

# Accelerating real-time ship motion simulations using general purpose GPU computations

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# Virtual testbed project

Global goal: Decision support system that analyses data from ships in sea, models the environment and predicts (and prevents) dangerous situations.

Current goal: Real-time simulation environment for ships with visualisation.

Key features:

- ▶ Real-time. We have 16–33 ms to compute everything.
- ▶ Realistic marine objects. We load ships from IGES files.
- ▶ Arbitrary-amplitude ocean waves (work-in-progress).

# Project timeline (2018)

Aug

Sep

Dec

Wavy surface

Velocity potential

Wave pressure

Ship motion

Visualisation

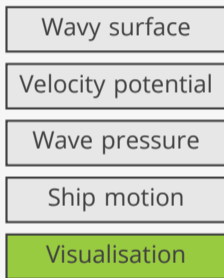
No copying, but slow.

CPU

GPU

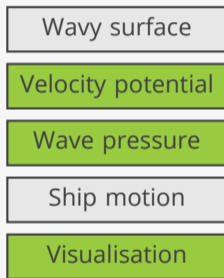
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Sep

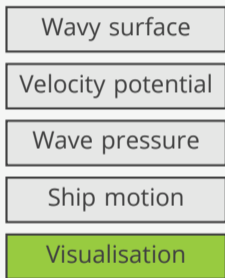


Faster, but a lot of copying (30 FPS).

Dec

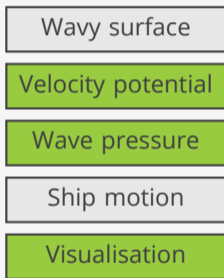
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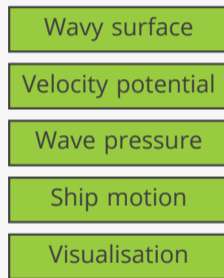
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Sep



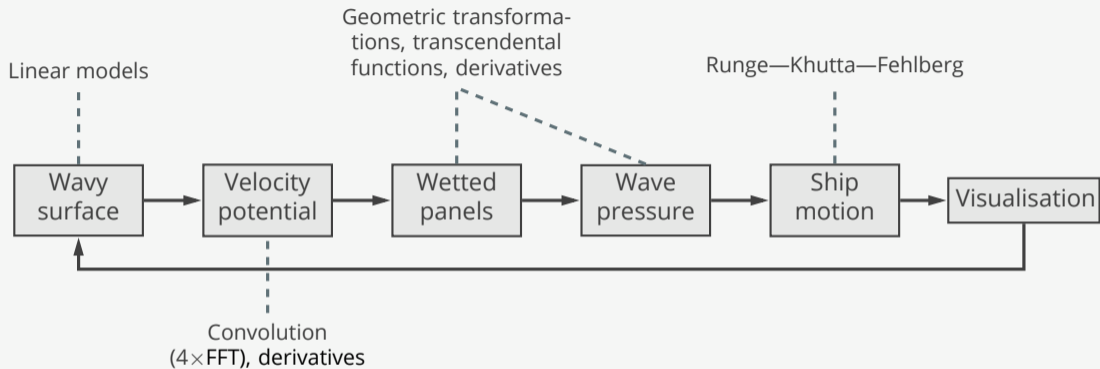
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Dec

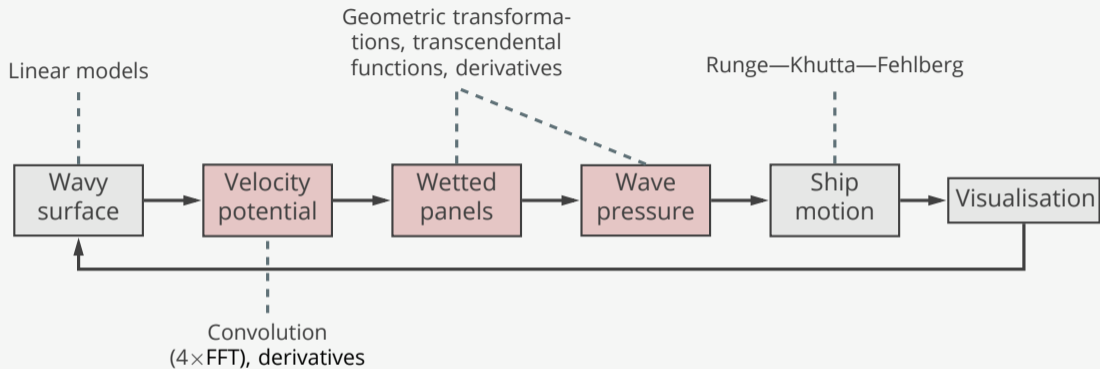


Expected to be much faster with no copying.

# The anatomy of a frame



# The anatomy of a frame



FPS	One frame, ms	One stage, ms
60	16	5
30	33	11

# Velocity potential equations

$$\nabla^2 \phi = 0$$

$$\phi_t + \frac{1}{2} |\vec{v}|^2 + g\zeta = -\frac{p}{\rho}$$

$$D\zeta = \nabla\phi \cdot \vec{n}$$

continuity equation

dynamic BC for  $z = \zeta(x, y, t)$

kinematic BC for  $z = \zeta(x, y, t)$



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$$\phi_{xx} + \phi_{yy} + \phi_{zz} = 0$$

$$\zeta_t = \underbrace{\left( \frac{\zeta_x}{\sqrt{1 + \zeta_x^2 + \zeta_y^2}} - \zeta_x \right)}_{f_1} \phi_x + \underbrace{\left( \frac{\zeta_y}{\sqrt{1 + \zeta_x^2 + \zeta_y^2}} - \zeta_y \right)}_{f_2} \phi_y - \underbrace{\frac{1}{\sqrt{1 + \zeta_x^2 + \zeta_y^2}}}_{f_3} \phi_z$$

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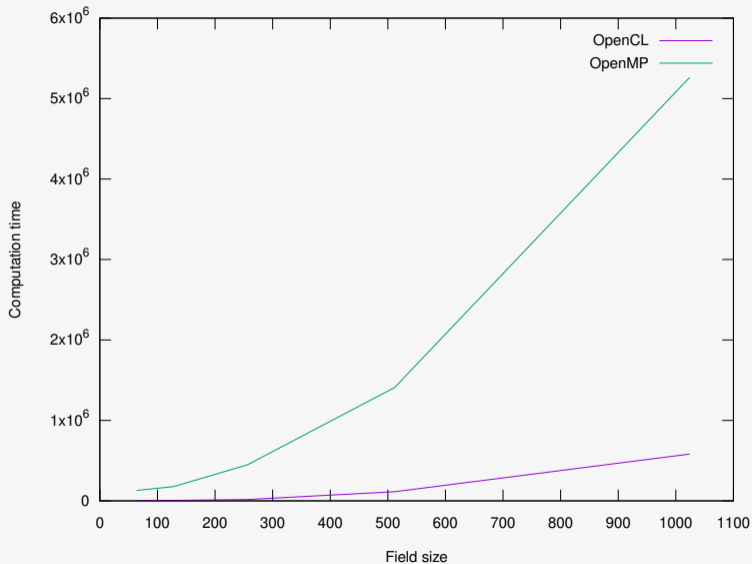
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Solution:

$$\phi(x, y, z, t) = \mathcal{W}_2(x, y, z) * \frac{\zeta_t(x, y, t)}{F(f_1, f_2, f_3)}$$

# Velocity potential field computation performance



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CPU	AMD FX-8370
GPU	GeForce GTX 1060 6GB
OS	Fedora 28

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# Wave pressure

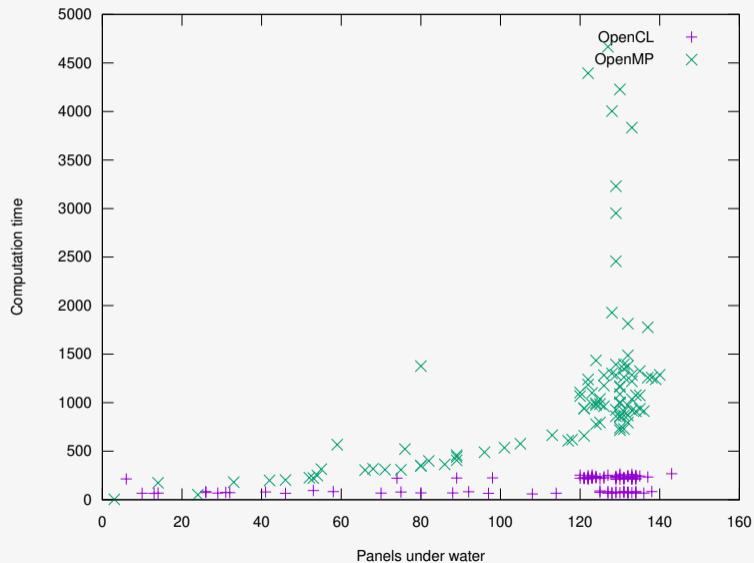
Pressure:

$$p(x, y, z, t) = -\rho\phi_t - \rho\frac{1}{2}(\phi_x^2 + \phi_y^2 + \phi_z^2) - \rho gz$$

Pressure force:

$$F(x, y, z, t) = -pS\vec{n}$$

# Pressure computation performance



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GPU	GeForce GTX 1060 6GB
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Thank you for attention!