

# **SHAPIRO 100**

**Opening UCN – Heroic Period**

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**DUBNA**

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# Bio Data

- Spallation Neutron Source, Oak Ridge National Laboratory, USA, Tennessee
- VULCAN, Materials science and engineering diffractometer, instrument scientist
- Dubna: Dec. 1975 – Dec. 1979, UCN – Storage anomaly, A. V. Strelkov

Heroic ?

- lack of prediction
- lack of resources

# UCN Storage Anomaly: Heating

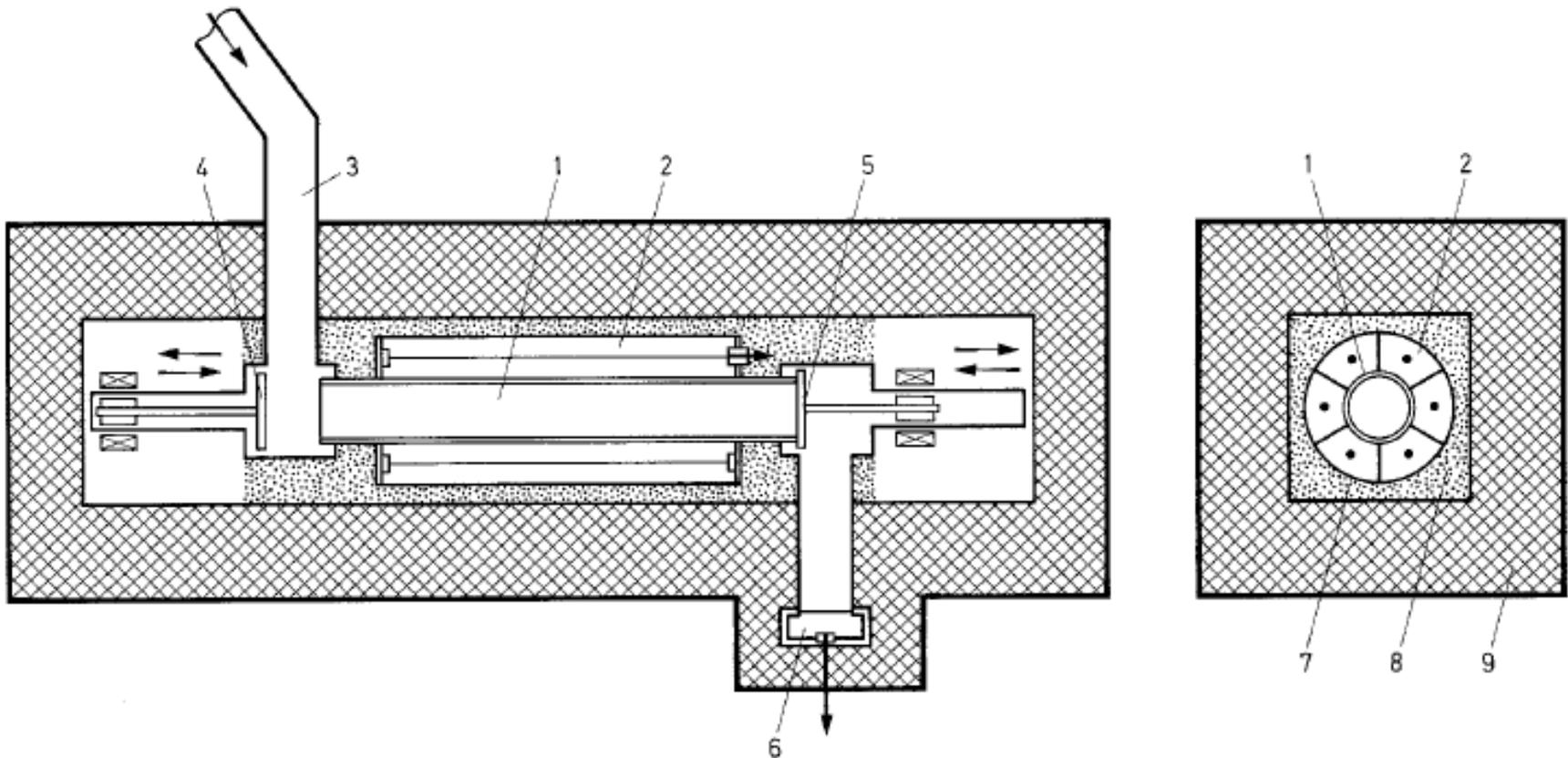
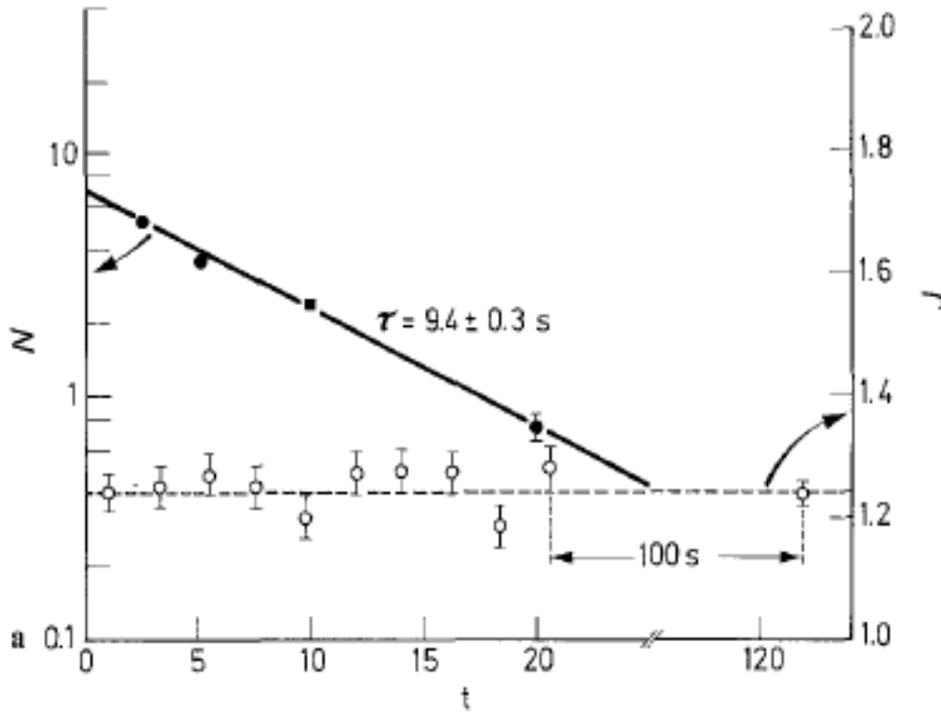
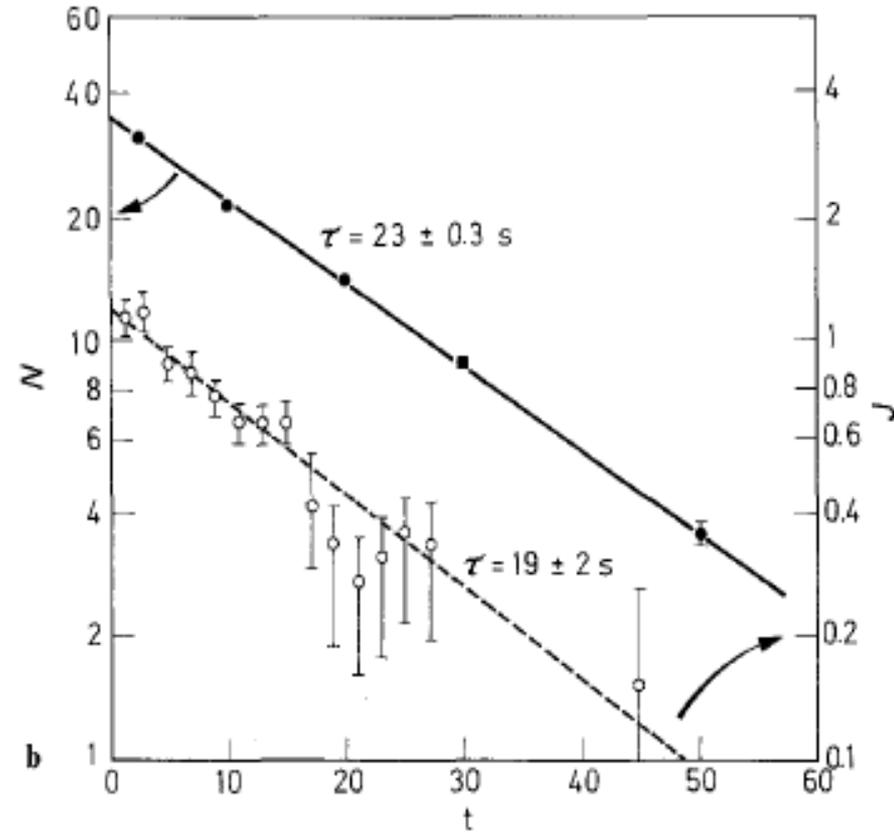


Fig. 1. Experimental set-up. 1 Neutron storage vessel, 2 six-chamber cylindrical  $\text{He}^3$  counter, 3 UCN-channel, 4 entrance valve, 5 exit valve, 6 UCN detector, 7 Cd 1.5 mm, 8  $\text{B}_4\text{C}$ , 9  $(\text{CH}_2)_n + \text{B}$

# UCN Storage Anomaly: Heating

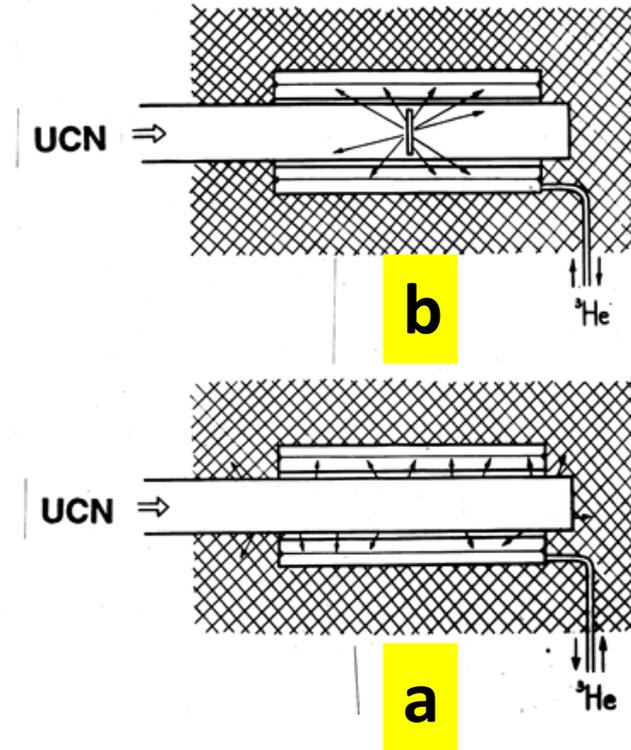
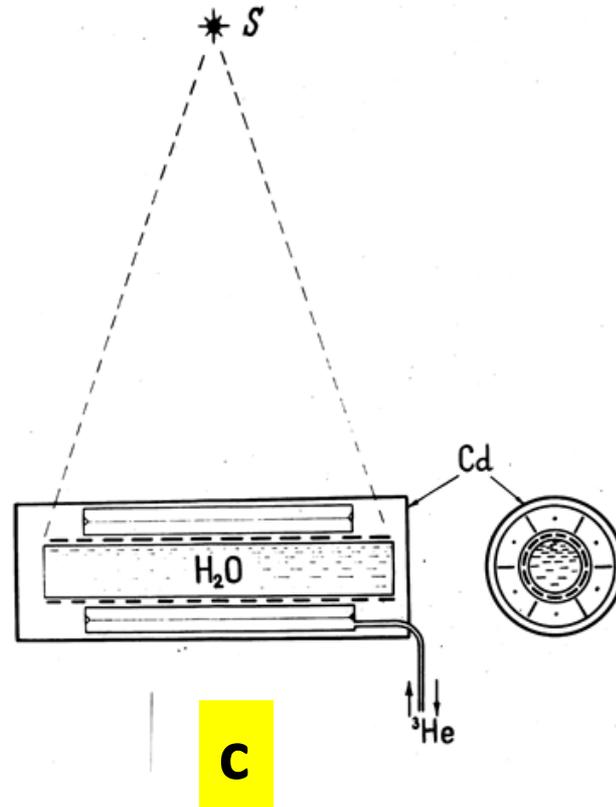
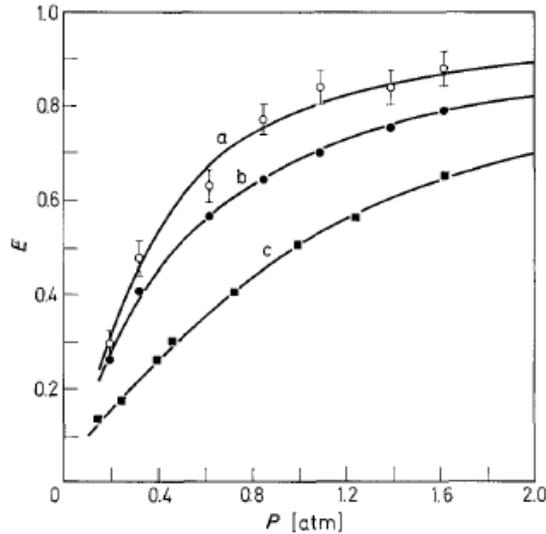


Small  $\text{He}^3$  pressure



High  $\text{He}^3$  pressure

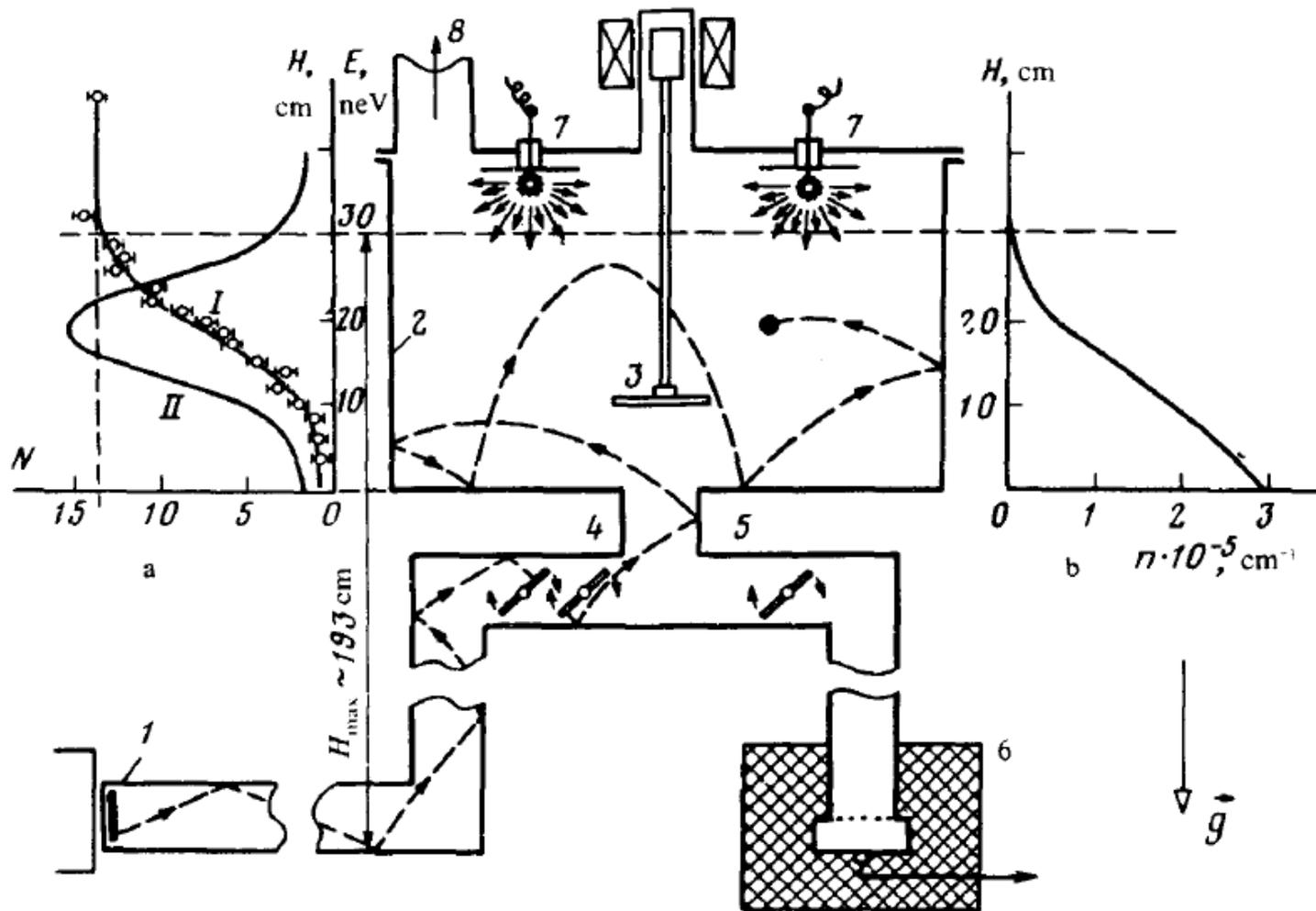
# UCN Storage Anomaly: Heating



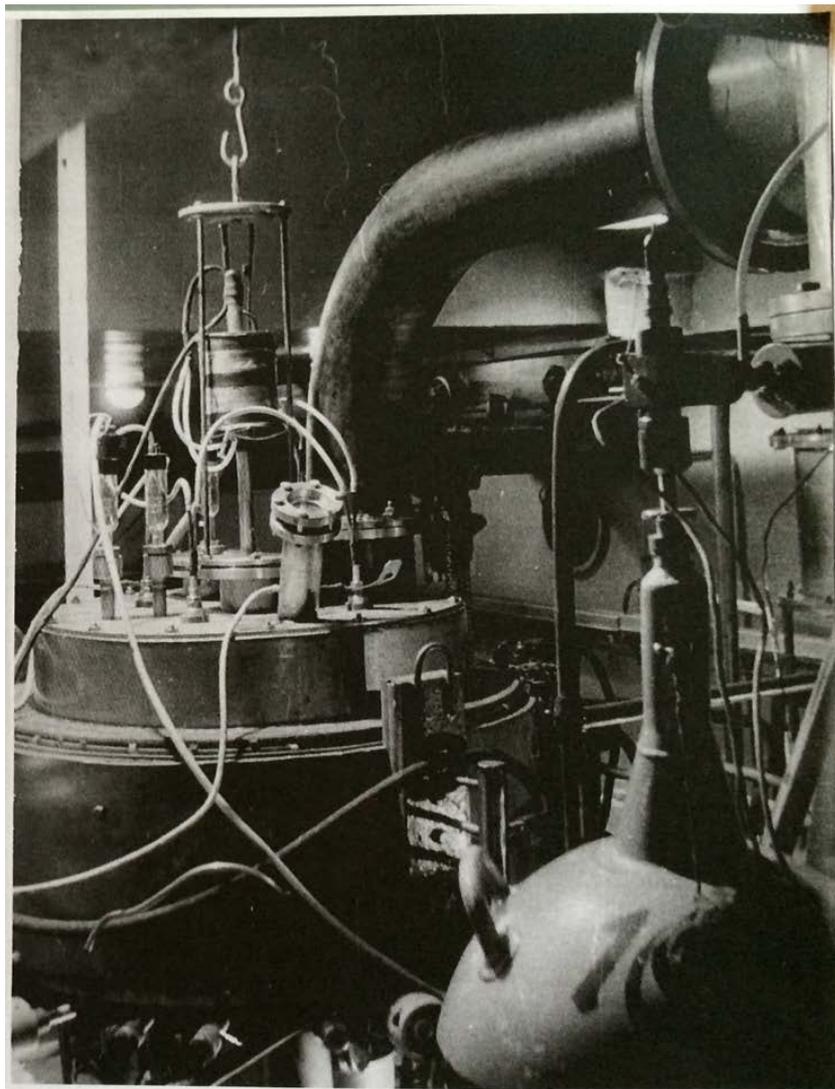
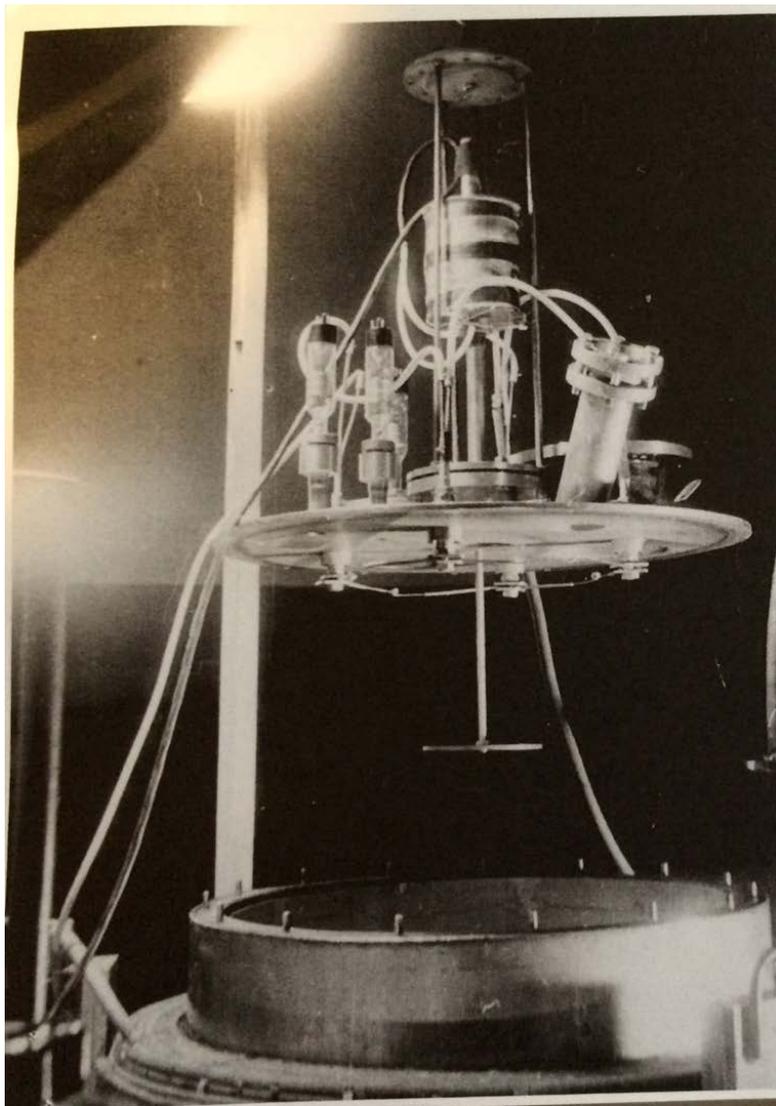
- a – UCN heat on walls
- b – UCN heat on  $(CH_2)_n$
- c – neutrons moderated by  $H_2O$

10 meV

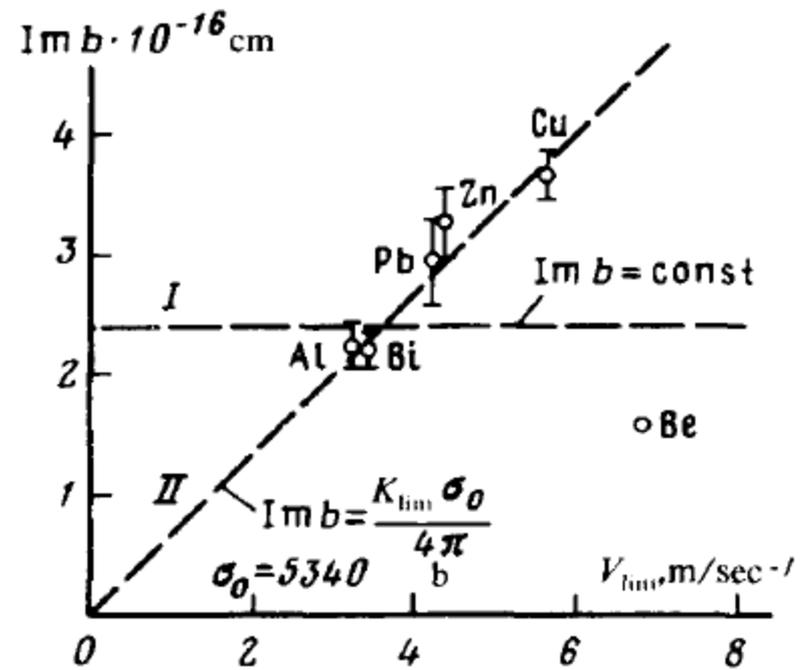
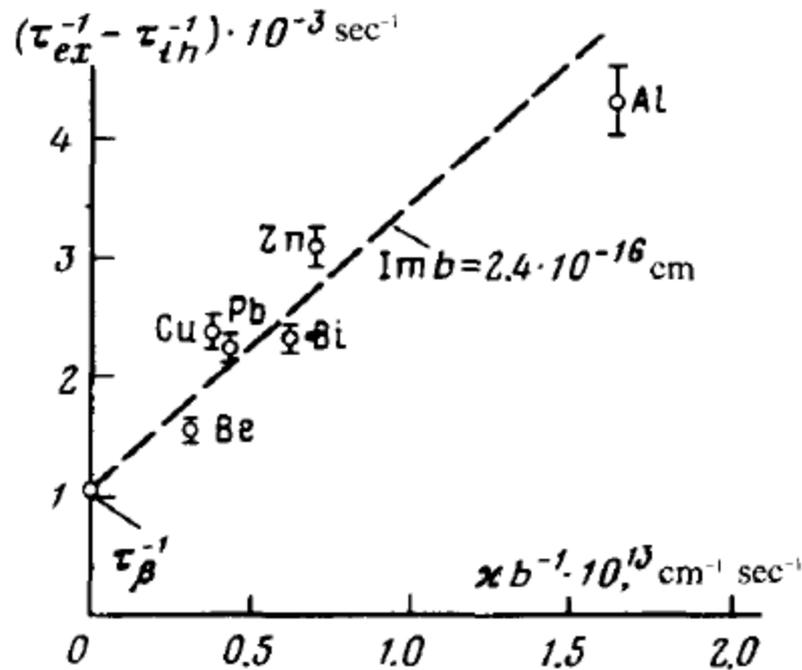
# UCN Storage Anomaly: Fresh Walls



# UCN Storage Anomaly: Fresh Walls

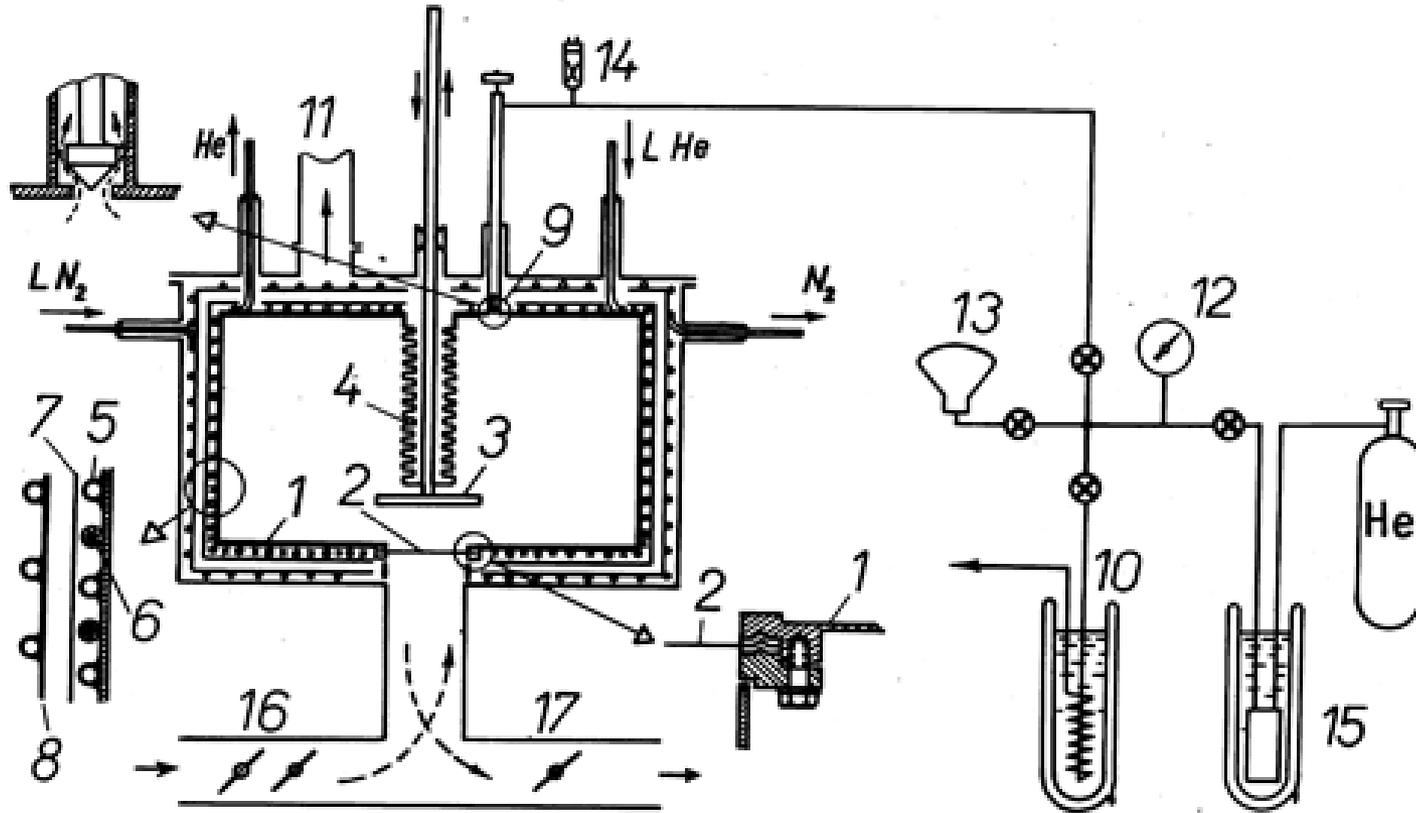


# UCN Storage Anomaly: Fresh Walls



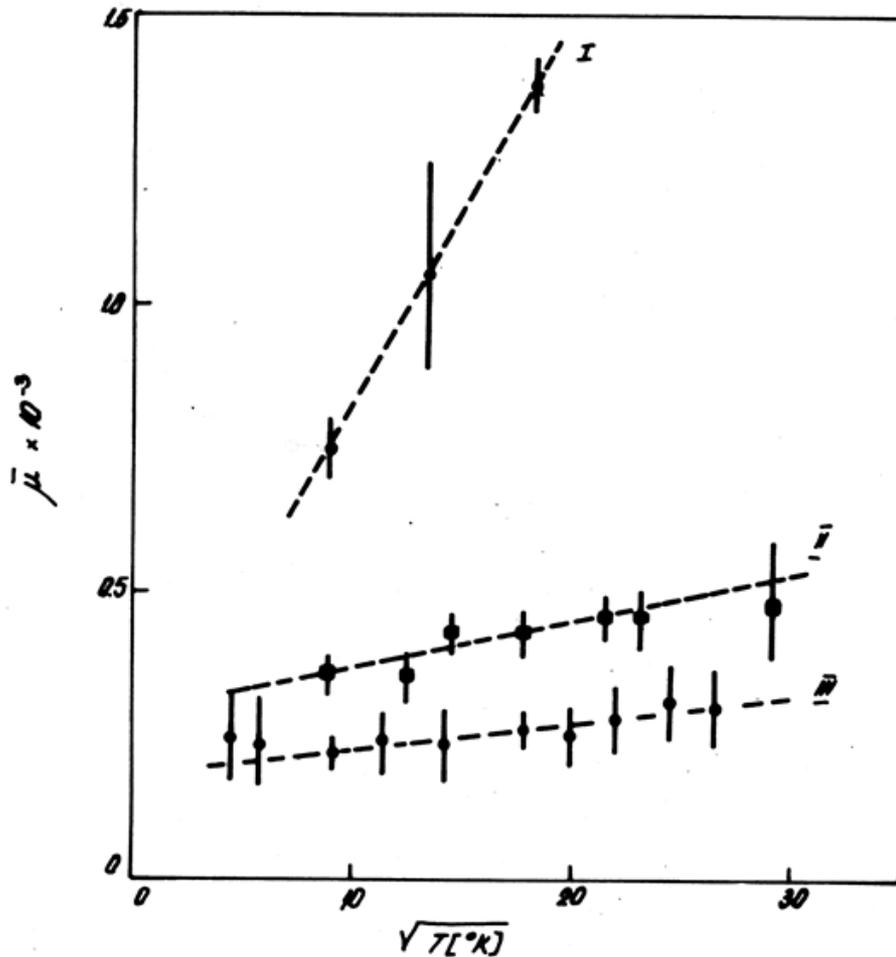
$$\frac{1}{\tau_{ie}} = \frac{1}{\tau_{ex}} - \frac{1}{\tau_{th}} = \bar{\mu}v = \eta\kappa; \quad \eta = \frac{\text{Im } b}{b}$$

# UCN Storage Anomaly: Cold Walls



1 – UCN bottle – 50 cm diameter, 24 cm high; 2 – Al window – 60 mm; 3 – entrance/exit UCN valve; 4 – bellow; 5 – cooling pipe; 6 – heater; 7, 8 – screens; 9, ... 15 – vacuum system; 16 – UCN valve for bottle filling ; 17 – valve for UCN outflow to detector

# UCN Storage Anomaly: Cold Walls



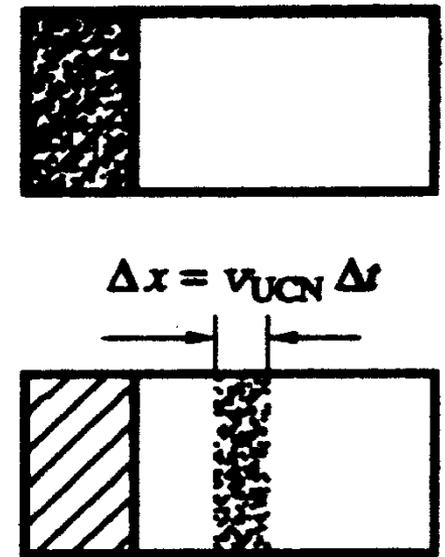
- I – Cu before degasing
- II – Cu after degasing
- III – Be after degasing

Degasing temperature:  
700K for 6 hours

$$1/\tau_{ie} = \bar{\mu}v ; v = 23.3 \text{ s}^{-1}$$

# Dynamic Converter at Pulsed Source

- First step: UCN are generated inside the converter
- Second step: UCN are localized in a guide region with  $w$  length determined by the average velocity and the neutron pulse width
- Third step: UCN cloud expand to fill the entire evacuated volume



# Dynamic Converter at Pulsed Source

## Predictions

$$\Phi_{th}(t) = \Phi_0 \exp\left(-\frac{t}{2\sigma^2}\right)$$

$$\mathbf{n}_0 = \beta \Phi_{th}$$

$\Phi_{th}$  – thermal neutron flux ;

$\beta$  – coefficient dependent of wall material (Cu:  $5.6 \cdot 10^{-14}$ , Be:  $9.7 \cdot 10^{-14}$ )

$$\mathbf{n}_{UCN} = \mathbf{G} \mathbf{n}_0$$

$\mathbf{G}$  – converter gain factor

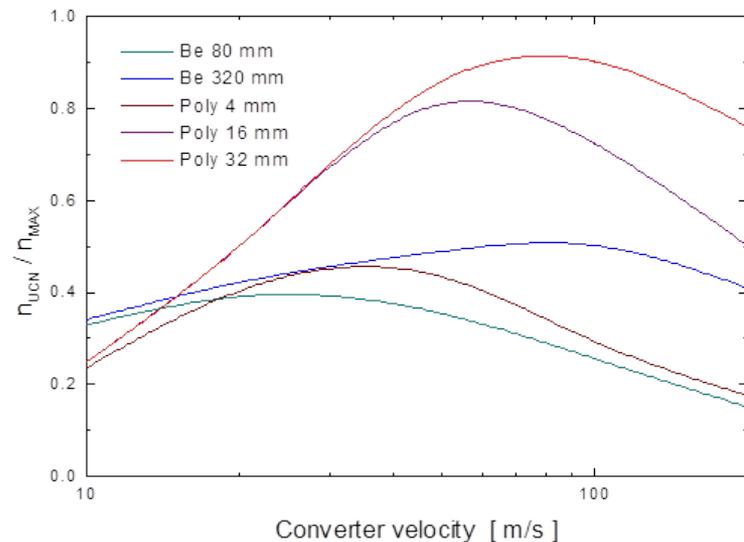
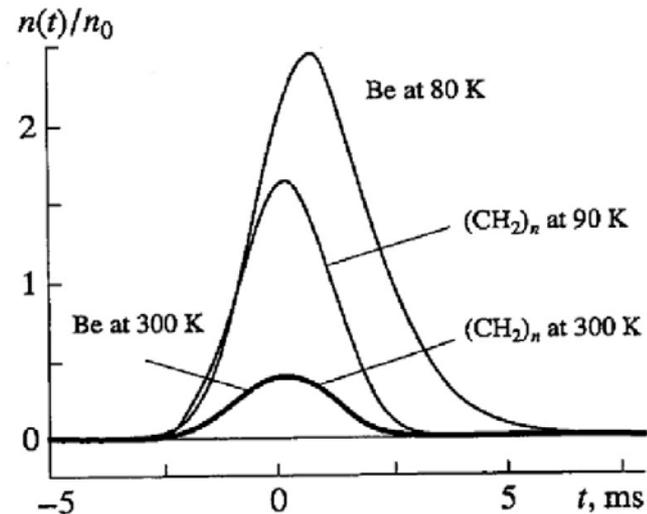
(poly: 4.2, Be: 7.8 at 80 K)

**Optimal converter:**

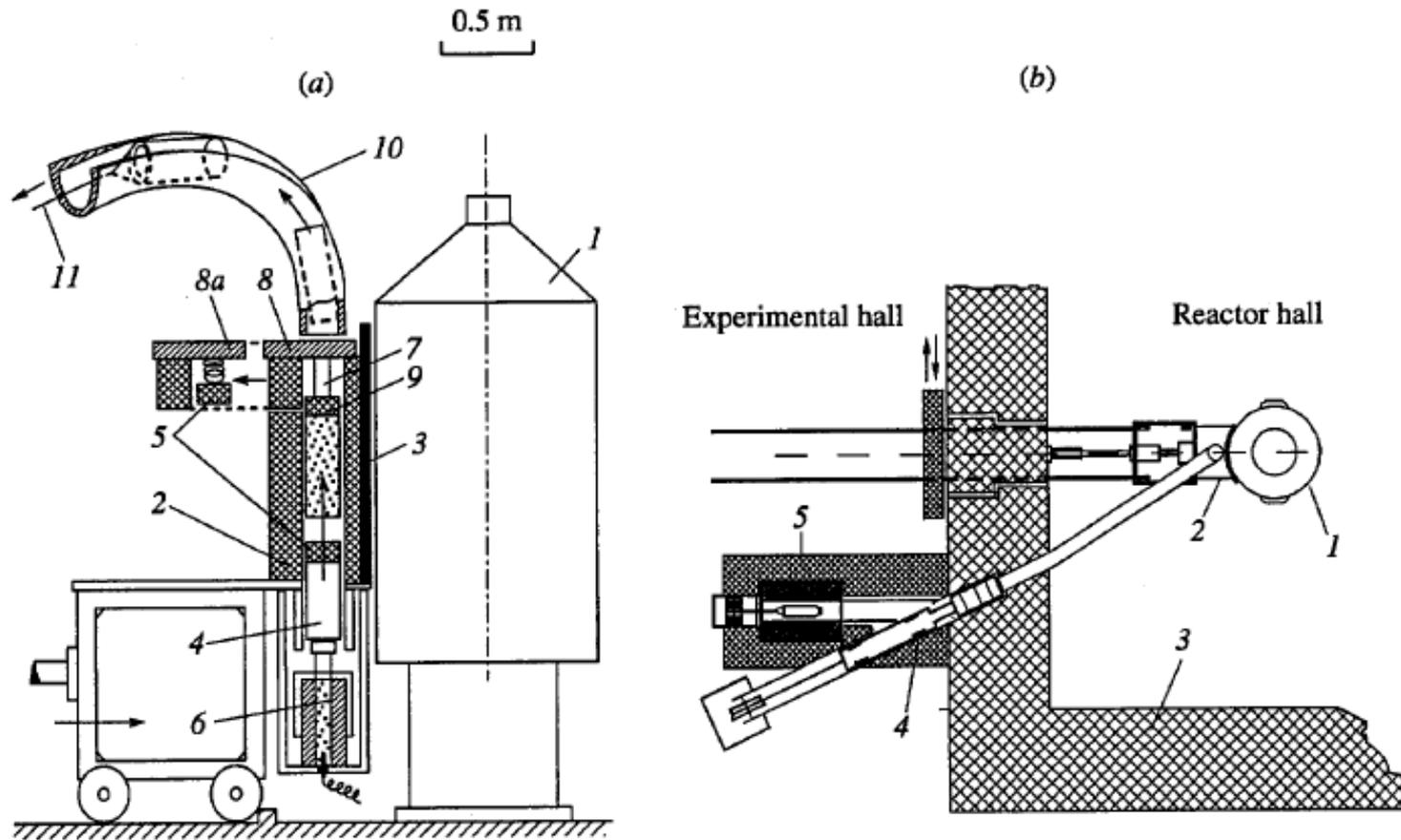
Polyethylene

32 mm thick

80 m/s velocity



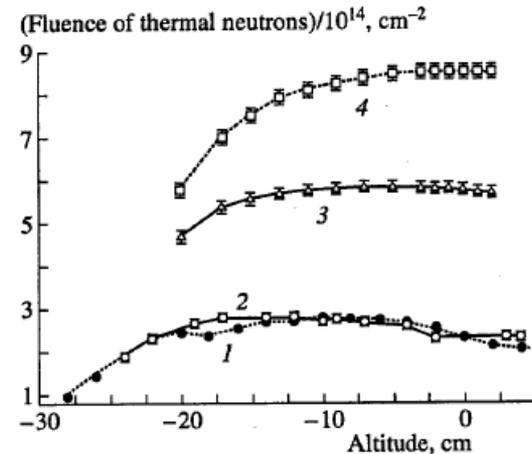
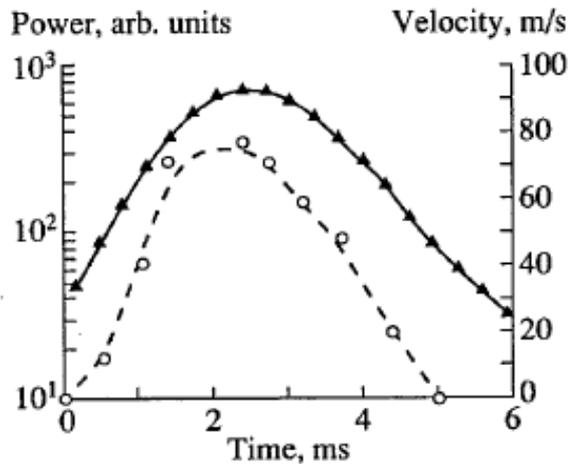
# Dynamic Converter at Pulsed Source *Experimental Layout at BGR*



**Fig. 1.** (a) Layout of the movable part of the apparatus: (1) reactor core, (2) polyethylene-moderator block, (3) BC<sub>4</sub> and Cd shield, (4) UCN container, (5, 9) converter cooled by liquid nitrogen, (6) accelerating system, (7) braking system, (8, 8a) massive movable slab, (10) transporting chute, and (11) rope. (b) General view of the apparatus: (1) reactor, (2) movable platform, (3) wall of the hall, (4) slide valve, and (5) detector.

# Dynamic Converter at Pulsed Source

## *Experimental Details*



**UCN bottle:**

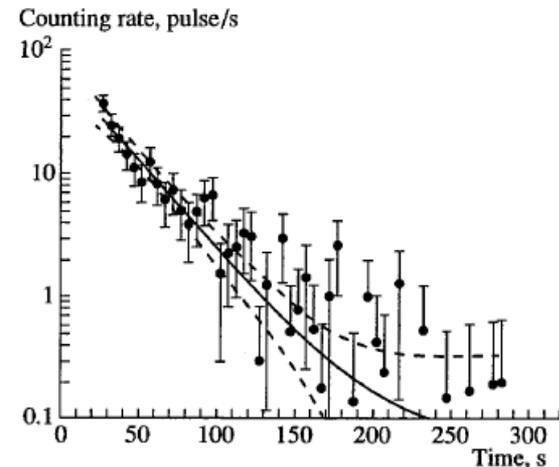
**100 mm diameter, 300 mm long**

**Expected initial UCN density:**

**$5000 \text{ n/cm}^3$**

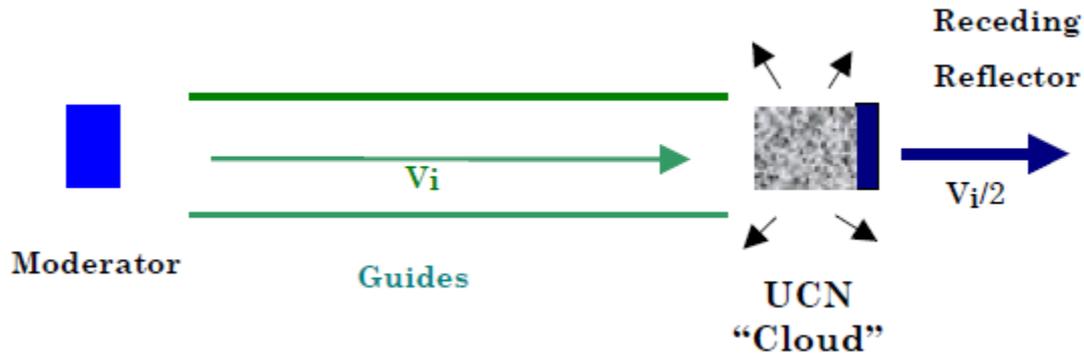
**Density after transport:**

**$26 \text{ n/cm}^3$**



**B.V.Bagrjanov, D.G.Kartashov, M.I.Kuvshinov, A.Y.Muzychka, G.V.Nekhaev, A.D.Rogov, I.G.Smirnov, A.D.Stoica, A.V.Strelkov, V.N.Shvetsov; Phys. Atomic Nucl. 65, 787, 1999**

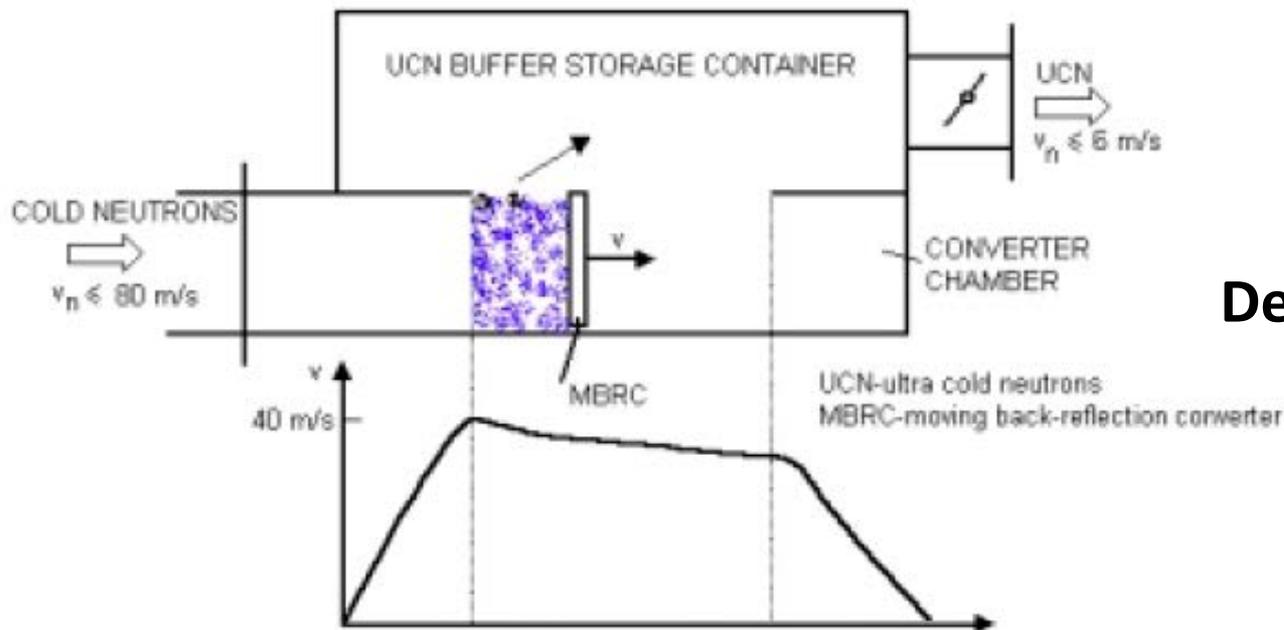
# Doppler Converter at Pulsed Source



$$v_f = v_i - 2v_0$$

$$\frac{v}{v_{n0}} = \frac{1}{2} \sqrt{\frac{t_0}{t}}; v_{n0} = \frac{L_0}{t_0}$$

$$\frac{x}{L_0} = \sqrt{\frac{t}{t_0}}$$

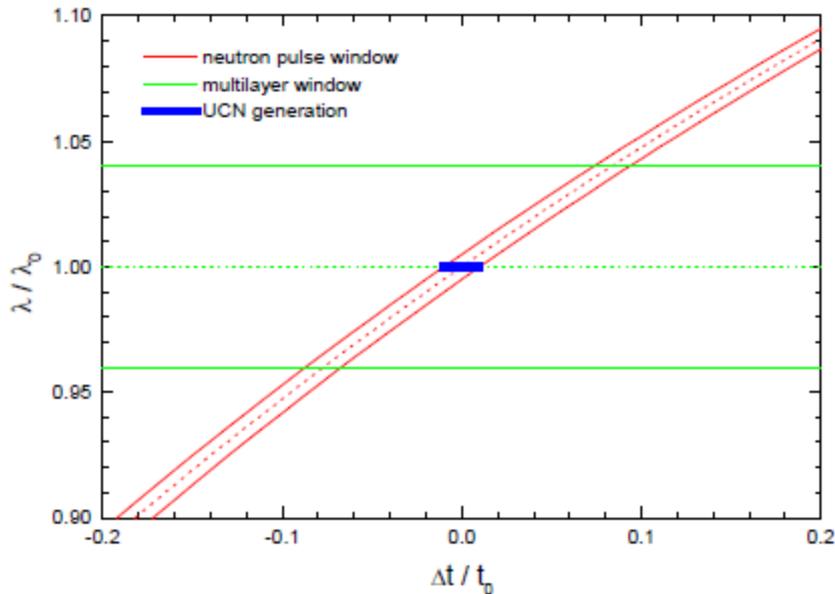


**Depth-graded multilayer**

$$\frac{\Delta d}{d} \approx 10\%$$

# Doppler Converter at Pulsed Source

## *Pulse Synchronized Deceleration*



Constant speed

Synchronized deceleration

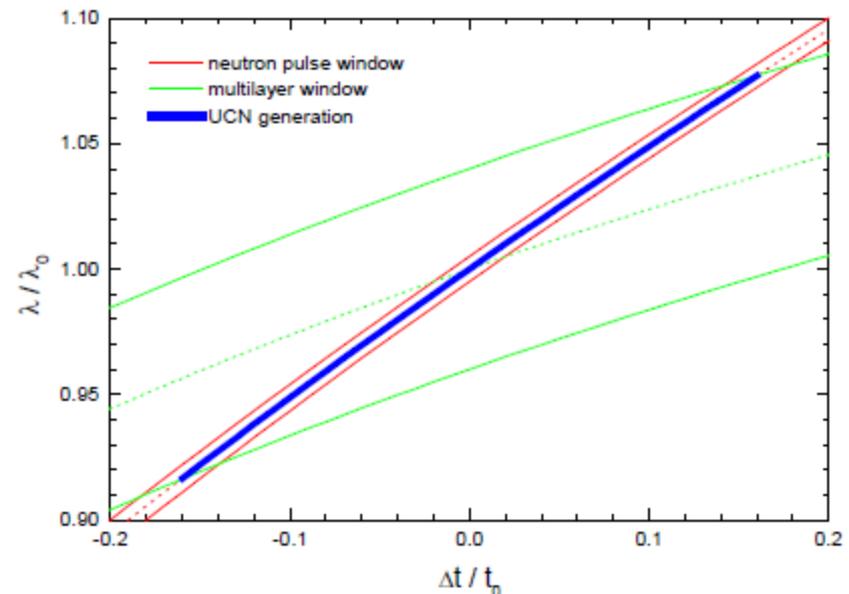
$$\Delta v_f = v_{n0} \frac{\Delta t}{t_0} ; \Delta t_f = 2t_0 \frac{\Delta d}{d}$$

$$n_{UCN} = \pi v_{UCN}^2 \Delta v_f \rho_N$$

$$\rho_N \approx 10^7 \text{ s}^3/\text{m}^6$$

$$\Delta t = 200 \mu\text{s} ; L_0 = 10 \text{ m} ; n_{UCN} = 10^3 \text{ cm}^{-1}$$

$$\Delta t = 2 \text{ ms} ; L_0 = 12 \text{ m} ; n_{UCN} = 10^4 \text{ cm}^{-1}$$



...

**"If you want to succeed, double your failure rate."**