-1,-2/3) (1/3,2,2/3)	6276(4)	6114.9
$\eta_c$	$c\bar{c}$	(2/3,-1,-2/3) (-2/3,1,2/3)	2979.8(18)	2749.4
$J/\psi$	$c\bar{c}$	(2/3,-1,-5/3) (-2/3,1,5/3)	3096	3171.7
$X(3872)$	$c\bar{c}$	(2/3,-1,-8/3) (-2/3,1,8/3)	3872	3905.8
$\gamma$	$b\bar{b}$	(-1/3,-2,-2/3) (1/3,2,2/3)	9460.3(3)	9460.4

$$\pi_d^0 \quad 144.2 \text{ MeV}$$

$$d\bar{d} \quad (-1/3, 0, -2/3) \quad (1/3, 0, 2/3)$$
  

$$\eta_d \quad 556.5 \text{ MeV}$$

$$d\bar{d} \quad (-1/3, 0, -5/3) \quad (1/3, 0, 5/3)$$
  

$$f_{1d} \quad 1294.2 \text{ MeV}$$

$$d\bar{d} \quad (-1/3, 0, -8/3) \quad (1/3, 0, 8/3)$$

$$\pi^0 \quad 135 \text{ MeV}$$

$$u\bar{u} \quad (2/3, 0, -2/3) \quad (-2/3, 0, 2/3)$$
  

$$\eta \quad 547.3 \text{ MeV}$$

$$u\bar{u} \quad (2/3, 0, -5/3) \quad (-2/3, 0, 5/3)$$
  

$$f_1(1285)$$

$$u\bar{u} \quad (2/3, 0, -8/3) \quad (-2/3, 0, 8/3)$$

$$144.2 \text{ MeV } \pi_d^0 \quad d\bar{d} \quad \longrightarrow \quad 2\gamma \quad (?) \quad \text{New}$$

$$(-1/3, 0, -2/3) \quad (1/3, 0, 2/3) \quad \quad \quad (0, 0) \quad (0, 0)$$

$$139.6 \text{ MeV } \pi^+ \quad u\bar{d} \quad \longrightarrow \quad \mu^+ + \nu_\mu$$

$$(2/3, 0, -2/3) \quad (1/3, 0, 2/3) \quad \quad \quad (1, 5/3) \quad (0, -5/3)$$

$$\frac{u\bar{u} - d\bar{d}}{\sqrt{2}} \quad 135 \text{ MeV } \pi^0 \quad u\bar{u} \quad \longrightarrow \quad 2\gamma$$

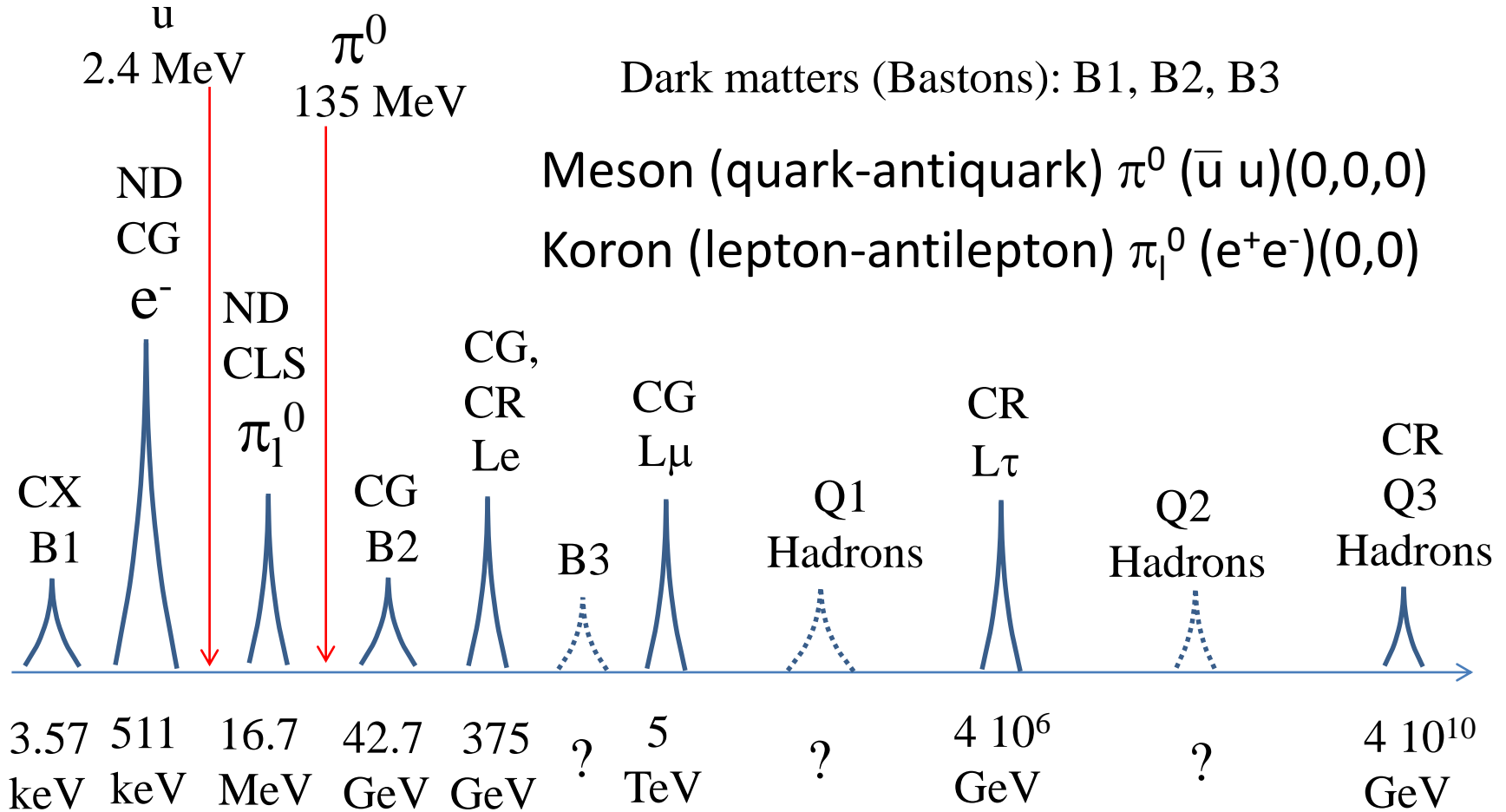
$$(2/3, 0, -2/3) \quad (-2/3, 0, 2/3) \quad \quad \quad (0, 0) \quad (0, 0)$$

# (1) Possible experimental searches in LHC

$L_e, L_\mu, Q1, Z(0,-1), W(-1,-1), Y(-2,0)$ : TeV scale

$Z(0,-1)$	$\mu(-1,-5/3)$ $e^+(1,2/3)$	$\nu_\mu(0,-5/3)$ $\bar{\nu}_e(0,2/3)$	$\tau(-1,-8/3)$ $\bar{\mu}(1,5/3)$
$Z(0,-1)$	$L_\mu(-2,-5/3)$ $\bar{L}_e(2,2/3)$		
$Z(0,0)$ 91.2 GeV/c <sup>2</sup>	$e(-1,-2/3)$ $e^+(1,2/3)$	$\mu(-1,-5/3)$ $\bar{\mu}(1,5/3)$	
$W(-1,-1)$	$\mu(-1,-5/3)$ $\bar{\nu}_e(0,2/3)$	$\tau(-1,-8/3)$ $\bar{\nu}_\mu(0,5/3)$	$L_\mu(-2,-5/3)$ $e^+(1,2/3)$
$W(-1,0)$ 80.4 GeV/c <sup>2</sup>	$\bar{\nu}_e(0,2/3)$ $e(-1,-2/3)$	$\bar{\nu}_\mu(0,5/3)$ $\mu(-1,-5/3)$	
$Y(-2,0)$	$\bar{\nu}_e(0,2/3)$ $L_e(-2,-2/3)$	$\bar{\nu}_\mu(0,5/3)$ $L_\mu(-2,-5/3)$	

## (2) Possible searches from astronomical observations



unit:  $E=mc^2$

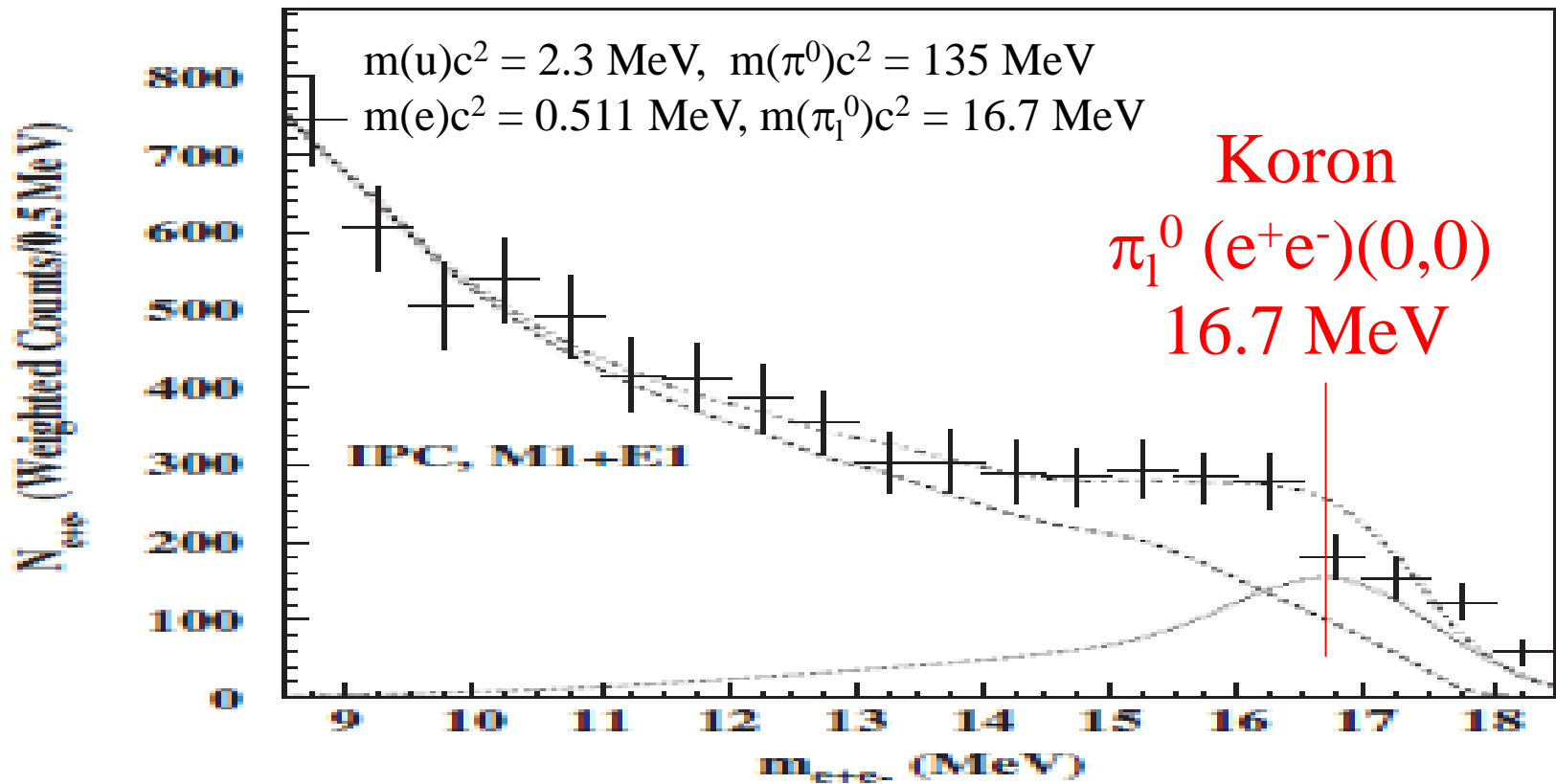
ND: Nuclear Decay, CLS: Cosmic Light Spectroscopy

NR: Nuclear Reaction

CG: Cosmic Gamma ray, CX: Cosmic X ray

CR: Cosmic ray

Rest masses of B1, B2, Le,  $L_\mu$ ,  $L_\tau$ , Q3 are tentatively assigned for the further researches.



A.J. Krasznahorkay et al., Phys. Rev. Lett. 116, 042501 (2016). Invariant mass distribution from 18.15 MeV transition in  $^8\text{Be}$ . X(16.70(35) MeV) peak with the spin of  $1^+$  is proposed as the first Koron observed experimentally.

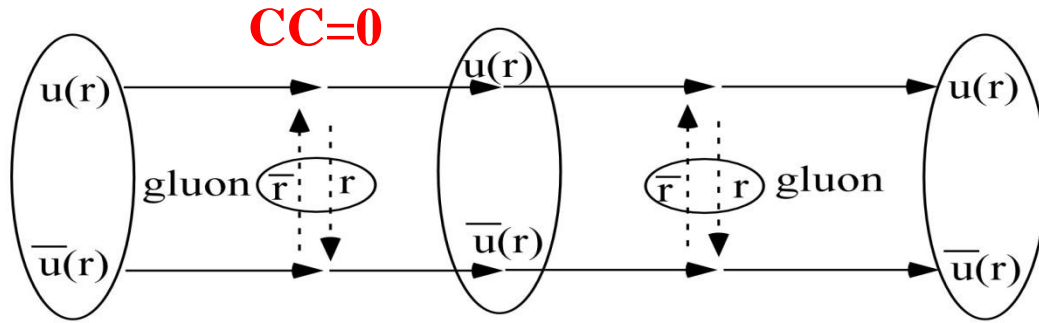
Meson (quark-antiquark)  $\pi^0 (u \bar{u})(0,0,0)$

Koron (lepton-antilepton)  $\pi_1^0 (e^+e^-)(0,0)$



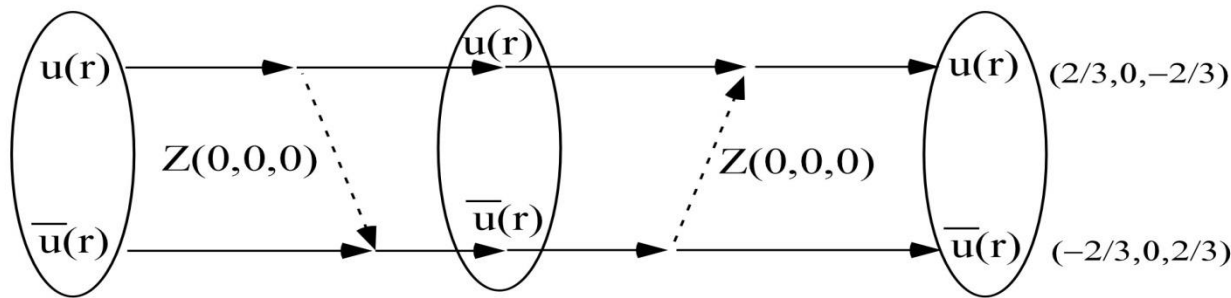
Meson (quark - anti quark)

**Strong force (EC,LC,CC)**



**EC: Conservation in SM,  
gluon color octet in SM**

$\pi^0$

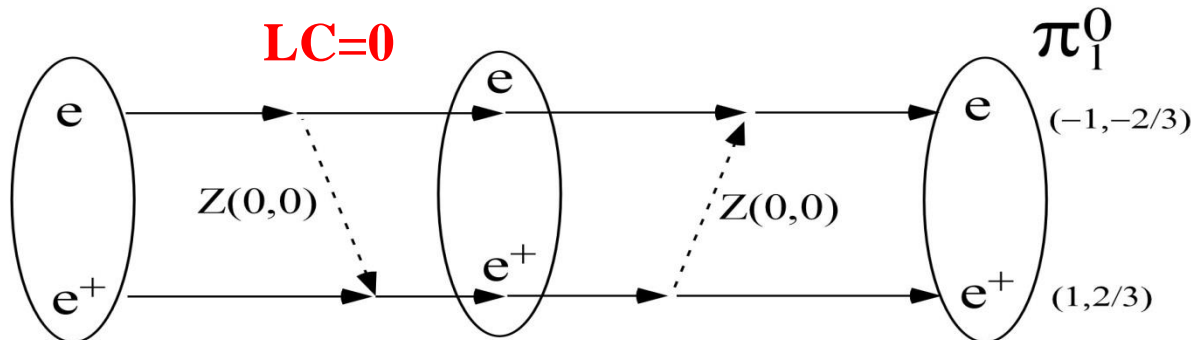


**EC,LC,CC:  
Conservations in ESM**

135 MeV/c<sup>2</sup>

Koron (lepton - anti lepton)

**Weak force (EC,LC)**



**EC,LC:  
Conservations in ESM**

16.7 MeV/c<sup>2</sup>

# Cosmological lithium abundance problem at the Big Bang Nucleosynthesis (BBN)

BBN prediction:  $({}^7\text{Li}/\text{H}) = 4.68(67) 10^{-10}$

R.H. Cyburt et al., Rev. Mod. Phys. 88, 015004 (2016).

Observed value:  $({}^7\text{Li}/\text{H}) = 1.6(3) 10^{-10}$

L.Sbordone et al., Astron. Astrophys. 522, A26 (2010).

Solution: New neutral boson (X) with  $1.6 \text{ MeV} < m_x c^2 < 20 \text{ MeV}$  and  $\text{few } 10^2 \text{ s} < \tau_x < 10^4 \text{ s}$ .

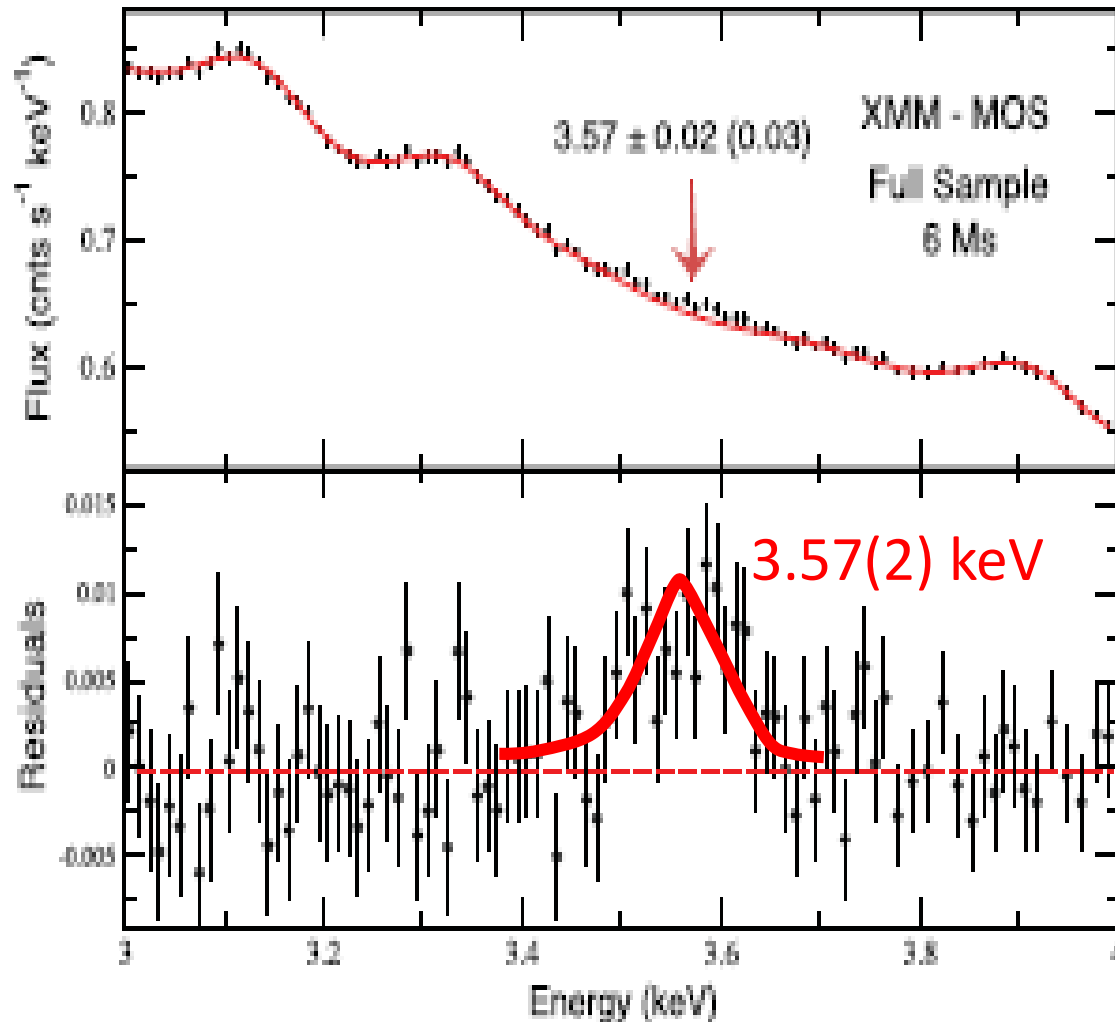
${}^7\text{Be}(X, \alpha){}^3\text{He}$  and  $\text{D}(X, p)n$  reactions will reduce the abundances of  ${}^7\text{Be}$  and  ${}^7\text{Li}$ .

A. Goudeis et al., Phys. Rev. Lett. 116, 211303 (2016).

Koron (lepton-antilepton)  $\pi_1^0 (e^+e^-)(0,0)$  with  $mc^2 = 16.70(35) \text{ MeV}$ .

$\pi_1^0 (e^+e^-)$  is the good candidate of the neutral boson (X) for the lithium problem.

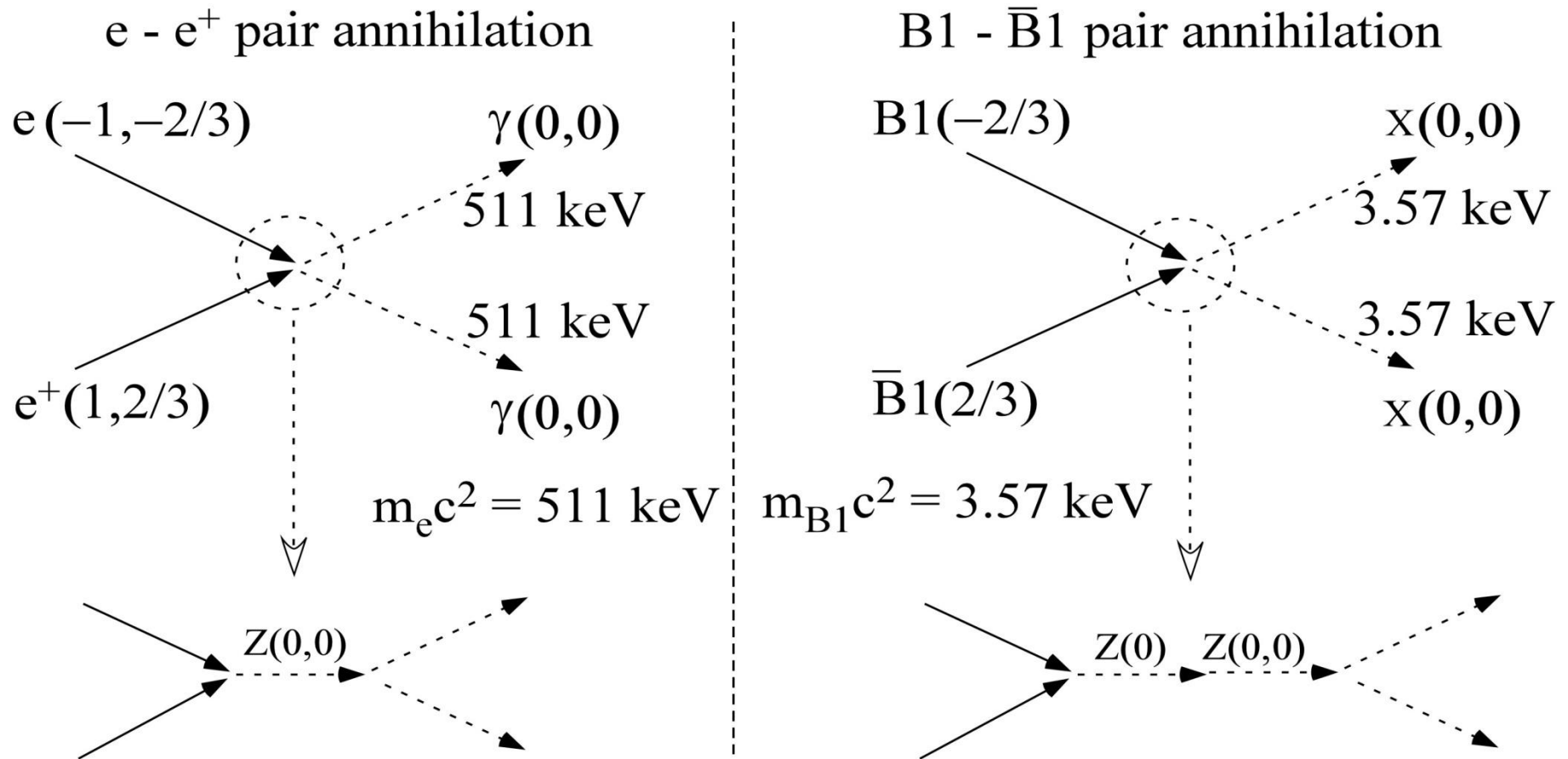
## B1 fermionic dark matter measurements



The 3.57 (2) keV peak was identified in a stacked XMM-Newton MOS and PN x-ray spectrum.

E. Bulbul et al., *Astrophys. J.* 789, 13 (2014).

The 3.57 keV peak is proposed as the B1 annihilation peak .



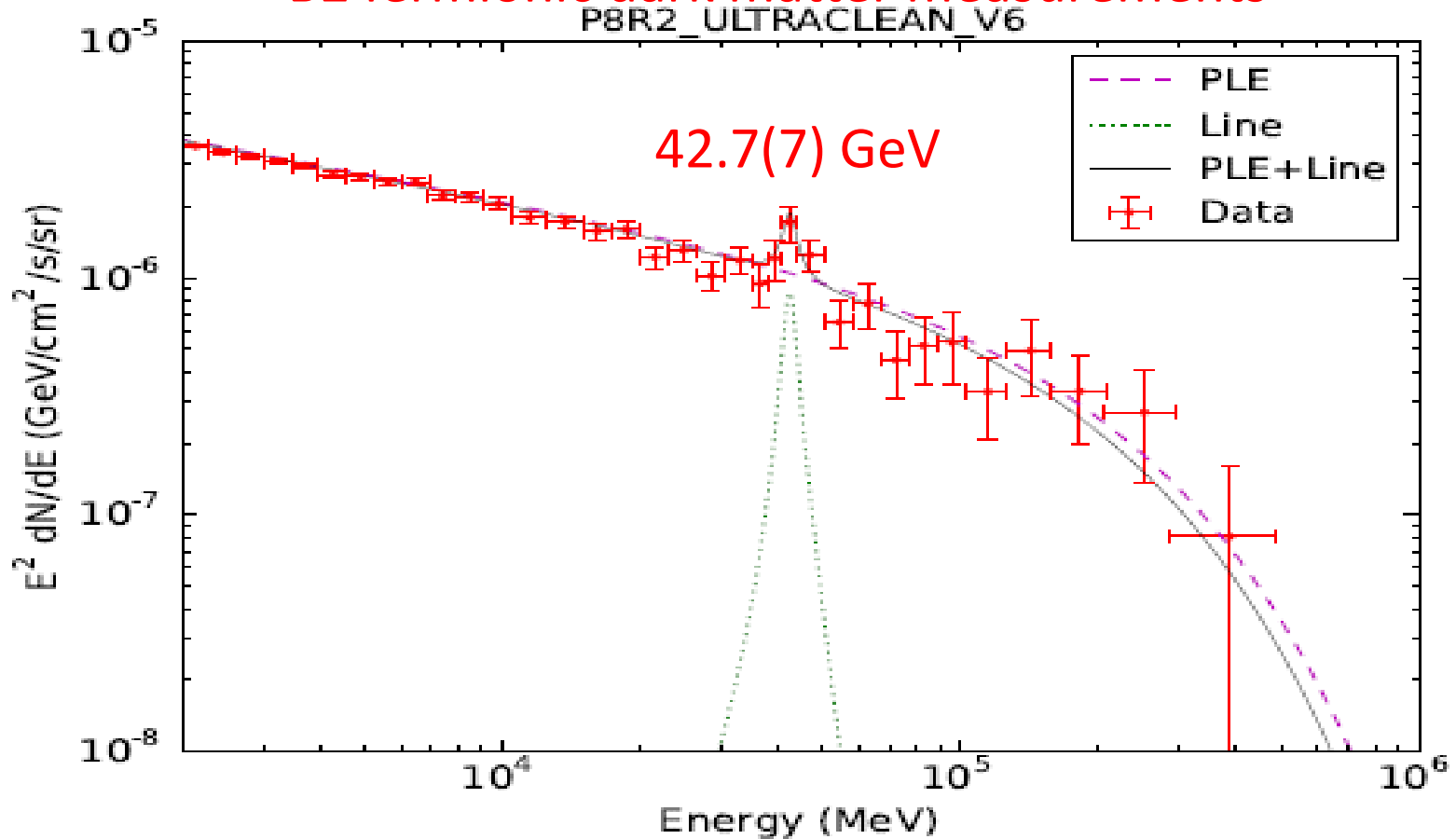
The 3.57 (2) keV peak was identified in a stacked XMM-Newton MOS and PN x-ray spectrum.

E. Bulbul et al., *Astrophys. J.* 789, 13 (2014).

The 3.57 keV peak is proposed as the B1 annihilation peak.

Then, the rest mass of the B1 particle is  $3.57(2) \text{ keV}/c^2$ .

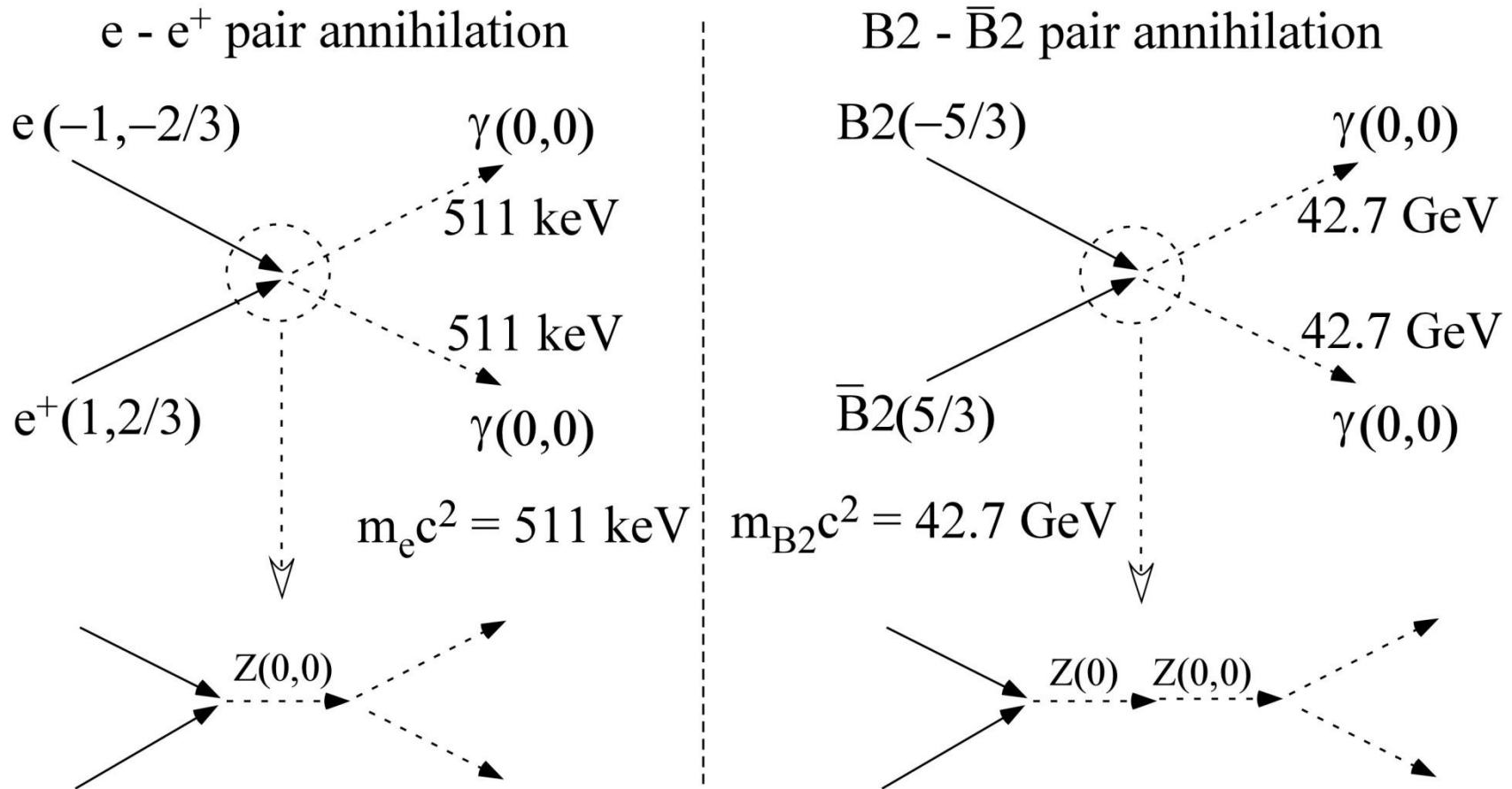
## B2 fermionic dark matter measurements



The 42.7(7) GeV peak was identified in the gamma-ray spectrum from the Fermi Large Area Telescope (LAT) in the directions of 16 massive nearby Galaxy Clusters.

Y.F. Liang et al., Phys. Rev. D 93, 103525 (2016).

The 42.7 GeV peak is proposed as the B2 annihilation peak. Then, the rest mass of the B2 particle is 42.7(7) GeV/c<sup>2</sup>.

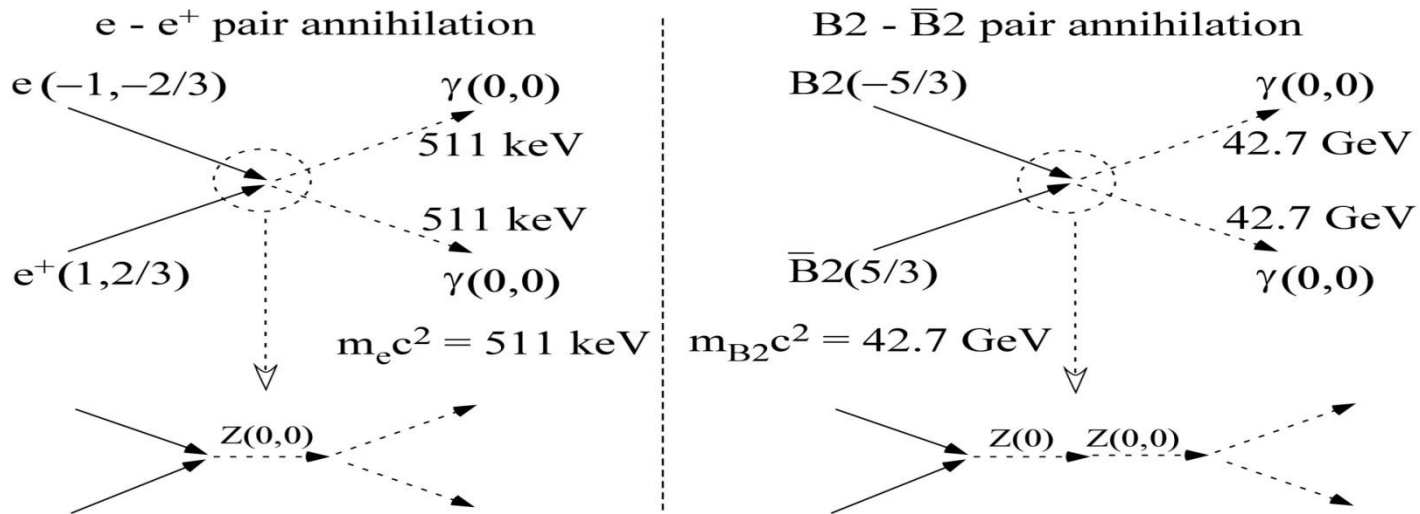


The 42.7(7) GeV peak was identified in the gamma-ray spectrum from the Fermi Large Area Telescope (LAT) in the directions of 16 massive nearby Galaxy Clusters.

Y.F. Liangl et al., Phys. Rev. D 93, 103525 (2016).

The 42.7 GeV peak is proposed as the B2 annihilation peak. Then, the rest mass of the B2 particle is 42.7(7) GeV/c<sup>2</sup>.

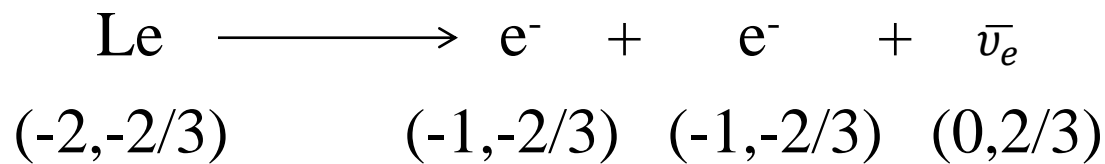
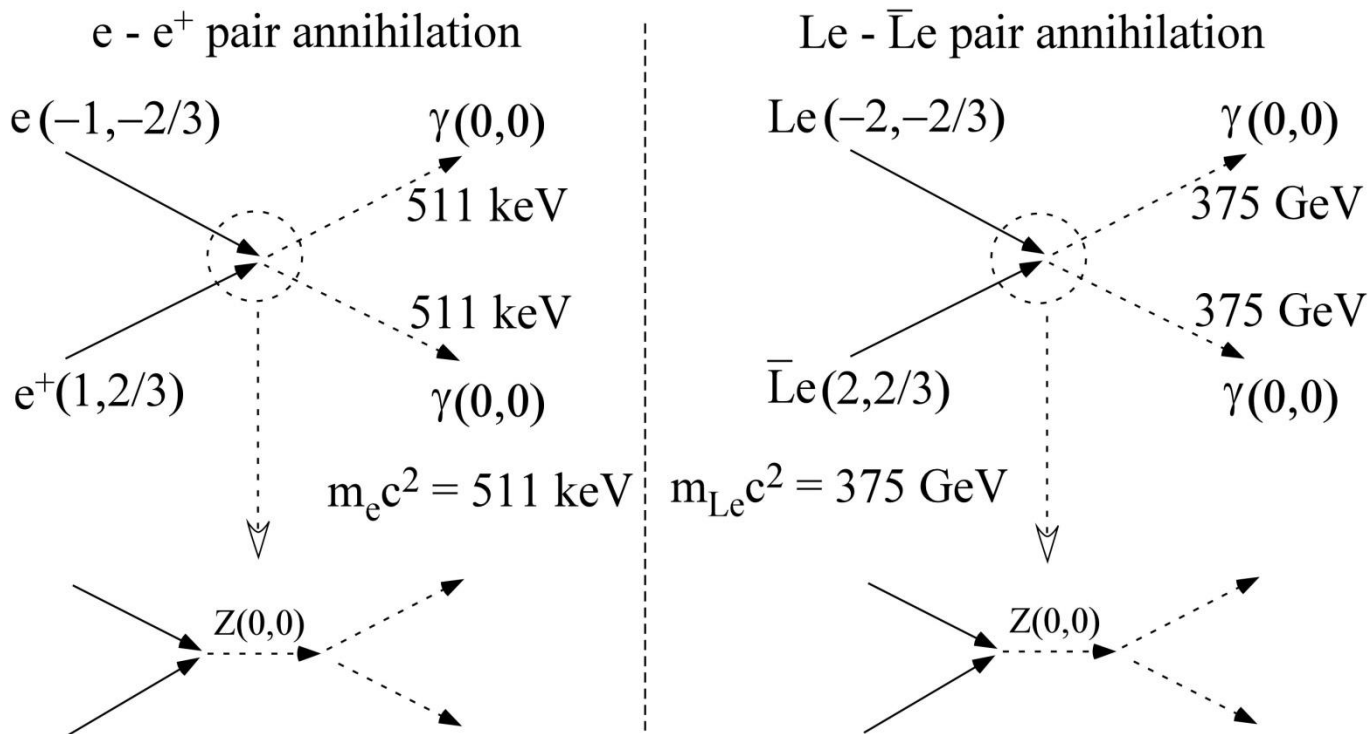
## B2 fermionic dark matter measurements



The **42.7(7) GeV peak** was identified in the gamma-ray spectrum from the Fermi Large Area Telescope (LAT) in the directions of 16 massive nearby Galaxy Clusters. **From the galaxy observations**  
Y.F. Liangl et al., Phys. Rev. D 93, 103525 (2016).

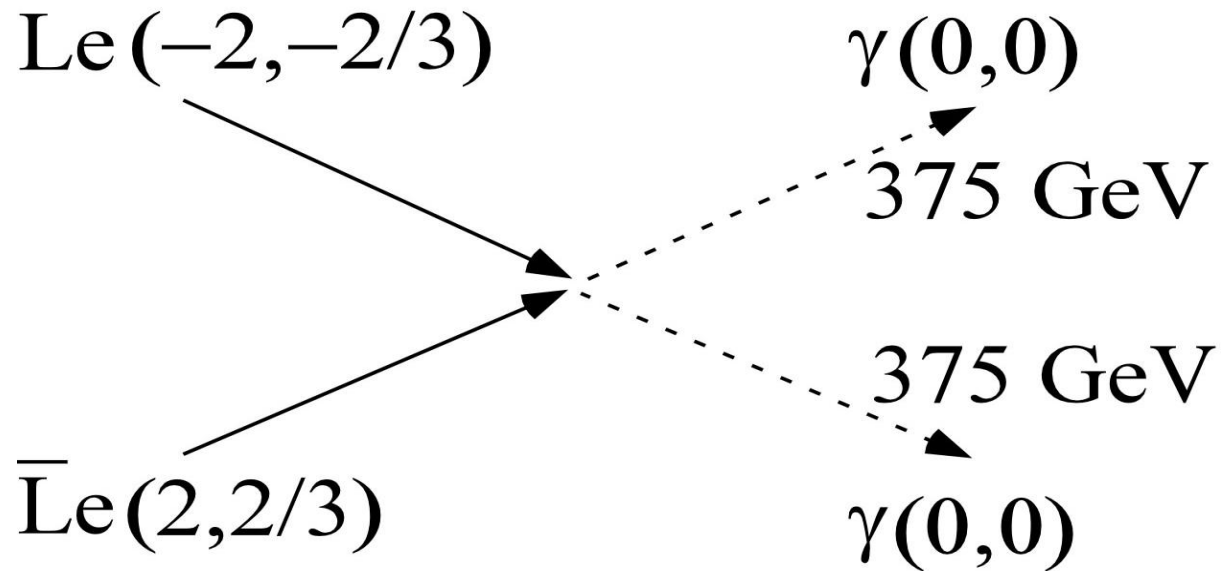
From the constraints on the mass and couplings of a fermionic dark matter candidate that annihilates through the Z boson, **the only currently allowed range** of the fermionic dark matter rest mass is **40 – 48 GeV/c<sup>2</sup>**. The experiments of XENON1T are expected in the near future. Miguel Escudero et al., arXiv: 1609.09079 (Sep. 28, 2016). XENON1T: E. Aprile et al., JCAP 04, 027 (2016).

**From the earth experiments**





# Le - $\bar{\text{L}}\text{e}$ pair annihilation



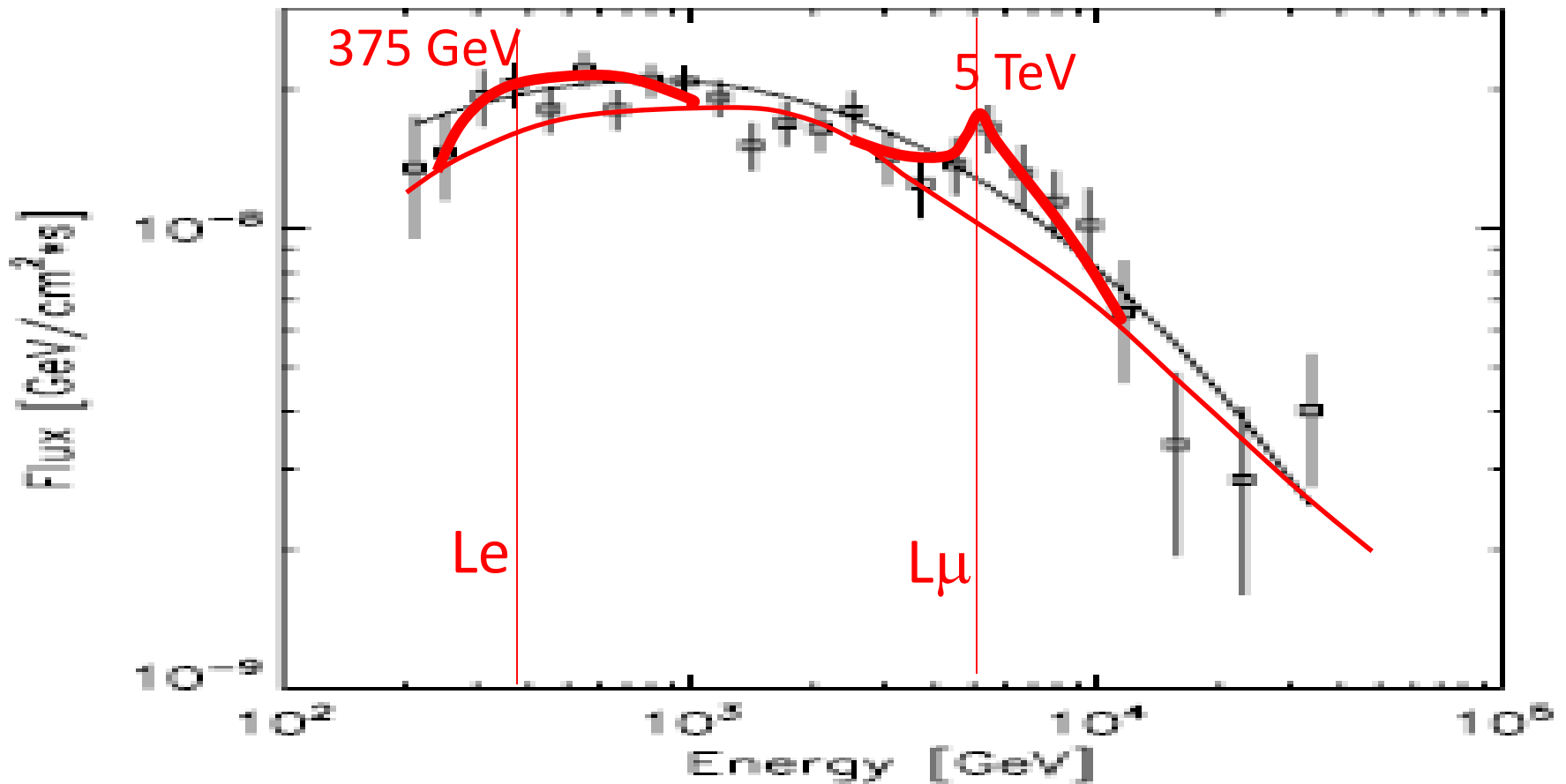
Heavy lepton pair annihilation at galaxies

1) gamma(375 GeV) peak

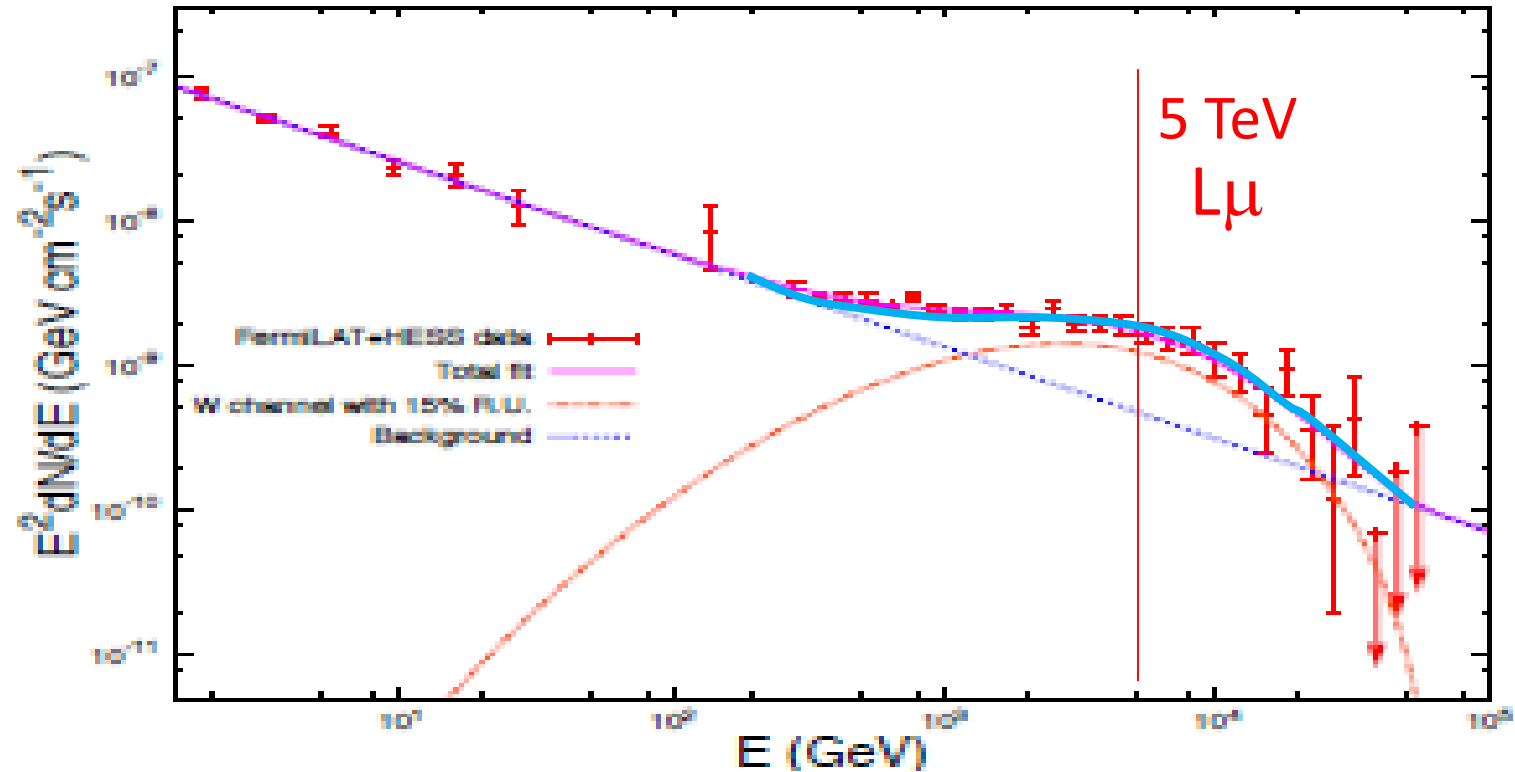
2) electron + gamma(375 GeV)  $\rightarrow$  electron (375 GeV)  
photo-electric peak

3) positron + gamma (375 GeV)  $\rightarrow$  positron (375 GeV)  
photo-electric peak

$L\mu$  – anti  $L\mu$  annihilation peak at 5 TeV  
 $Le$  – anti  $Le$  annihilation peak at 375 GeV.



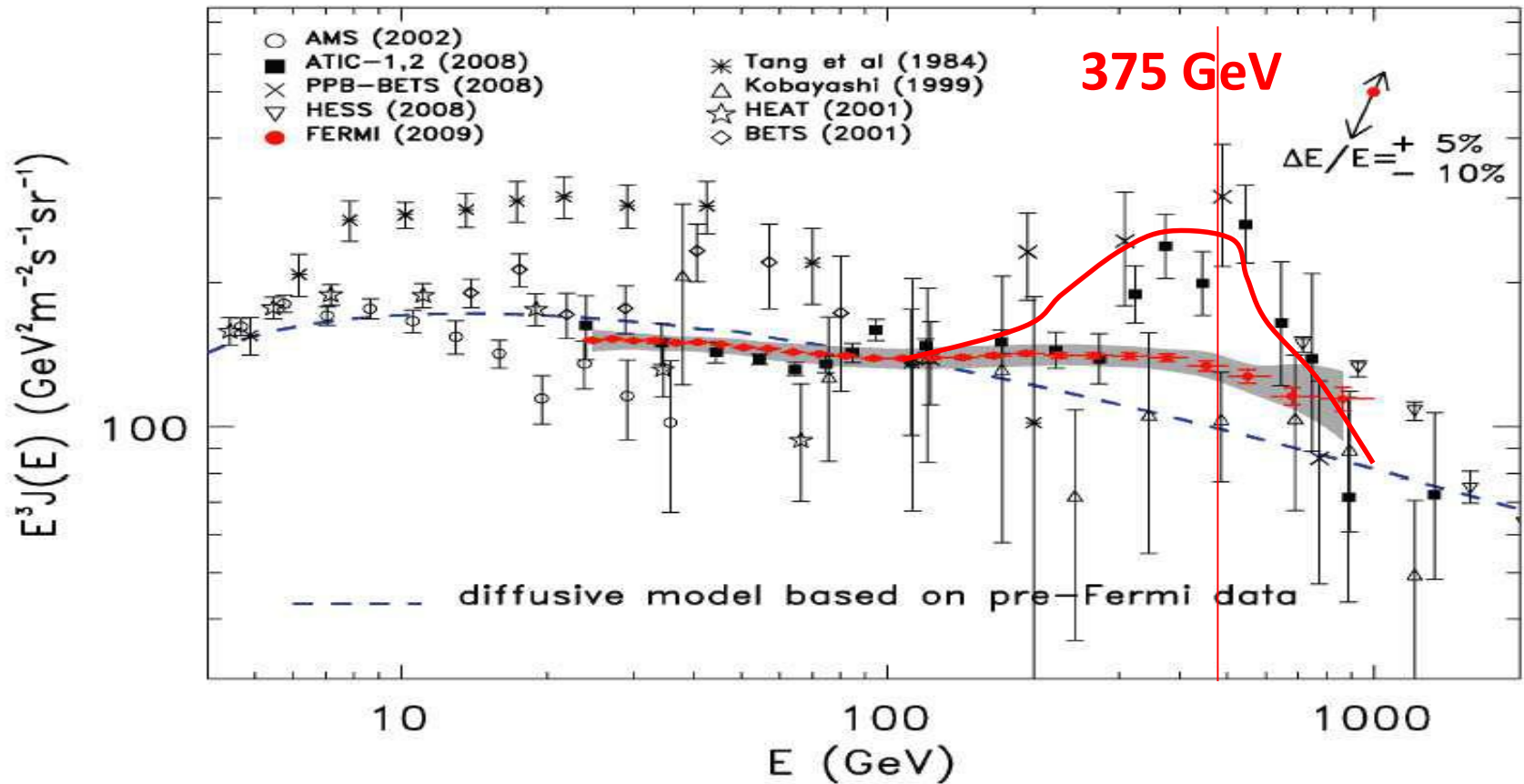
TeV gamma ray spectrum from RX J1713.7-3946 with HESS.  
C.Y. Huang et al., *Astroparticle Physics* 27, 429 (2007).



V. Gammaldi, arXiv: 1412.7639 (2014).

TeV gamma ray spectrum from RX J1713.7-3946 with HESS and Fermi-LAT data.

$L_\mu$  – anti  $L_\mu$  annihilation peak at 5 TeV

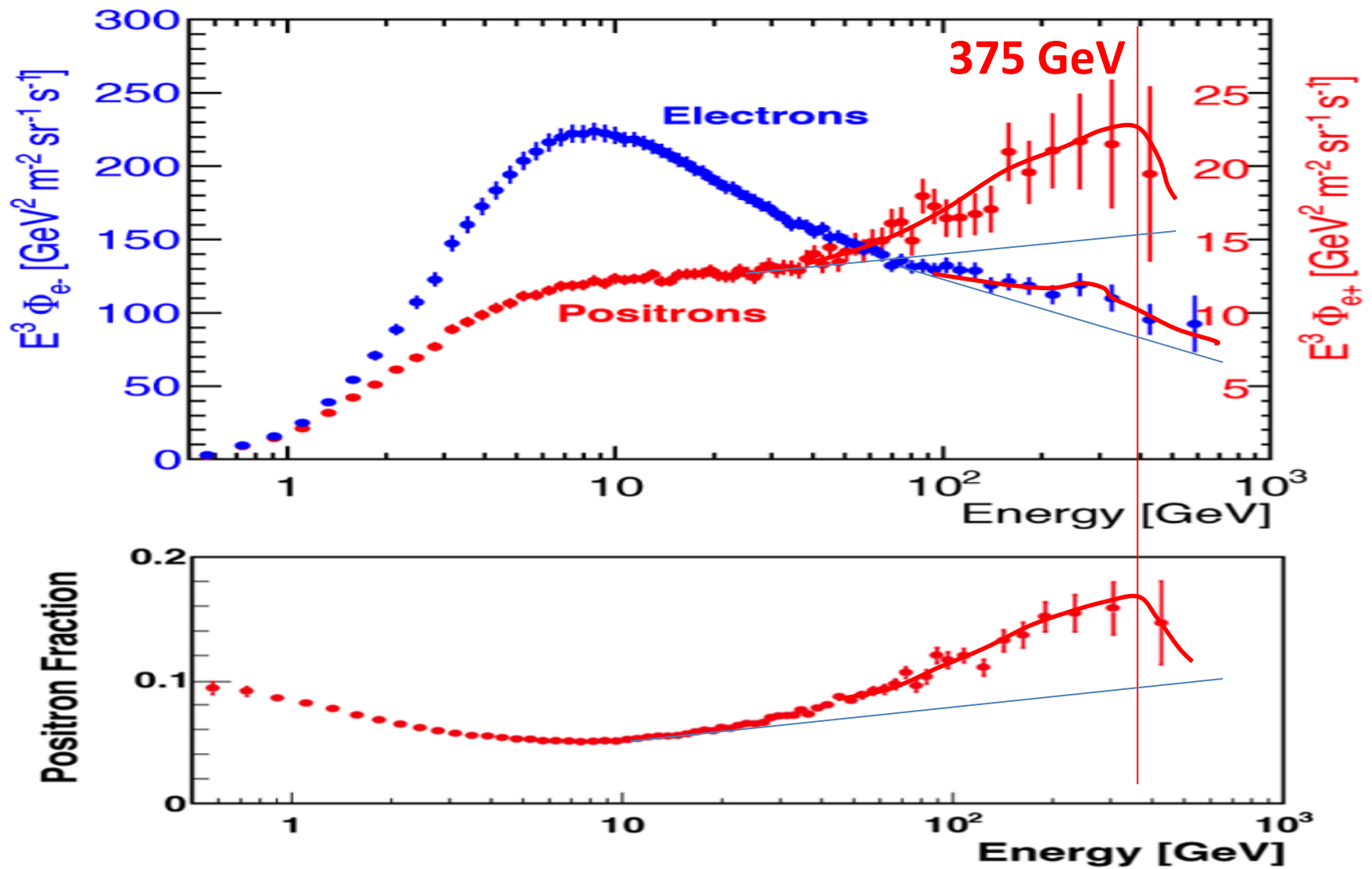


## Cosmic electron spectra

A. Abdo et al., Phys. Rev. Lett. 102, 181101 (2009).

Heavy lepton pair annihilation at galaxies

electron + gamma(375 GeV)  $\rightarrow$  electron (375 GeV) photo-electric peak



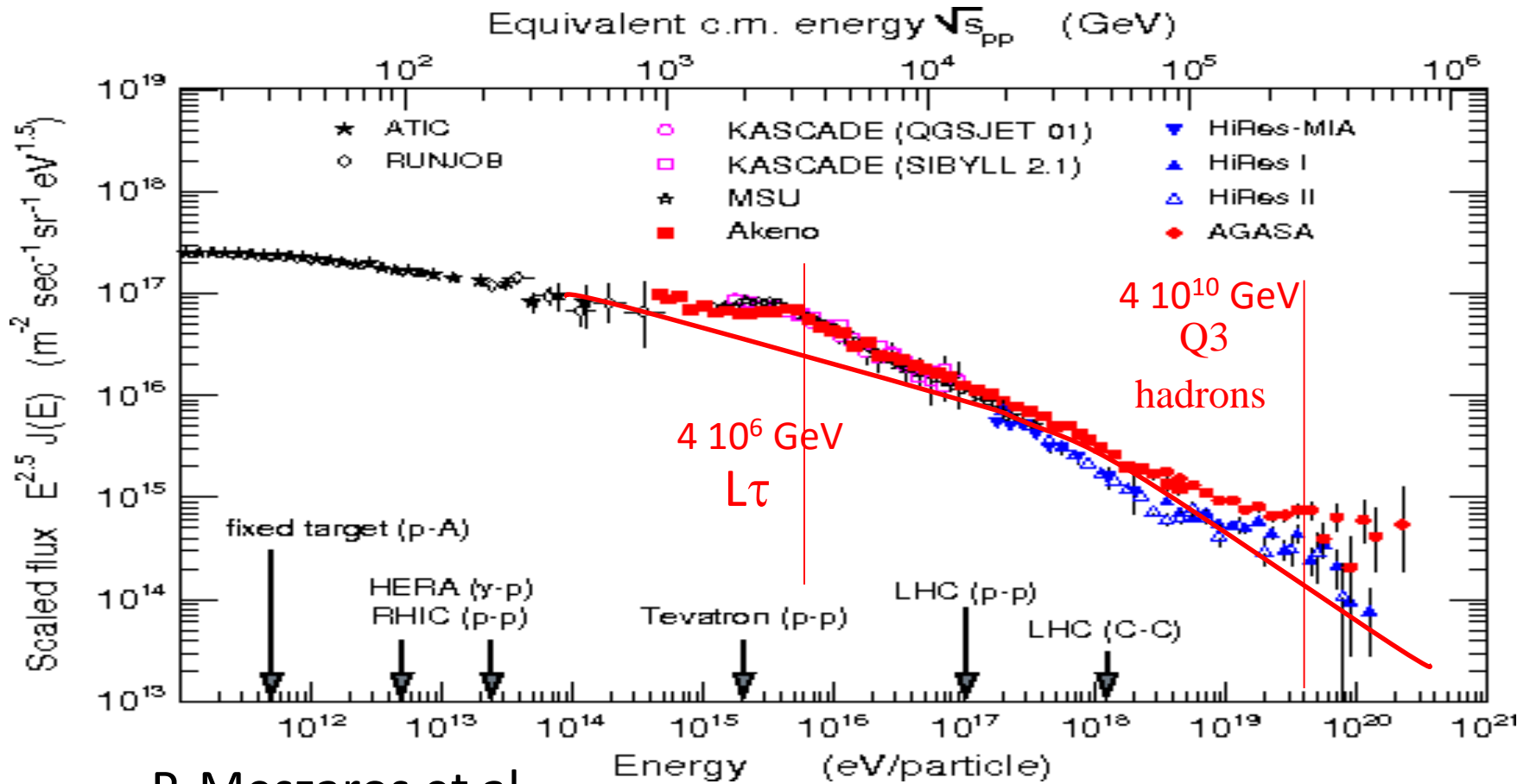
## Positron anomaly; AMS-02

L. Accardo et al., Phys. Rev. Lett. 113, 121101 (2014).

M. Aguilar et al., Phys. Rev. Lett. 113, 121102 (2014)

M. Aguilar et al., Phys. Rev. Lett. 110, 141102 (2013).

## Q3 hadrons: Hadrons including the Q3 quark.



P. Meszaros et al.,

[www2.astro.psu.edu/users/nnp/cr.html](http://www2.astro.psu.edu/users/nnp/cr.html).

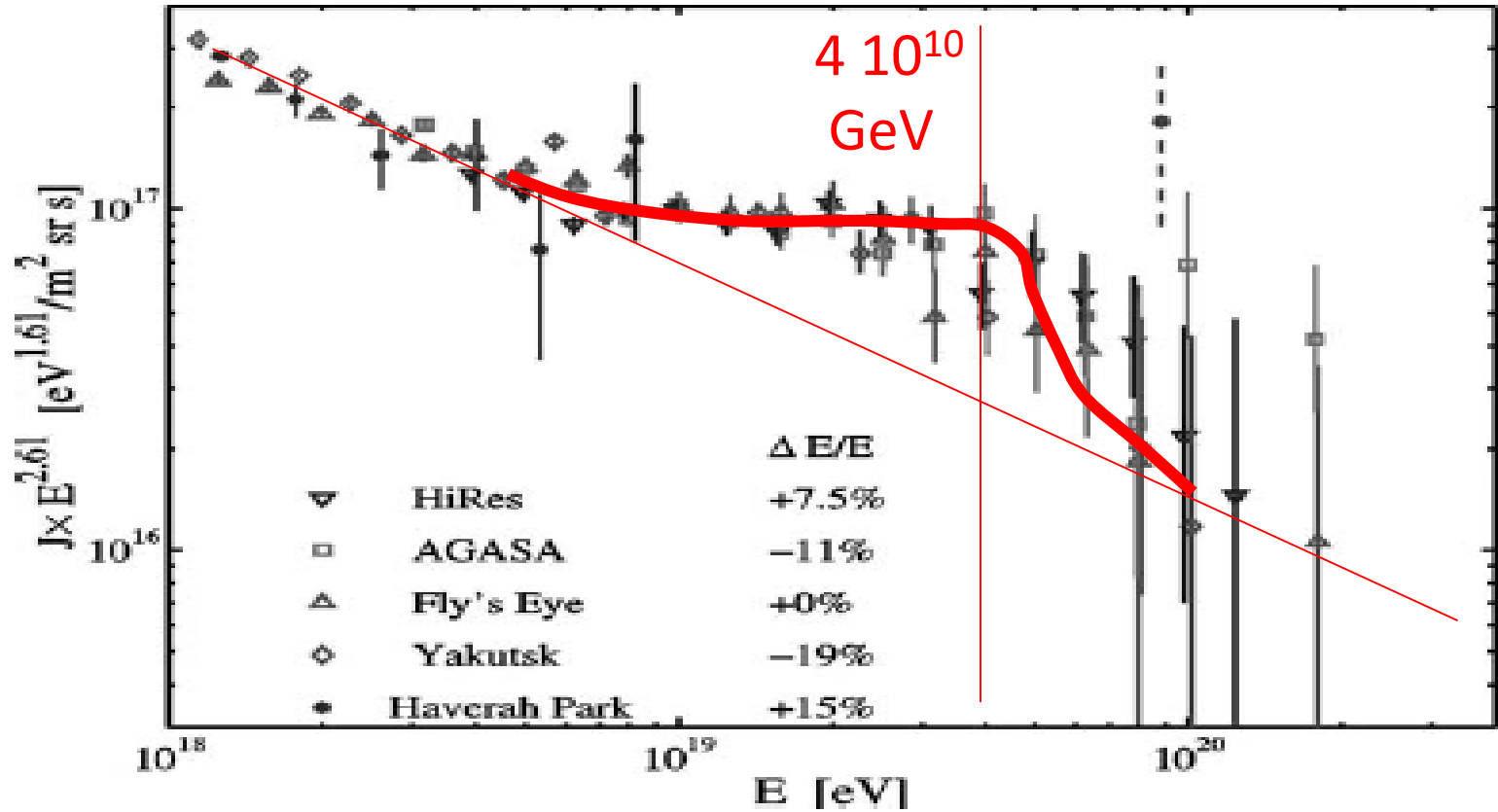
Ultra-high energy cosmic ray spectra

$L\tau$  – anti  $L\tau$  annihilation peak at  $4 \cdot 10^6$  GeV

Q3 hadron – Q3 anti hadron annihilation peak at  $4 \cdot 10^{10}$  GeV.

Q3 might have the rest mass of  $\sim 10^{7-10}$  GeV/ $c^2$ .

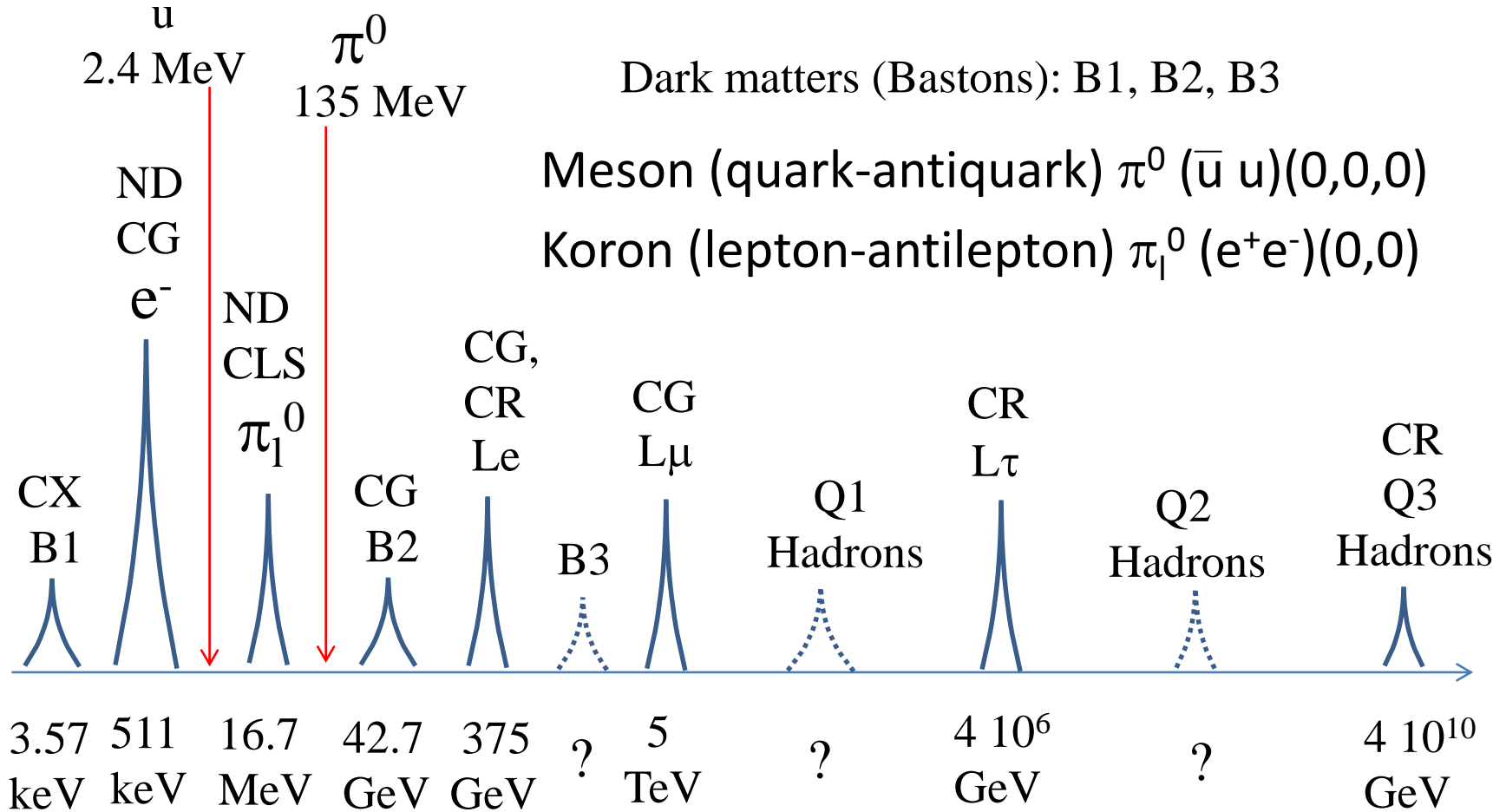
Q3 hadrons



J.N. Bahcall and E. Waxman, Phys. Lett. B556, 1 (2003).  
Ultra-high energy cosmic ray spectra after adjusting the energy calibrations of the different data.

Q3 hadron – Q3 anti hadron annihilation peak at  $4 \times 10^{10}$  GeV.

## (2) Possible searches from astronomical observations



unit:  $E=mc^2$

ND: Nuclear Decay, CLS: Cosmic Light Spectroscopy

NR: Nuclear Reaction

CG: Cosmic Gamma ray, CX: Cosmic X ray

CR: Cosmic ray

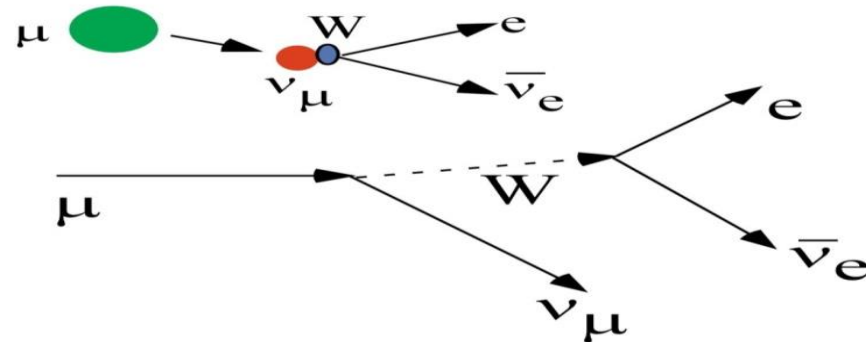
Rest masses of B1, B2, Le,  $L_\mu$ ,  $L_\tau$ , Q3 are tentatively assigned for the further researches.



# Several examples of decays and reactions

$$\mu \longrightarrow \nu_\mu + e + \bar{\nu}_e$$

$$(-1, -5/3) = (0, -5/3) + (-1, -2/3) + (0, +2/3)$$

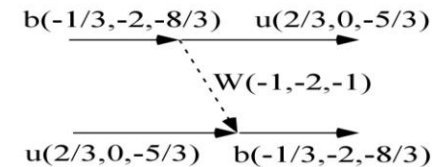
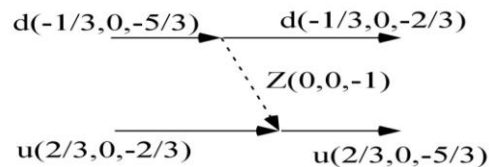
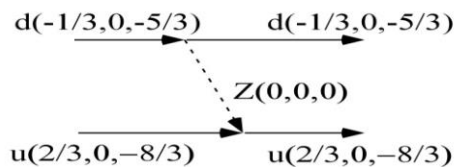
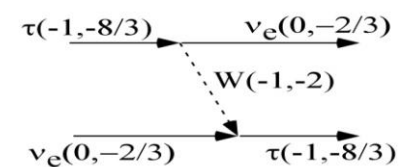
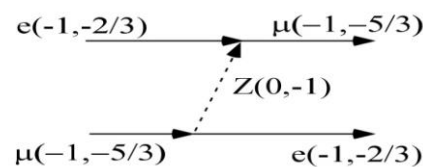
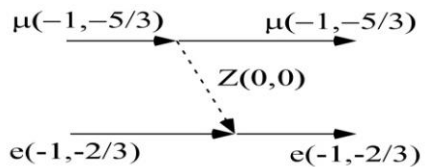


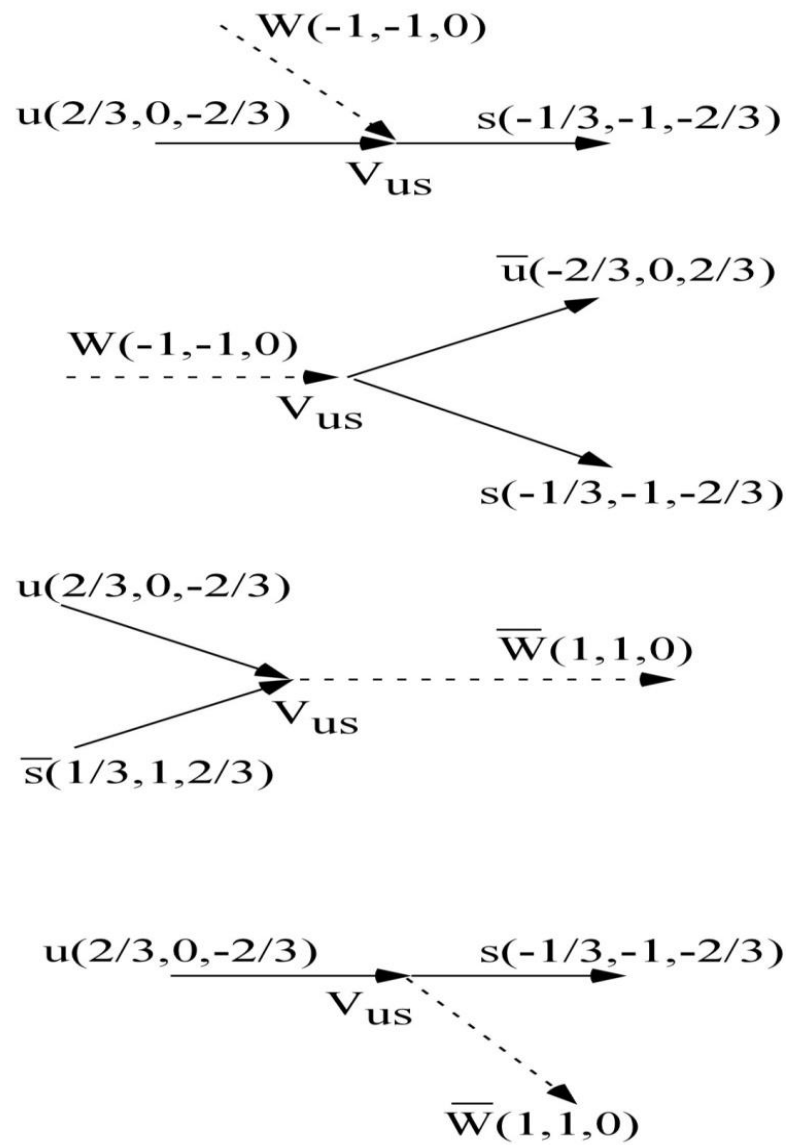
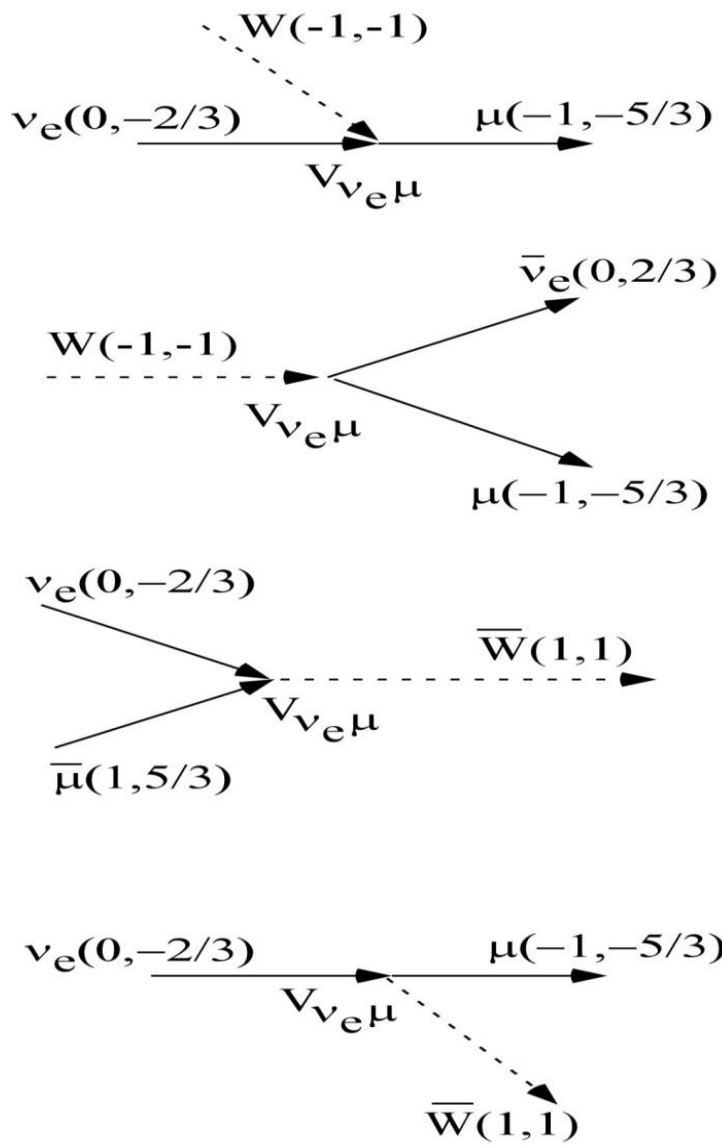
$$\mu \longrightarrow W + \nu_\mu$$

$$(-1, -5/3) = (-1, 0) + (0, -5/3)$$

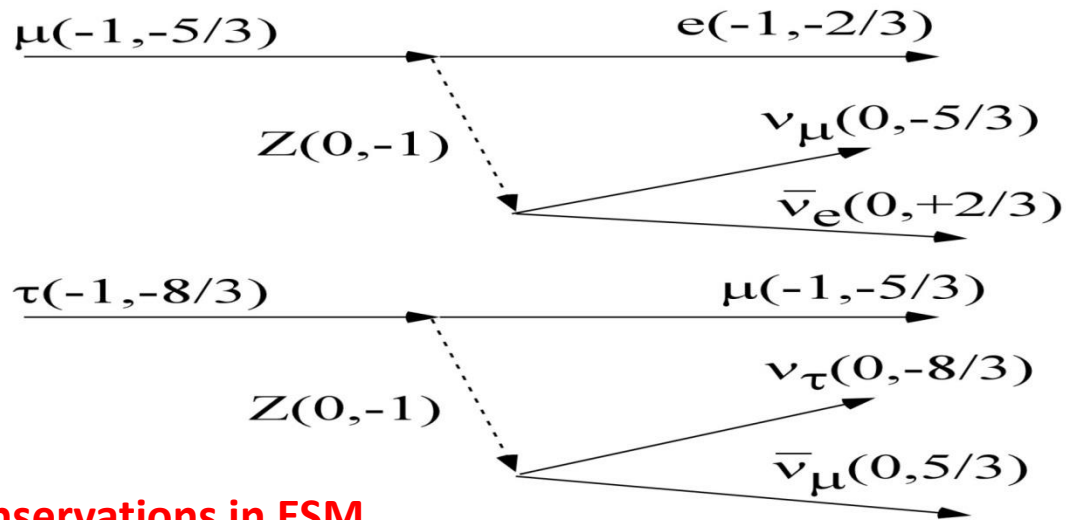
$$W \longrightarrow e + \bar{\nu}_e$$

$$(-1, 0) = (-1, -2/3) + (0, +2/3)$$





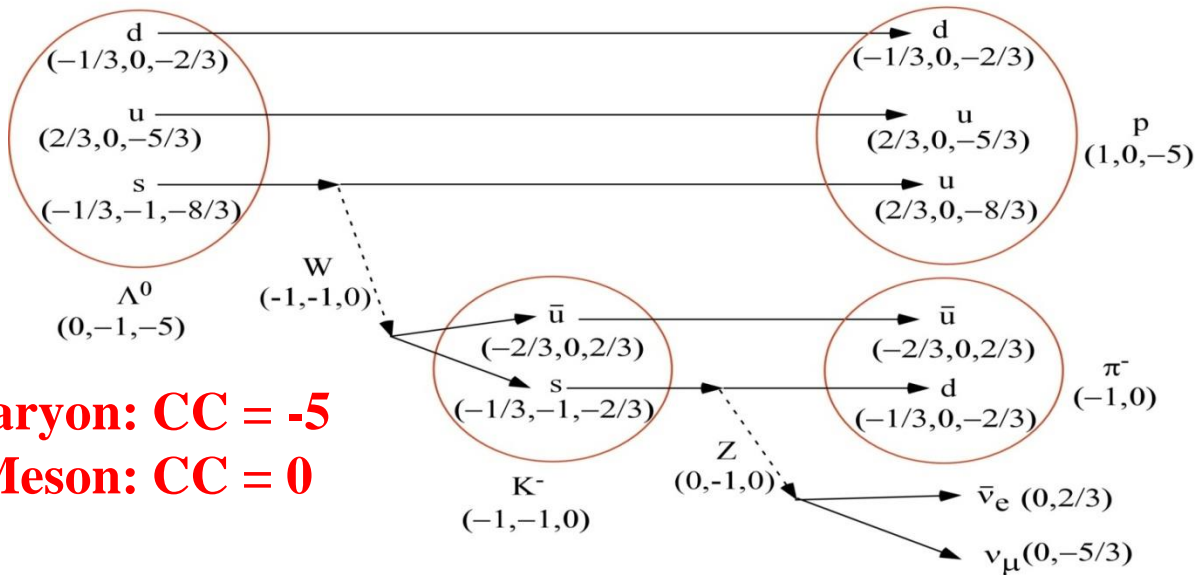
Lepton matrix element ( $V_{\nu_e \mu}$ ) is compared with the quark matrix element ( $V_{us}$ ).



**EC, LC, CC: Conservations in ESM**

$$\Lambda^0 \rightarrow p + K^- \rightarrow p + \pi^- + \bar{\nu}_e + \nu_\mu$$

$$(0, -1, -5) \quad (1, 0, -5) \quad (-1, -1, 0) \quad (1, 0, -5) \quad (-1, 0) \quad (0, 2/3) \quad (0, -5/3)$$

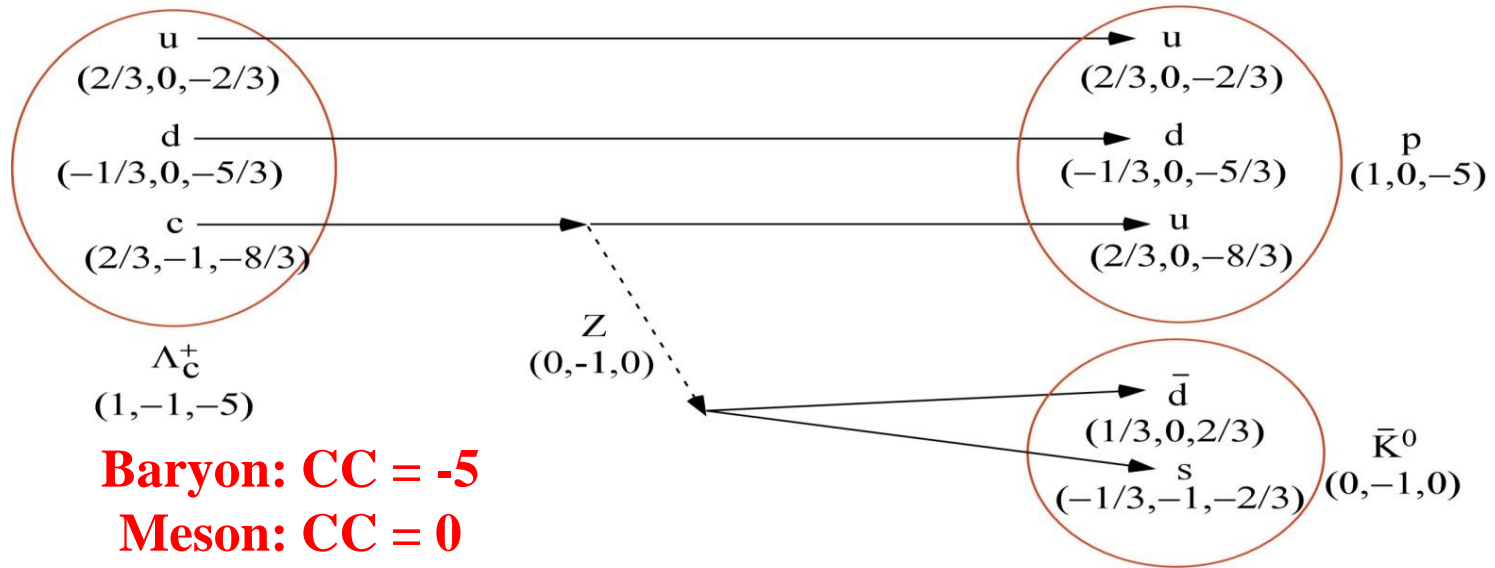


**Baryon: CC = -5**

**Meson: CC = 0**

$$\Lambda_c^+ \longrightarrow p + \bar{K}^0$$

$$(1,-1,-5) \quad (1,0,-5) \quad (0,-1,0)$$



### EC, LC, CC: Conservations in ESM

$$\Sigma^+ \longrightarrow n + \pi^+ + \bar{\nu}_e + \nu_\mu$$

$$(1,-1,-5) \quad (0,0,-5) \quad (1,0,0) \quad (0,2/3) \quad (0,-5/3)$$

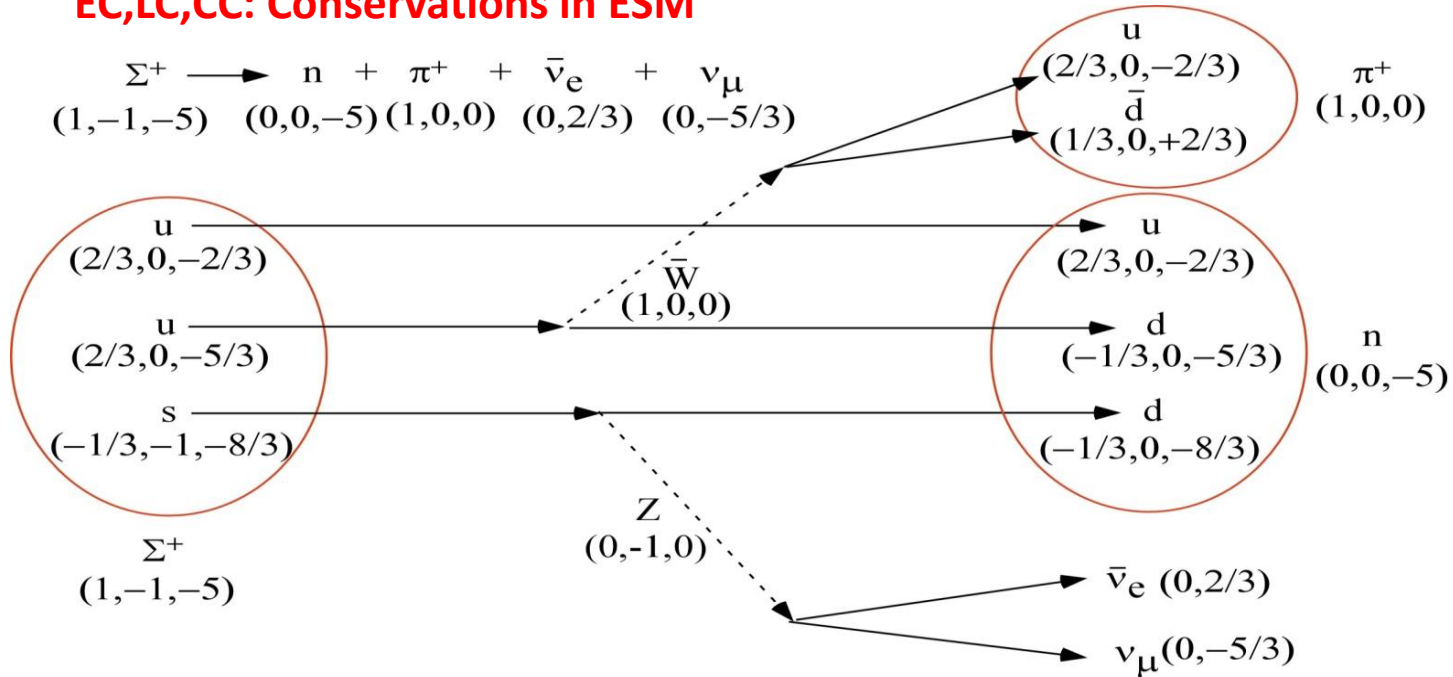


Table 3. Electric charges (EC), lepton charges (LC) and color charges (CC) for the elementary fermion particles. Red colored ones have been previously known. All charges are normalized to ECs of  $e$  (EC=-1) and  $\nu_e$  (EC=0).  $u(r) = (2/3, 0, -2/3) = (EC, LC, CC)$ .

EC flavor	x1x2x3	x1x2x3	x1x2x3
x1	-2/3(B1)	0( $\nu_e, \nu_\mu, \nu_\tau$ )	2/3(u, c, t)
x2	-5/3(B2)	-1(e, $\mu, \tau$ )	-1/3(d, s, b)
x3	-8/3(B3)	-2(L $_e, L_\mu, L_\tau$ )	-4/3(Q1, Q2, Q3)
Total EC	-5	-3	-1
LC flavor		x4x5x6	x4x5x6
x4		-2/3( $\nu_e, e, L_e$ )	0(u, d, Q1)
x5		-5/3( $\nu_\mu, \mu, L_\mu$ )	-1(c, s, Q2)
x6		-8/3( $\nu_\tau, \tau, L_\tau$ )	-2(t, b, Q3)
Total LC		-5	-3
CC flavor			x7x8x9
x7			-2/3(r)
x8			-5/3(g)
x9			-8/3(b)
Total CC			-5

Bastons,  
(Dark matters)

Leptons,

Quarks

Possible rest masses of B1, B2,  $L_e, L_\mu, L_\tau, Q3$  are  $3.57(2) \text{ keV}/c^2, 42.7(7) \text{ GeV}/c^2, 375 \text{ GeV}/c^2, 5 \text{ TeV}/c^2, 4 \cdot 10^6 \text{ GeV}/c^2$  and  $\sim 4 \cdot 10^{7-10} \text{ GeV}/c^2$ , respectively.

Gravitational force: graviton (charge independent):  $g(0) \leftrightarrow g(0,0) \leftrightarrow g(0,0,0)$

Electromagnetic force: photon (charge dependent):

$$\gamma(0) \leftrightarrow \times \gamma(0,0) \leftrightarrow \times \gamma(0,0,0)$$

**Glucos are replaced with these bosons.**

EC flavor	x1x2x3	x1x2x3	x1x2x3
x1	0 Z(0)	0 Z(0,0),Z(0,-1),Z(0,-2)	0 Z(0,0),Z(0,-1),Z(0,-2)
x2	-1 W(-1)	-1 W(-1,0),W(-1,-1),W(-1,-2)	-1 W(-1,0),W(-1,-1),W(-1,-2)
x3	-2 Y(-2)	-2 Y(-2,0),Y(-2,-1),Y(-2,-2)	-2 Y(-2,0),Y(-2,-1),Y(-2,-2)
Total EC	-3	-3	-3
LC flavor		x4x5x6	x4x5x6
x4		0 Z(0,0),W(-1,0),Y(-2,0)	0 Z(0,0),W(-1,0),Y(-2,0)
x5		-1 Z(0,-1),W(-1,-1),Y(-2,-1)	-1 Z(0,-1),W(-1,-1),Y(-2,-1)
x6		-2 Z(0,-2),W(-1,-2),Y(-2,-2)	-2 Z(0,-2),W(-1,-2),Y(-2,-2)
Total LC		-3	-3
CC flavor			x7x8x9
x7			0 CC(0)
x8			-1 CC(-1)
x9			-2 CC(-2)
Total CC			-3

Dark matter force,

Weak force,

Strong force

Background fluctuation bosons (s=0,1,2) (zero charges, xi-xj):  
photon (s =1, m=0),  
graviton (s =2, m=2.1248 10<sup>-31</sup> eV/c<sup>2</sup> ),  
b(baedal or bumo) - boson (s =0,1, E<sub>b</sub>=8.1365 10<sup>38</sup>x<sup>2</sup> (eV)(x:m))

### Elementary particles

39 Fermions (s =1/2)

Quark (xi-xj-xk)  
(3x3x3=27) (EC,LC,CC)  
Lepton (xi-xj)  
(3x3=9) (EC,LC)  
Baston (xi)  
(3) (EC)

39 Bosons (s =1)

Z/W/Y (xi-xj-xk)  
(3x3x3=27) (EC,LC,CC)  
Z/W/Y (xi-xj)  
(3x3=9) (EC,LC)  
Z/W/Y (xi)  
(3) (EC)

## Particles

Hadrons (xi-xj-xk ) (EC,LC,CC)

Baryon (3 quarks) **CC = -5**  
Meson (quark-antiquark) **CC = 0**

Hadrons (xi-xj) (EC,LC)

Paryon (3 leptons) **LC = -5**  
Koron (lepton-antilepton) **LC = 0**

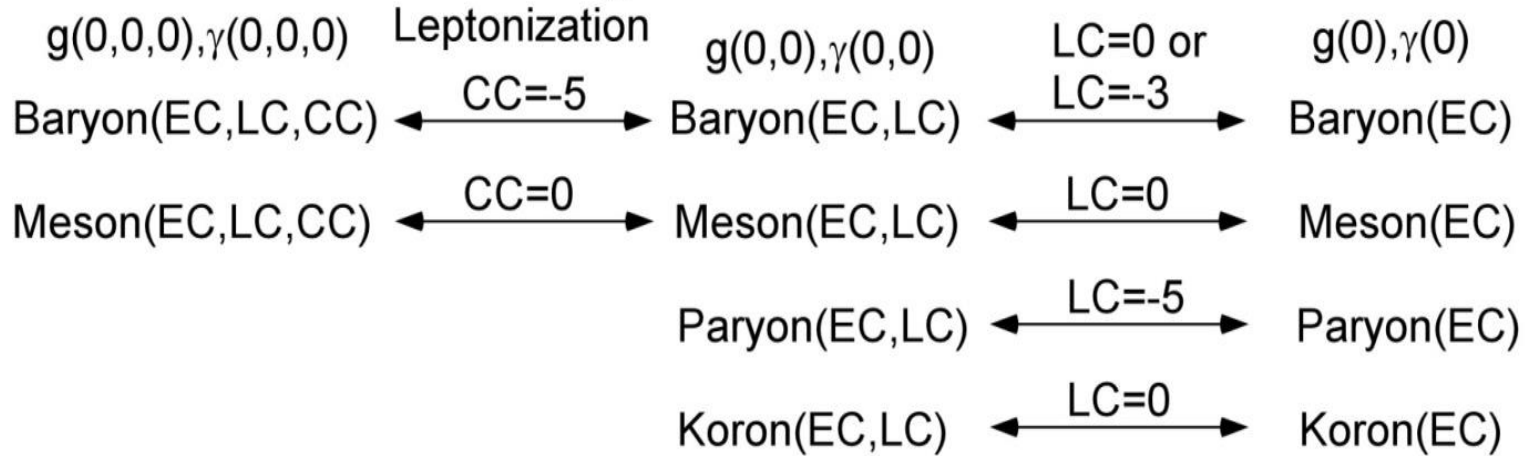
Hadrons (xi) (EC)

Josym (3 bastons) **EC = -5**  
Baram (baston-antibaston) **EC = 0**

Hadrons (Matters)

Hadronization

Bastonization



$g(0,0,0) \longleftrightarrow g(0,0) \longleftrightarrow g(0)$ : Graviton  
 $\gamma(0,0,0) \longleftrightarrow \gamma(0,0) \longleftrightarrow \gamma(0)$ : Photon

Josym(EC)

Baram(EC)

Baryon(-1,-3,-5)  $\longleftrightarrow$   $x_1x_2x_3-x_4x_5x_6-x_7x_8x_9$  particle

Paryon(-3,-5)  $\longleftrightarrow$   $x_1x_2x_3-x_4x_5x_6$  particle

Josym(-5)  $\longleftrightarrow$   $x_1x_2x_3$  particle



# Summary

- Three-dimensional quantized space model: New extended standard model.
- Three generations of the leptons and quarks correspond to the lepton charges.
- Quarks have three charges of EC, LC and CC, and leptons have two charges of EC and LC.
- New particles of bastons have only one charge of EC and are the dark matters.
- The dark matter force is introduced with the new Z/W/Y(EC) bosons.
- The gluons are replaced with the new Z/W/Y(EC,LC,CC) bosons.
- Proton decay is Impossible
- Neutrinos are not Majorana particles because of the non-zero lepton charges.
- X(16.70(35) MeV) peak with the spin of  $1^+$  is proposed as the first Koron of  $\pi_1^0 (e^+e^-)(0,0)$  observed experimentally.

Meson (quark-antiquark)  $\pi^0 (\underline{u} u)(0,0,0)$

Koron (lepton-antilepton)  $\pi_1^0 (e^+e^-)(0,0)$

- $\pi_1^0 (e^+e^-)$  is the good candidate of the neutral boson (X) for the lithium problem.
- Dark matters (Bastons) are interacting with the leptons and hadrons by the gravitational force.
- Z and  $W^-$  boson in standard model are Z(0,0) and W(-1,0) in the present work, respectively.
- Dark matter force, weak force and strong force are explained consistently.
- Possible rest masses of B1, B2, Le,  $L_\mu$ ,  $L_\tau$ , Q3 are  $3.57 \text{ keV}/c^2$ ,  $42.7(7) \text{ GeV}/c^2$ ,  $375 \text{ GeV}/c^2$ ,  $5 \text{ TeV}/c^2$ ,  $4 \cdot 10^6 \text{ GeV}/c^2$  and  $4 \cdot 10^{7-10} \text{ GeV}/c^2$ , respectively.
- From the B1 – e and B1 –  $\mu$  reactions, the cosmic e and  $\mu$  particles are transferred to the cosmic  $\nu_e$  and  $\nu_\mu$  neutrinos, respectively.

- See, for more details, the papers of
- “Dark matters, proton radius problem, cosmic lithium problem, elementary particles and new extended standard model”,
- “Elementary Particles, dark matter candidate and new extended standard model”, and
- “Three-dimensional quantized spaces, universe, elementary particles, quantum mechanics, general relativity theory and dark matters”
- which can be found in  
[https://www.researchgate.net/profile/J\\_Hwang2](https://www.researchgate.net/profile/J_Hwang2) .

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Thank you

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Jae - Kwang Hwang  
JJJ Physics Laboratory

New physics model  
proposed, for the first time,  
by myself.

## Journey into the universe

Three-dimensional quantized spaces, elementary particles, quantum mechanics, general relativity theory, dark matters and dark energy

Jae-Kwang Hwang  
JJJ Physics Laboratory

Full paper to be downloaded;  
JJJPL report 20160101-1 (2016).  
researchgate.net; DOI:10.13140/RG.2.1.2388.4561.  
[https://www.researchgate.net/profile/J\\_Hwang2](https://www.researchgate.net/profile/J_Hwang2)

# Journey into the universe

## Three-dimensional quantized spaces, elementary particles and quantum mechanics

Mother universe

(x0y0z0) space with the infinite space-time range

$q = 0$ ,  $E = \text{infinite}$ ,  $P_t$  : not defined,  $P_x$  : not defined

Daughter universes

(x1x2x3), (x4x5x6), (x7x8x9) spaces with the quantum time of  $t_q$

$q = 0$  (flat space) or  $q \neq 0$  (warped space)

$P_t = E/c > 0$ ,  $P_x \neq 0$  (non-zero positive energy): Finite space range

Matters ( $q < 0$ ) with  $E > 0$ :

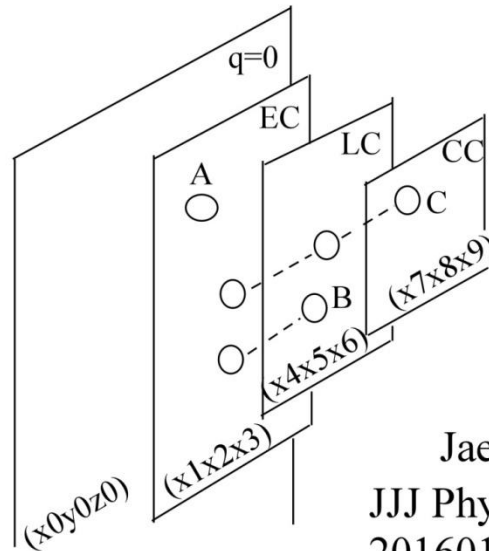
A: x1x2x3 minimum warped quantum:  $EC = -5$  (3 bastons)

B: x1x2x3-x4x5x6 minimum warped quantum:  $EC = -3$ ,  $LC = -5$

( $3 \times 3 = 9$  leptons)

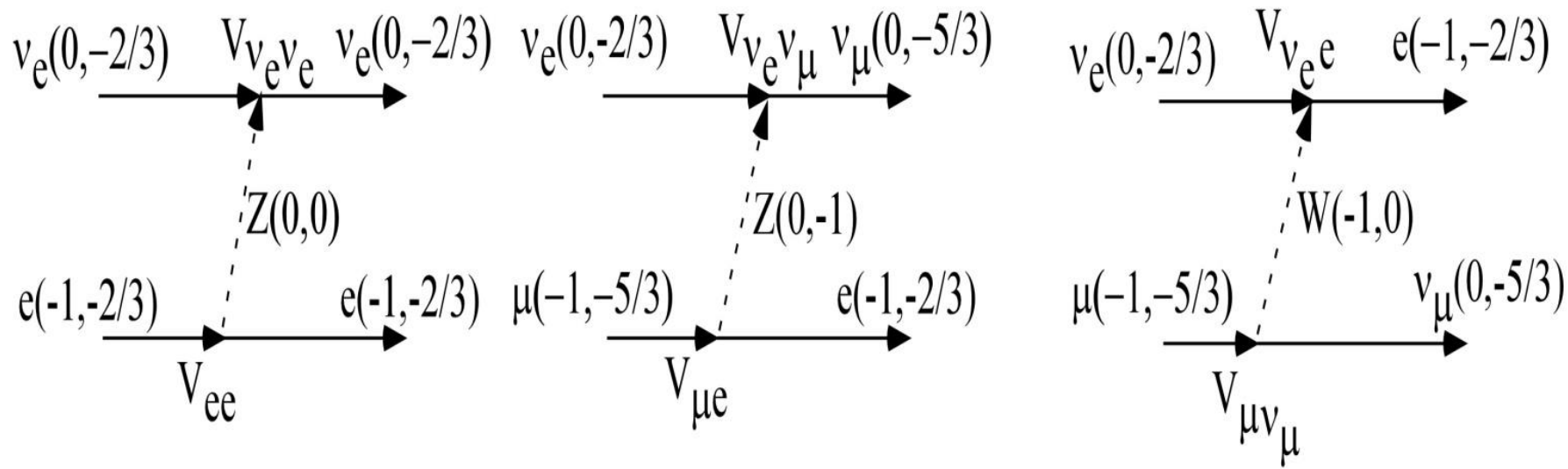
C: x1x2x3-x4x5x6-x7x8x9 minimum warped quantum:

$EC = -1$ ,  $LC = -3$ ,  $CC = -5$  ( $3 \times 3 \times 3 = 27$  quarks)

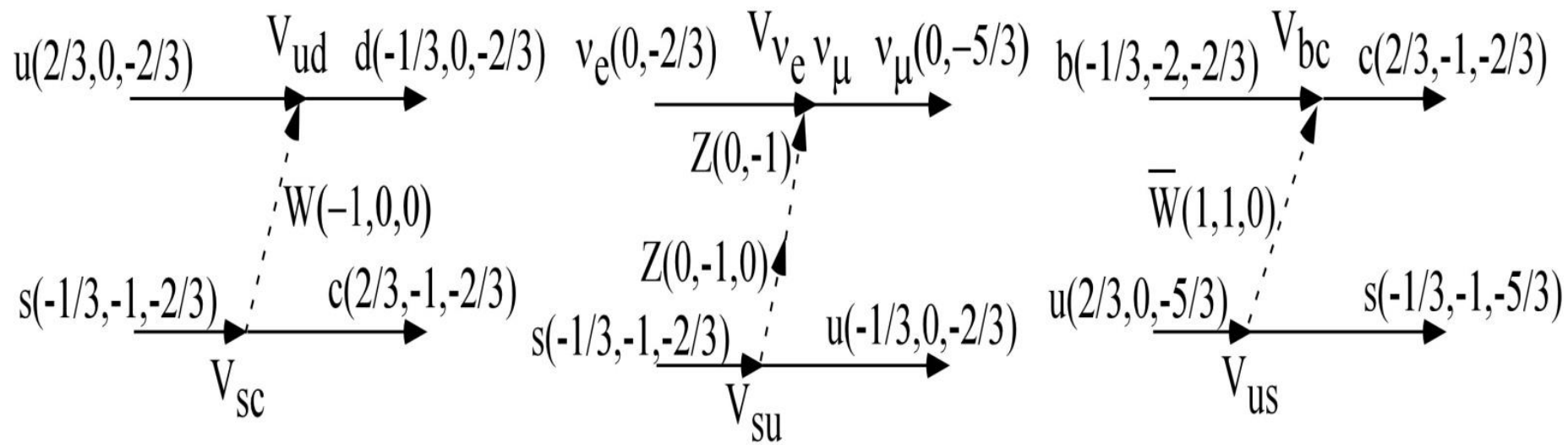


A(-5)  
B(-3,-5)  
C(-1,-3,-5)

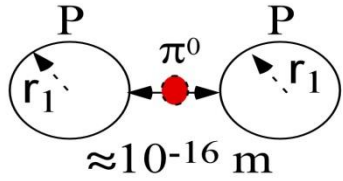
Jae - Kwang Hwang,  
JJJ Physics Laboratory report,  
20160101-1 (2016)



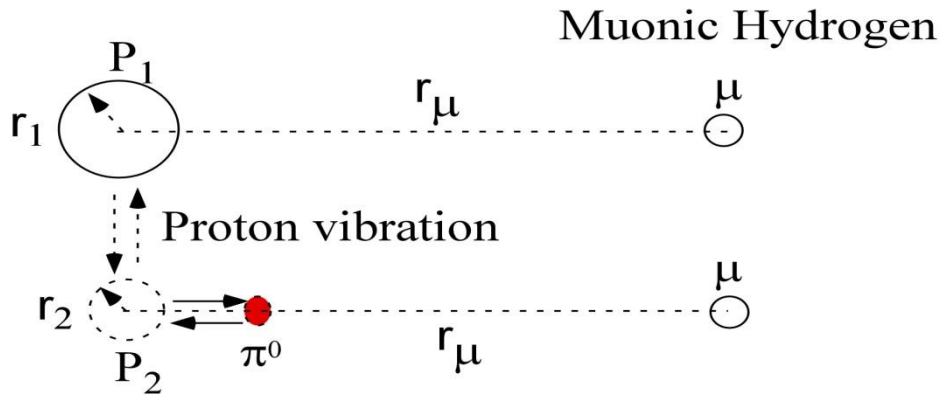
**EC, LC, CC: Conservations in ESM**



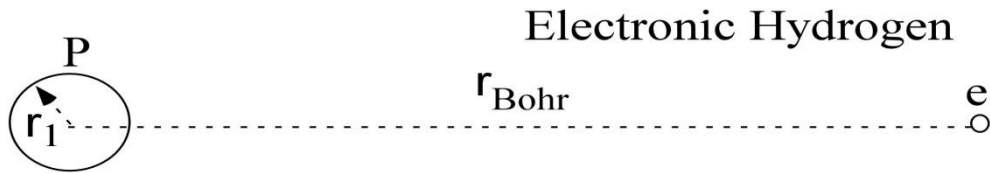
# Proton charge radius problem



Proton pair



Muonic Hydrogen



Electronic Hydrogen

$$E_p = 938.27 \cdot 10^6 \text{ eV}, \quad r_1 = 0.8768(69) \cdot 10^{-15} \text{ m}$$

$$E_\pi = 135 \cdot 10^6 \text{ eV}, \quad E_1 = E_p = E_2 + E_\pi$$

$$E_{p\mu} = (E_1 + E_2)/2 = E_p - E_\pi/2 = 870.77 \cdot 10^6 \text{ eV}$$

$$r_{p\mu} = 0.84184(67) \cdot 10^{-15} \text{ m}$$

$$r_2 < r_{p\mu} < r_1, \quad \text{Here, } E = mc^2.$$

$$r_\mu = (E_e / E_\pi) r_{\text{Bohr}}$$

The calculated average proton radius ( $r_{p\mu}$ ) is  **$0.84467 \cdot 10^{-15} \text{ m}$**  from the equation of  $E_p = 12.2047 \cdot 10^{38} r_p^2 \text{ (eV, m)}$  and  $0.8552 \cdot 10^{-15} \text{ m}$  from the equation of  $E_p = 1.3920 \cdot 10^{54} r_p^3 \text{ (eV, m)}$ . The experimental proton radius ( $r_{p\mu}$ ) is  **$0.84184(67) \cdot 10^{-15} \text{ m}$**  and  $0.84087(39) \cdot 10^{-15} \text{ m}$ .

The proton charge radius problem is explained by using the proton vibration. The proton vibration repeats the emitting and absorbing process of the  $\pi^0$  meson. The proton vibration takes place in the muonic hydrogen but not in the electronic hydrogen because the muon is much closer to the proton than the electron. The distance of the electron from the proton is  $r_{\text{Bohr}} = 5.29 \cdot 10^{-11}$  m and the distance of the muon from the proton is  $r_{\mu} = 2.557 \cdot 10^{-13}$  m. Under this proposition, the average proton radius ( $r_{p\mu}$ ) can be calculated from the average proton energy ( $E_{p\mu}$ ). The proton energy ( $E_p = mc^2 = 938.27 \cdot 10^6$  eV) is related to the proton radius by two equations of  $E_p = 12.2047 \cdot 10^{38} r_p^2$  (eV, m) and  $E_p = 1.3920 \cdot 10^{54} r_p^3$  (eV, m) where  $r_p$  is  $0.8768(69) \cdot 10^{-15}$  m [3]. The obtained average proton energy ( $E_{p\mu}$ ) is  $870.77 \cdot 10^6$  eV. Then the calculated average proton radius ( $r_{p\mu}$ ) is  $0.84467 \cdot 10^{-15}$  m from the equation of  $E_p = 12.2047 \cdot 10^{38} r_p^2$  (eV, m) and  $0.8552 \cdot 10^{-15}$  m from the equation of  $E_p = 1.3920 \cdot 10^{54} r_p^3$  (eV, m). The experimental proton radius ( $r_{p\mu}$ ) is  $0.84184(67) \cdot 10^{-15}$  m [4] and  $0.84087(39) \cdot 10^{-15}$  m [5]. The calculated average proton radii of  $0.84467 \cdot 10^{-15}$  m and  $0.8552 \cdot 10^{-15}$  m are consistent with the experimental proton radii of  $0.84184(67) \cdot 10^{-15}$  m and  $0.84087(39) \cdot 10^{-15}$  m. Therefore, the proton charge radius problem can be explained by using the proton vibration connected with the  $\pi^0$  meson.

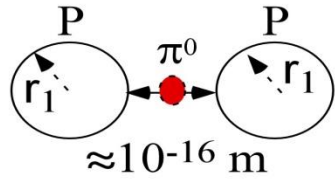
[3] P.J. More et al., Review of Mod. Phys. **80**, 633 (2008).

[4] R. Pohl et al., Nature **466**, 213 (2010).

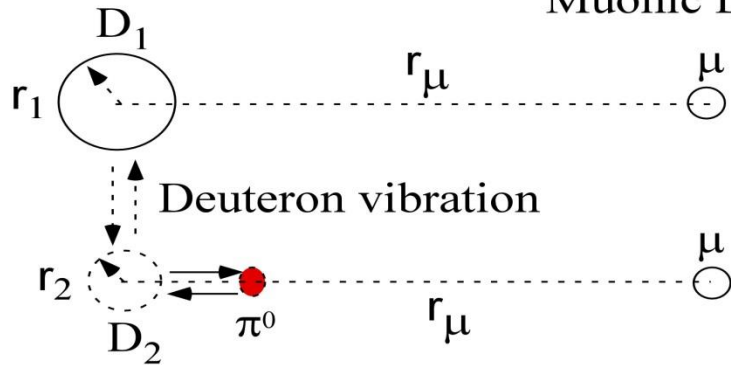
[5] A. Antognini et al., Science **339**, 417 (2013).



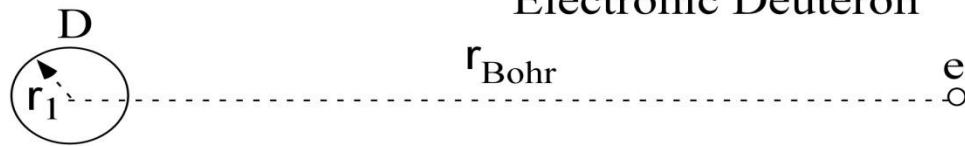
# Deuteron charge radius problem



Proton pair



Muonic Deuteron



Electronic Deuteron

$$E_D = 1875.6 \cdot 10^6 \text{ eV}, \quad r_1 = 2.1424(21) \cdot 10^{-15} \text{ m}$$

$$E_\pi = 135 \cdot 10^6 \text{ eV}, \quad E_1 = E_D = E_2 + E_\pi$$

$$E_{D\mu} = (E_1 + E_2)/2 = E_D - E_\pi/2 = 1808.1 \cdot 10^6 \text{ eV}$$

$$r_{D\mu} = 2.12562(78) \cdot 10^{-15} \text{ m}$$

$$r_2 < r_{D\mu} < r_1, \quad \text{Here, } E = mc^2.$$

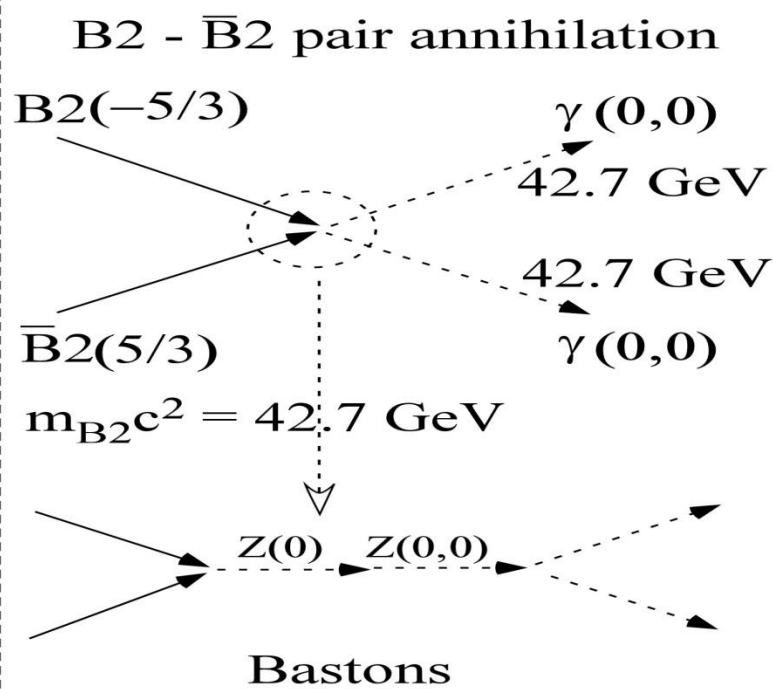
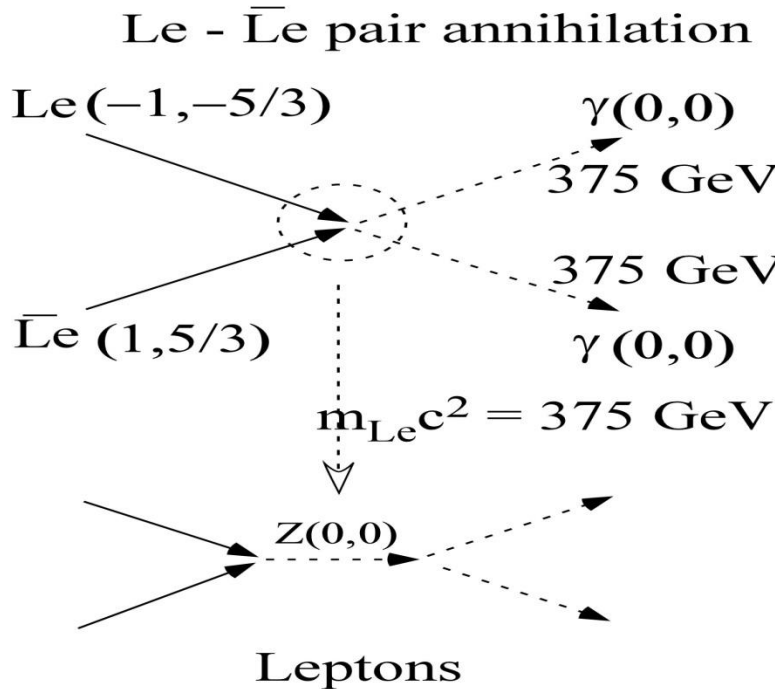
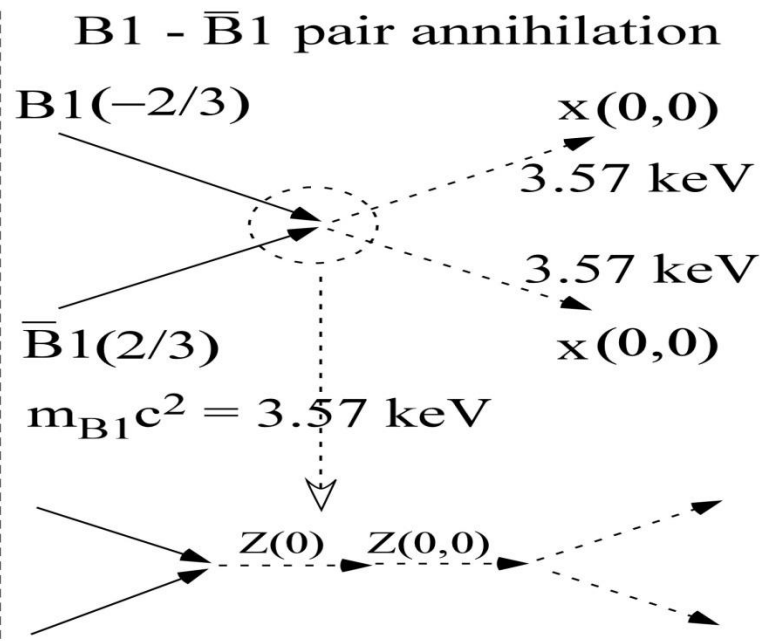
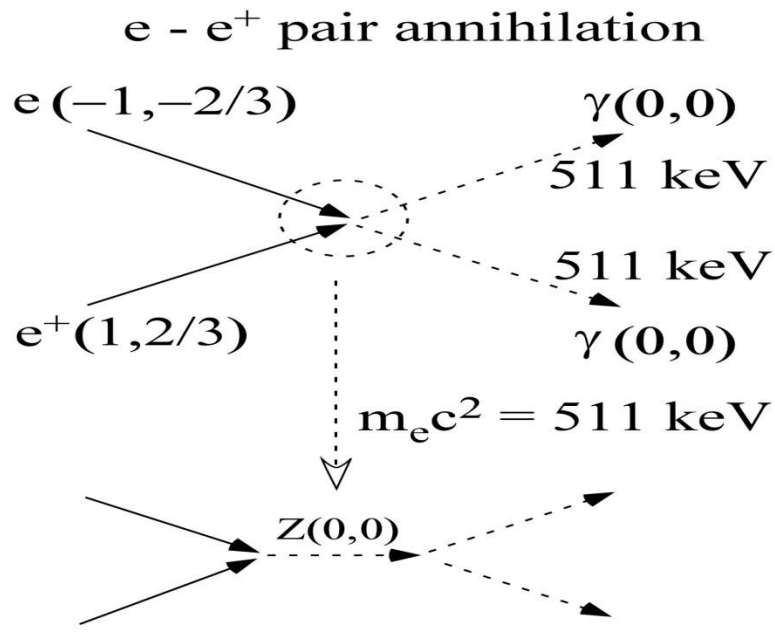
$$r_\mu = (E_e / E_\pi) r_{\text{Bohr}}$$

The calculated average deuteron radius ( $r_{D\mu}$ ) is  **$2.11632 \cdot 10^{-15} \text{ m}$**  from the equation of  $E_D = 1.9074 \cdot 10^{53} r_D^3 \text{ (eV, m)}$  and  $2.10349 \cdot 10^{-15} \text{ m}$  from the equation of  $E_p = 4.0864 \cdot 10^{38} r_D^2 \text{ (eV, m)}$ . The experimental deuteron radius ( $r_{D\mu}$ ) is  **$2.12562(78) \cdot 10^{-15} \text{ m}$** .

R. Pohl et al., Science 353, 669 (2016).

The deuteron charge radius problem [6] is explained by using the deuteron vibration. The deuteron vibration repeats the emitting and absorbing process of the  $\pi^0$  meson. The deuteron vibration takes place in the muonic deuteron but not in the electronic deuteron because the muon is much closer to the deuteron than the electron. The distance of the electron from the deuteron is  $r_{\text{Bohr}} = 5.29 \cdot 10^{-11}$  m and the distance of the muon from the deuteron is  $r_{\mu} = 2.557 \cdot 10^{-13}$  m. Under this proposition, the average muonic deuteron radius ( $r_{\text{D}\mu}$ ) can be calculated from the average muonic deuteron energy ( $E_{\text{D}\mu}$ ). The deuteron energy ( $E_{\text{D}} = mc^2 = 1875.6 \cdot 10^6$  eV) is related to the deuteron radius by two equations of  $E_{\text{D}} = 4.0864 \cdot 10^{38} r_{\text{D}}^2$  (eV, m) and  $E_{\text{D}} = 1.9074 \cdot 10^{53} r_{\text{D}}^3$  (eV, m) where  $r_{\text{D}}$  is  $2.1424(21) \cdot 10^{-15}$  m [6]. The obtained average deuteron energy ( $E_{\text{D}\mu}$ ) is  $1808.1 \cdot 10^6$  eV. Then the calculated average muonic deuteron radius ( $r_{\text{D}\mu}$ ) is  $2.10349 \cdot 10^{-15}$  m from the equation of  $E_{\text{D}} = 4.0864 \cdot 10^{38} r_{\text{D}}^2$  (eV, m) and  $2.11632 \cdot 10^{-15}$  m from the equation of  $E_{\text{D}} = 1.9074 \cdot 10^{53} r_{\text{D}}^3$  (eV, m). The experimental muonic deuteron radius ( $r_{\text{D}\mu}$ ) is  $2.12562(78) \cdot 10^{-15}$  m [6]. The calculated average muonic deuteron radius of  $2.11632 \cdot 10^{-15}$  m is consistent with the experimental muonic deuteron radius of  $2.12562(78) \cdot 10^{-15}$  m. Therefore, the deuteron charge radius problem can be explained by using the deuteron vibration connected with the  $\pi^0$  meson.

[6] R. Pohl et al., Science **353**, 669 (2016).



$$\pi_d^0 \quad 144.2 \text{ MeV}$$

$$d\bar{d} \quad (-1/3, 0, -2/3) \quad (1/3, 0, 2/3)$$
  

$$\eta_d \quad 556.5 \text{ MeV}$$

$$d\bar{d} \quad (-1/3, 0, -5/3) \quad (1/3, 0, 5/3)$$
  

$$f_{1d} \quad 1294.2 \text{ MeV}$$

$$d\bar{d} \quad (-1/3, 0, -8/3) \quad (1/3, 0, 8/3)$$

$$\pi^0 \quad 135 \text{ MeV}$$

$$u\bar{u} \quad (2/3, 0, -2/3) \quad (-2/3, 0, 2/3)$$
  

$$\eta \quad 547.3 \text{ MeV}$$

$$u\bar{u} \quad (2/3, 0, -5/3) \quad (-2/3, 0, 5/3)$$
  

$$f_1(1285)$$

$$u\bar{u} \quad (2/3, 0, -8/3) \quad (-2/3, 0, 8/3)$$

$$144.2 \text{ MeV } \pi_d^0 \quad d\bar{d} \quad \longrightarrow \quad 2\gamma \quad (?) \quad \text{New}$$

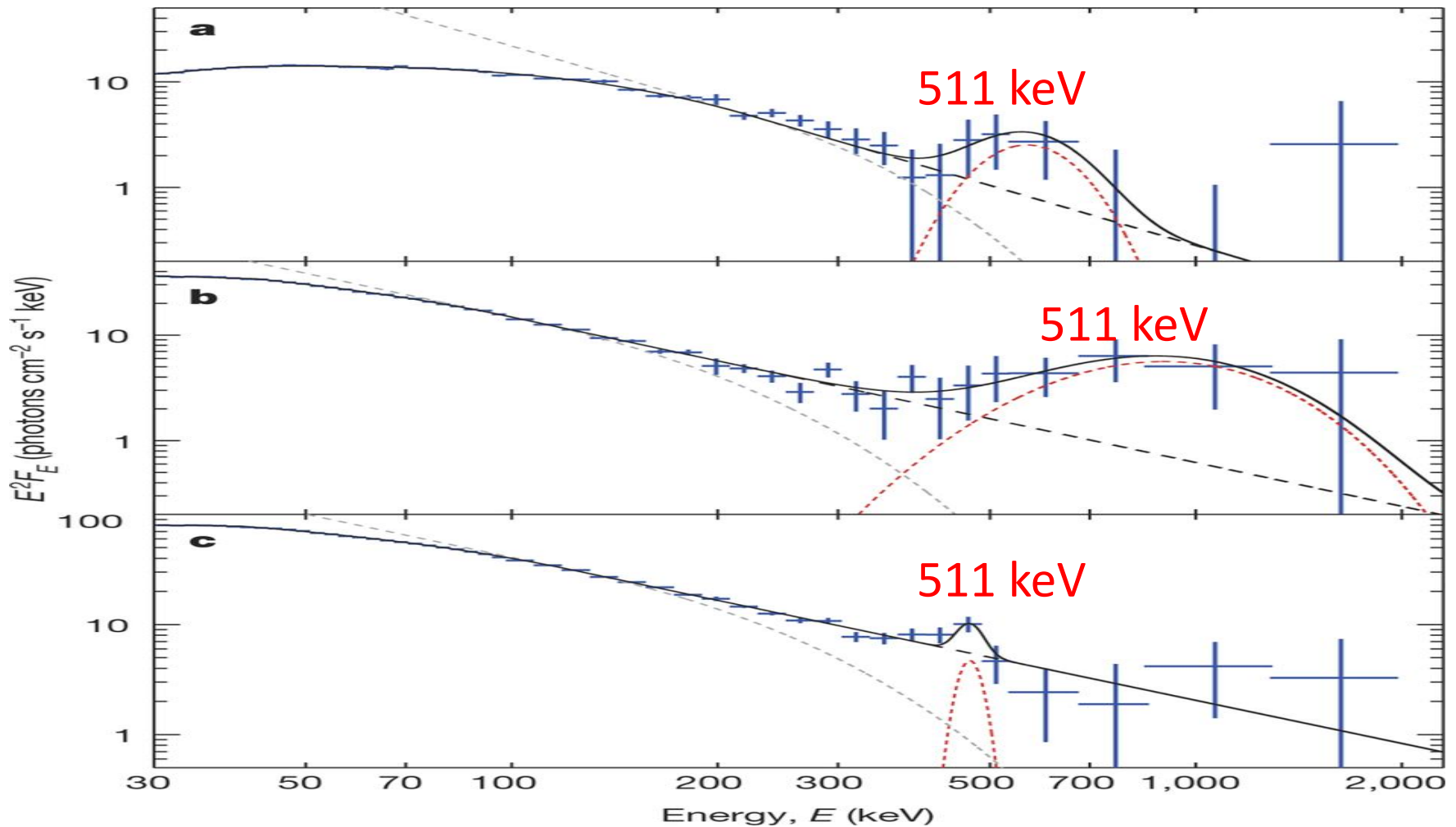
$$(-1/3, 0, -2/3) \quad (1/3, 0, 2/3) \quad \quad \quad (0, 0) \quad (0, 0)$$

$$139.6 \text{ MeV } \pi^+ \quad u\bar{d} \quad \longrightarrow \quad \mu^+ + \nu_\mu$$

$$(2/3, 0, -2/3) \quad (1/3, 0, 2/3) \quad \quad \quad (1, 5/3) \quad (0, -5/3)$$

$$\frac{u\bar{u} - d\bar{d}}{\sqrt{2}} \quad 135 \text{ MeV } \pi^0 \quad u\bar{u} \quad \longrightarrow \quad 2\gamma$$

$$(2/3, 0, -2/3) \quad (-2/3, 0, 2/3) \quad \quad \quad (0, 0) \quad (0, 0)$$



Spectral evolution of V404 Cygni. a-c, Spectra in the soft gamma-ray band in three different flaring epochs (a-c show the spectra measured in INTEGRAL orbits 1554, 1555 and 1557, corresponding to epochs 1, 2 and 3, respectively).

T. Siegert et al., arXiv:1603.01169 (2016).

**Electron-positron annihilation peak at 511 keV.**

## Summary

Elementary particle decays and reactions are discussed in terms of the three-dimensional quantized space model beyond the standard model. Three generations of the leptons and quarks correspond to the lepton charges. Three heavy leptons and three heavy quarks are introduced. And the bastons (new particles) are proposed as the possible candidate of the dark matters. Dark matter force, weak force and strong force are explained consistently. Also, it is shown that, because of the non-zero lepton charge, the neutrino is not the Majorana particle. Possible rest masses of the new particles are, tentatively, proposed for the experimental searches. The unknown neutral X boson with the rest mass of  $16.7 \text{ MeV}/c^2$  is proposed as the Koron of  $\pi_1^0$  with e and  $e^+$  which can explain the cosmic Lithium problem.

- See, for more details, the papers of
- “Dark matters, proton radius problem, cosmic lithium problem, elementary particles and new extended standard model”,
- “Elementary Particles, dark matter candidate and new extended standard model”, and
- “Three-dimensional quantized spaces, universe, elementary particles, quantum mechanics, general relativity theory and dark matters”
- which can be found in  
[https://www.researchgate.net/profile/J\\_Hwang2](https://www.researchgate.net/profile/J_Hwang2) .

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Thank you

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