

CENTRALITY DEPENDENCE OF PARTICLE PRODUCTION IN P-PB COLLISIONS WITH ALICE AT THE LHC

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on behalf of the ALICE Collaboration

OUTLINE

- Motivation
- Standard tools for geometry
- ALICE approach
- Results:
multiplicity
nuclear modification factors

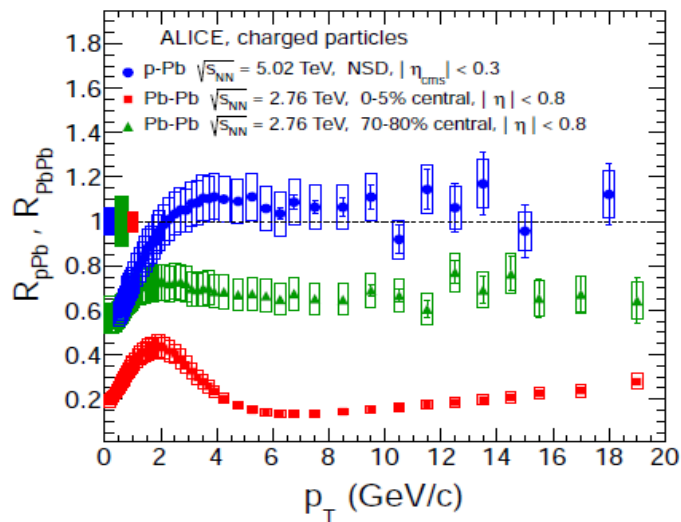
Strangeness in Quark Matter 2015
Dubna (Russia)

MOTIVATION

$$R_{PPB} (N_{CH})$$

Benchmark measurements $R_{pPb} \sim 1$

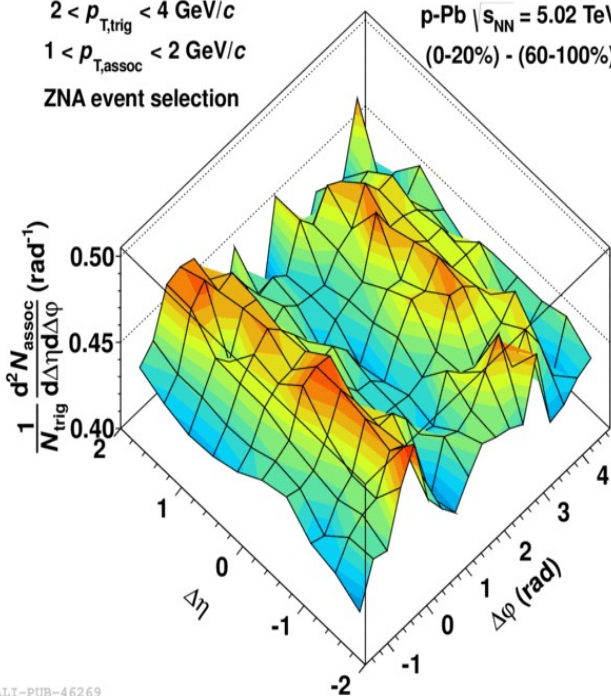
no nuclear effects in p-Pb
 → suppression in Pb-Pb
 is a final state effect



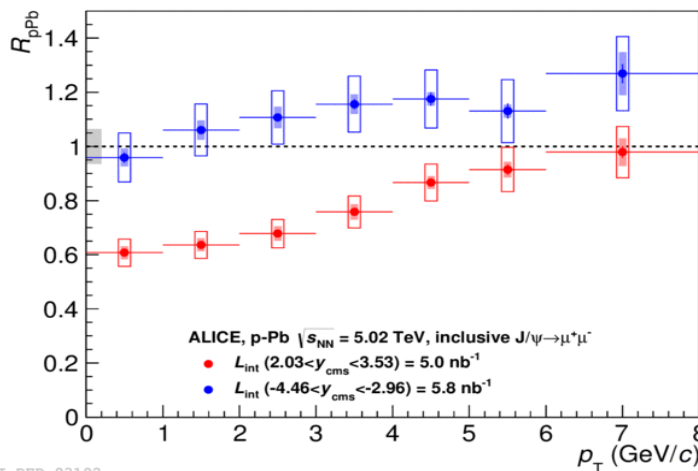
DOUBLE RIDGE

$2 < p_{T, trig} < 4$ GeV/c
 $1 < p_{T, assoc} < 2$ GeV/c
 ZNA event selection

p-Pb $\sqrt{s_{NN}} = 5.02$ TeV
 (0-20%) - (60-100%)



Measurements at low- p_T
 not explained with $N_{coll} \times pp$
 → **coherent/collective** effects?
 Strength increase with mult.
 → **geometry** dependence

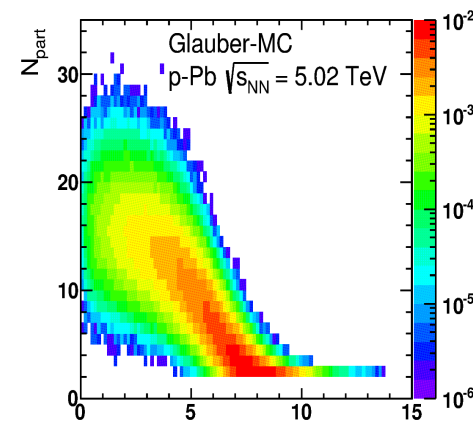


$$R_{PPB} (J/\psi)$$

Importance of **cold nuclear matter** effects to interpret J/ψ suppression in Pb-Pb

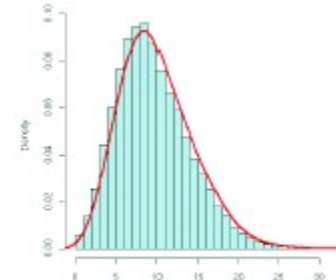
GEOMETRY DEPENDENCE: CENTRALITY

- Centrality: classification of collision geometry based on a measured observable
- Impact parameter b controls $\langle N_{\text{coll}} \rangle$
 - for small systems b weakly correlated with N_{part}



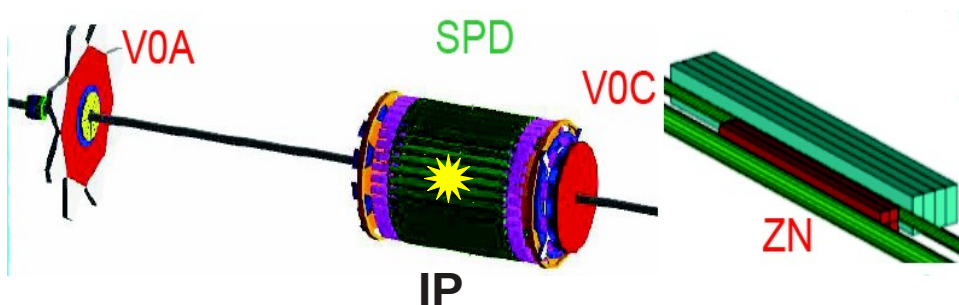
Centrality estimator related via a **Glauber model** to N_{coll}

- description of the observable through a model
- conditional probability $P(M | N_{\text{coll}})$
- classify events as % of cross-section
- $\langle N_{\text{coll}} \rangle$ in each centrality bin



Glauber MC: $P(N_{\text{coll}})$ \otimes Model: $P(M|N_{\text{coll}})$

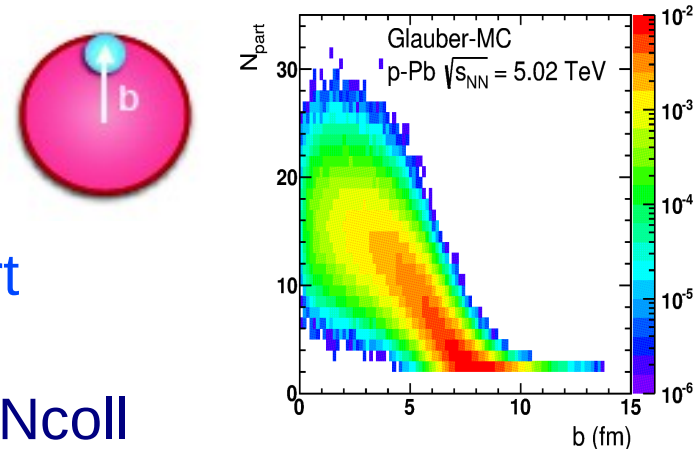
CENTRALITY DETECTORS IN ALICE



- **Mid-rapidity:** ITS $|\eta| < 2$, $|\eta| < 1.4$
- **Forward:** V0A $2 < \eta < 5.1$
V0C $-3.7 < \eta < -2.7$
- **Beam-rapidity:** neutron ZDC (ZN) $|\eta| < 8.7$

GEOMETRY DEPENDENCE: CENTRALITY

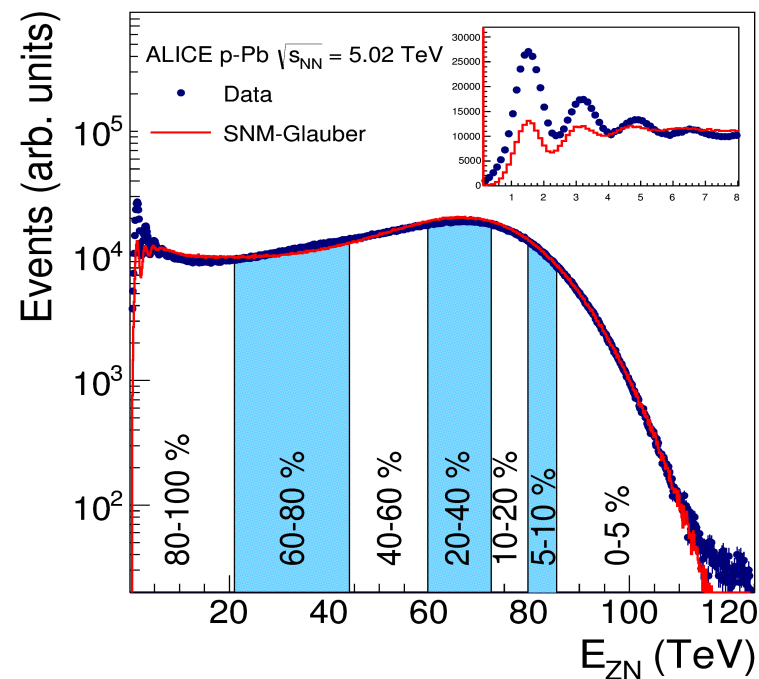
- Centrality: classification of collision geometry based on a measured observable
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 - for small systems b weakly correlated with N_{part}



Centrality estimator related via a Glauber model to N_{coll}

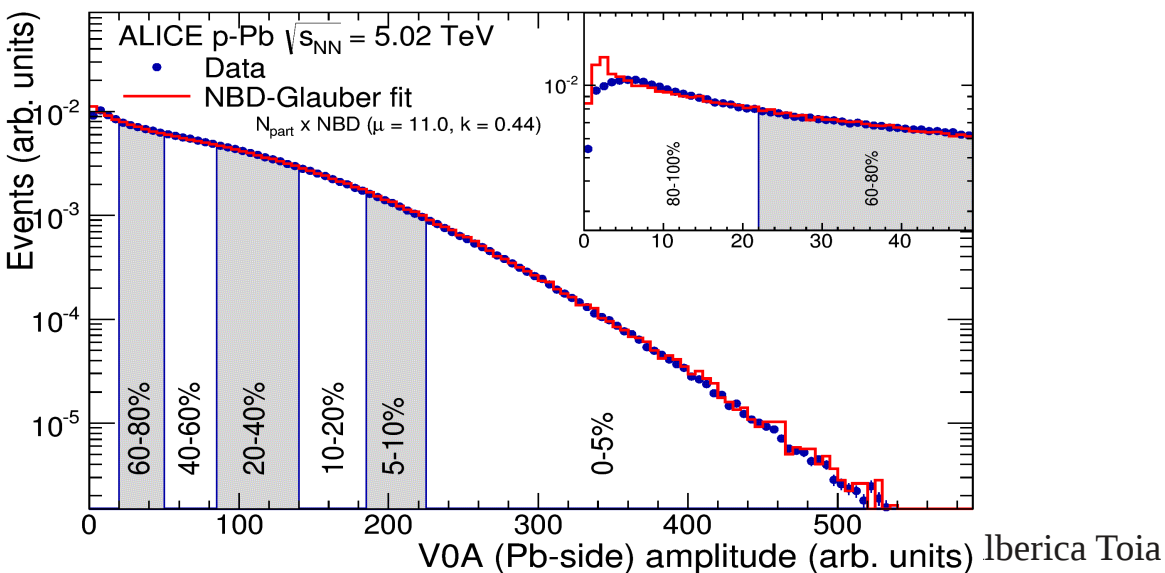
- description of the observable through a model
- conditional probability $P(M | N_{\text{coll}})$
- classify events as % of cross-section
- $\langle N_{\text{coll}} \rangle$ in each centrality bin

Glauber + Slow Nucleon Model



ALICE Coll. PRC 91 (2015) 064905

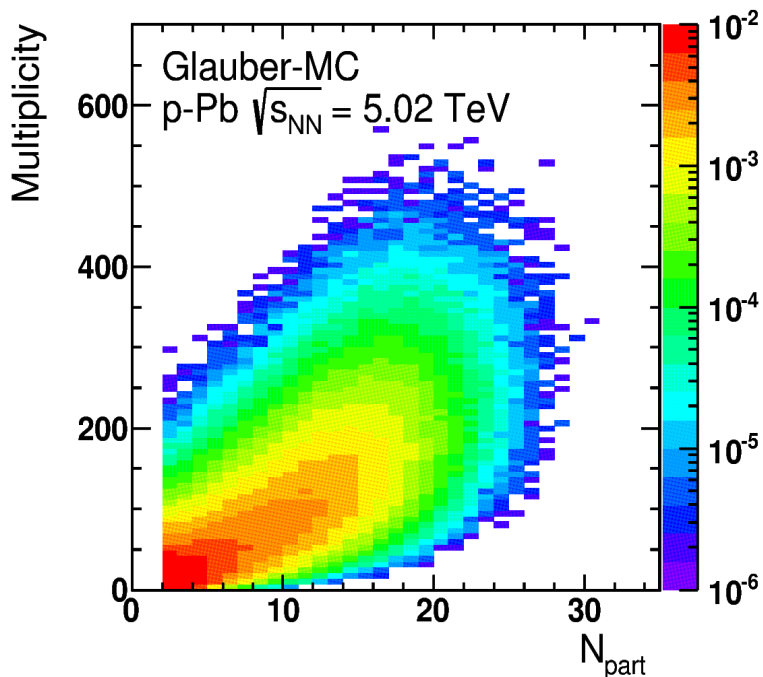
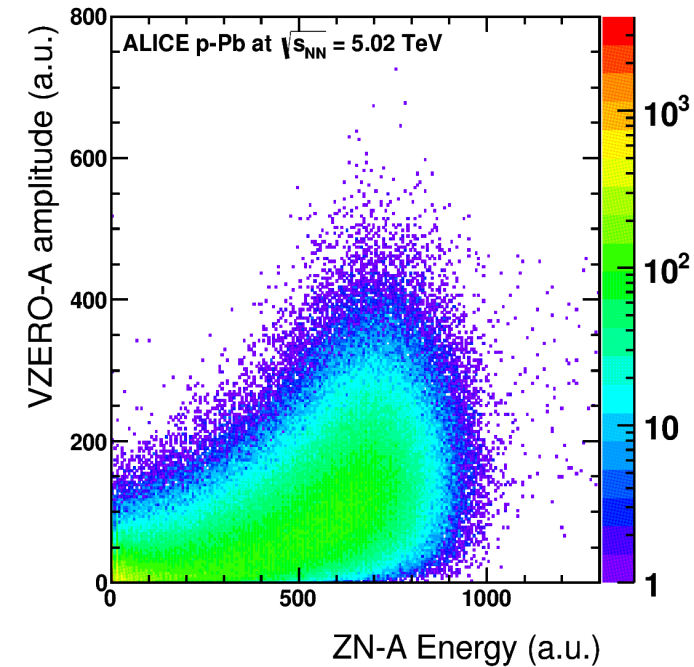
Glauber + Negative Binomial Distribution



GEOMETRY DEPENDENCE: CENTRALITY

1) Verify the **connection** of the measurement **to the collision geometry**:

- correlating observables from **kinematic** regions **casually disconnected** after collision
- comparing Glauber MC and data for a **known process**

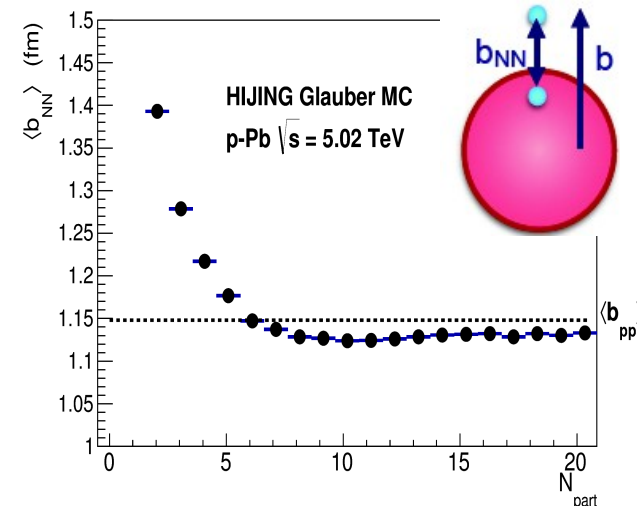
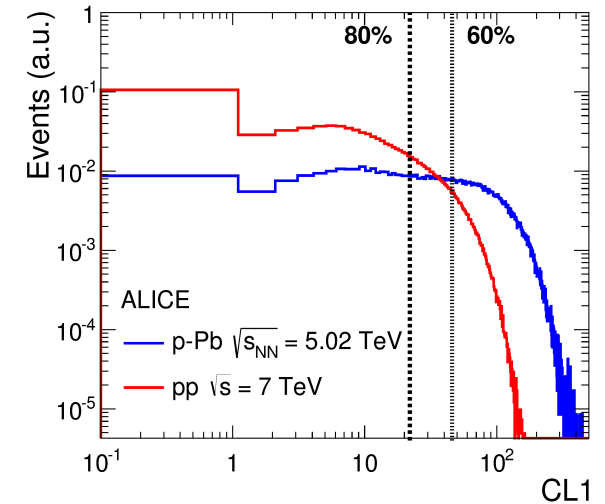
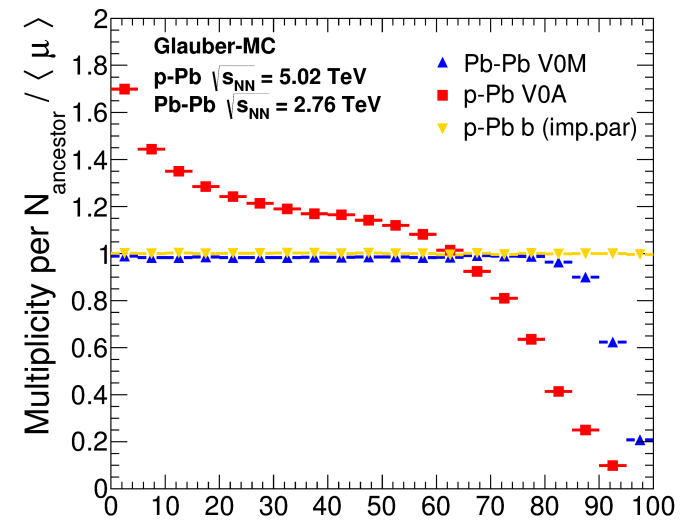


2) Demonstrate the **consistency** of the approach:

- check if the centrality selection could induce a **bias in the geometry parameters**
 - \rightarrow selection in a system with large relative **fluctuations** can induce a bias
- need to identify the **physics origin** of the bias to correct centrality dependent measurements

BIASES IN PA

- **Multiplicity bias:** fluctuations sizable
 → centrality selection based on multiplicity may select a sample on NN collisions biased w.r.t. a sample defined by cuts on b
- MC generators: multiplicity fluctuations are due to fluctuations in MPIs
 → bias in mult ~ bias in hard scattering
- **Jet-veto:** multiplicity range in peripheral events represent an effective veto on hard processes
- **Geometry bias:**
 Mean nucleon-nucleon impact parameter (b_{NN}) increases in peripheral collisions
 → reduced number of MPI for peripheral events

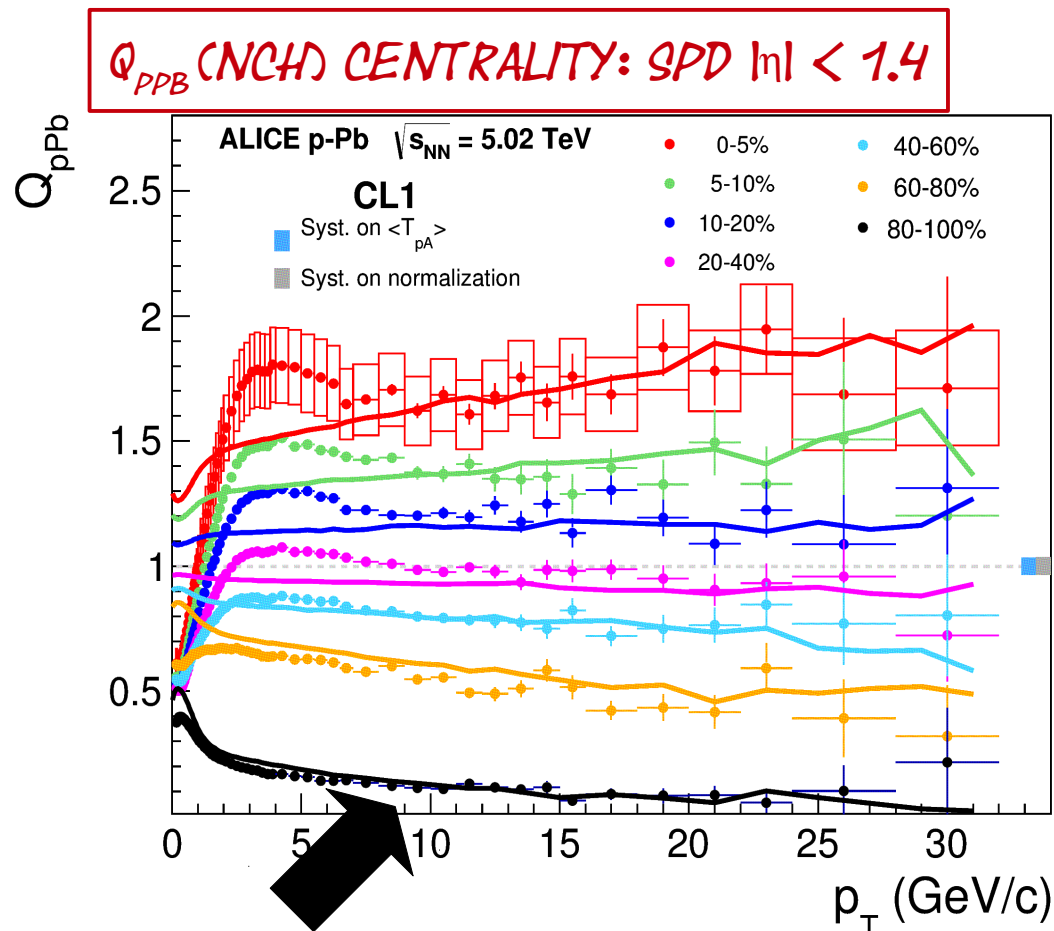


→ $Q_{PPB} = R_{PPB}$ INCLUDING POSSIBLE BIASES

DEVIATIONS FROM BINARY SCALING

Selecting events according to **multiplicity** leads to a **bias**

→ Expected deviations from binary scaling at high p_T



- **Central:**
higher $\langle \text{mult}/\text{source} \rangle \rightarrow R_{pPb} > 1$
- **Peripheral:**
lower $\langle \text{mult}/\text{source} \rangle \rightarrow R_{pPb} < 1$

→ large spread **NOT** related to nuclear effects!

Jet-veto effect in most peripheral bin with a significant negative slope vs p_T

G-PYTHIA: Incoherent superposition of N-N PYTHIA collisions reproduces data

THE ALICE APPROACH

1) assumption: an event selection based on **Zero Degree Energy** does not induce bias on bulk particle production at midrapidity

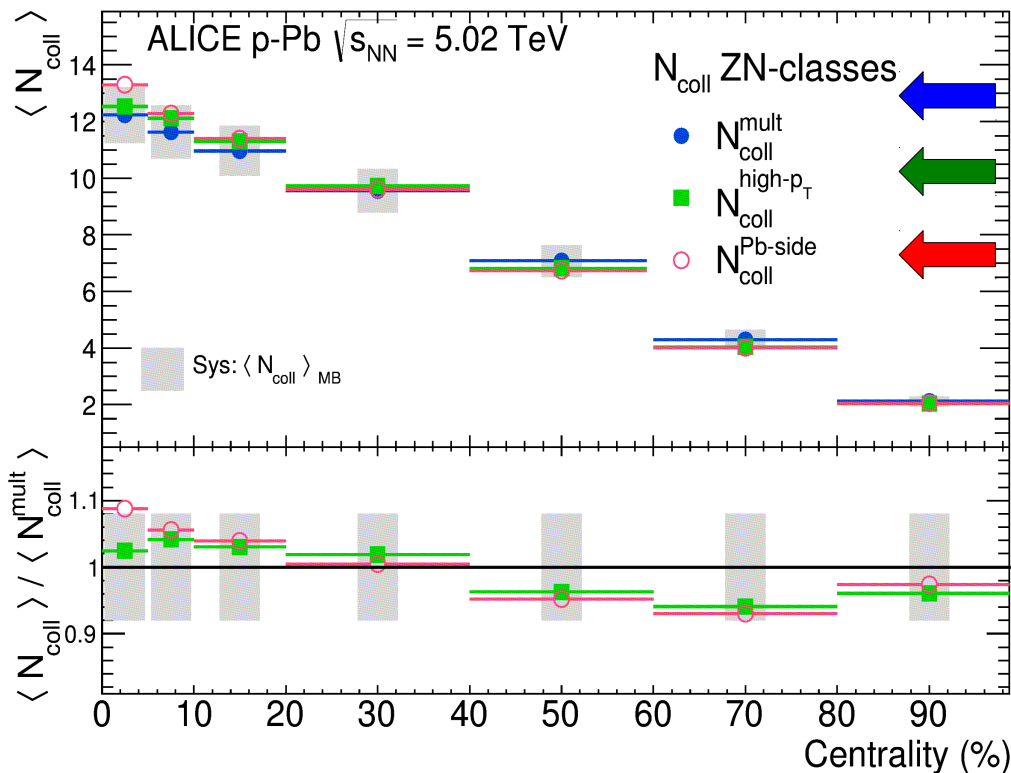
2) assumption: mechanism of **particle production**

$$\langle N_{\text{coll}} \rangle = 208 \sigma_{\text{pN}} / \sigma_{\text{pA}} = 6.9 \text{ with}$$

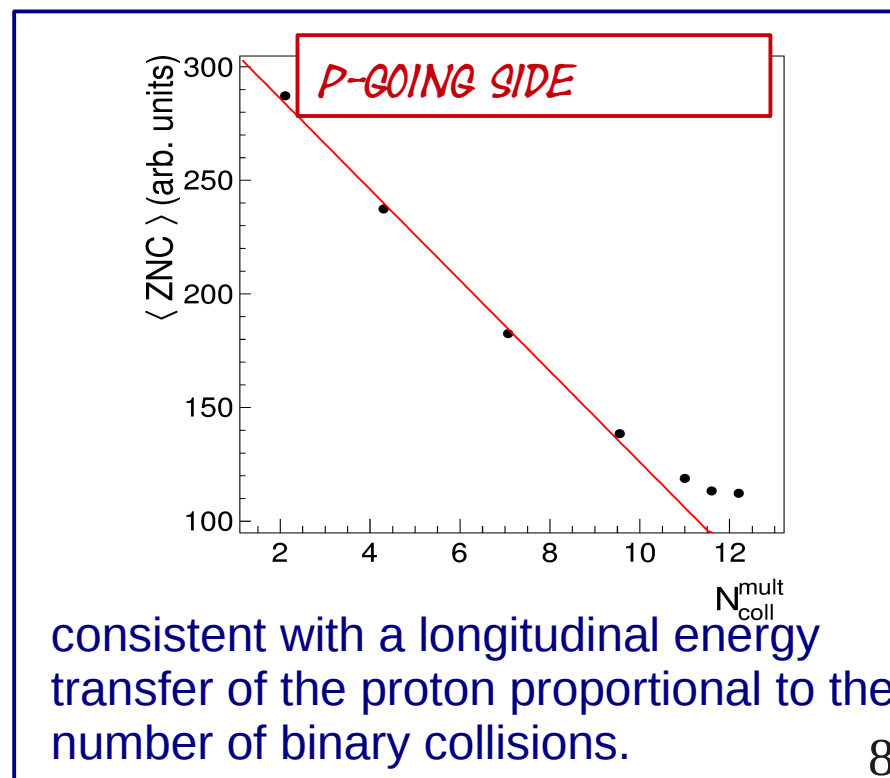
$$\sigma_{\text{pN}} = 70 \text{ mb}$$

$$\sigma_{\text{pPb}} = 2100 \text{ mb}$$

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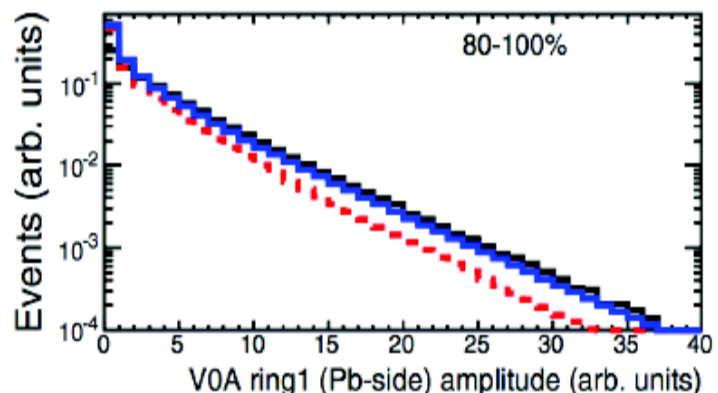
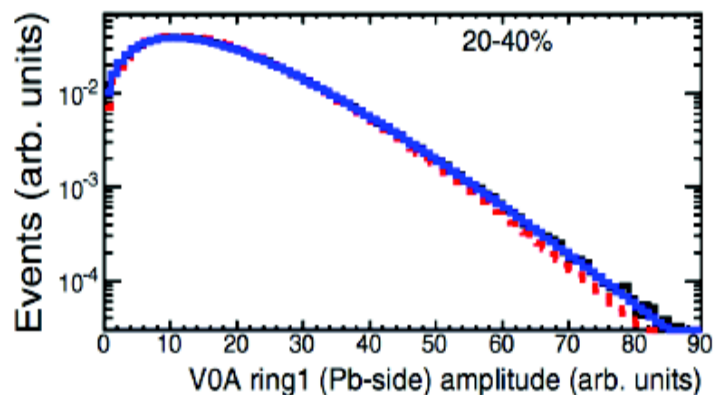
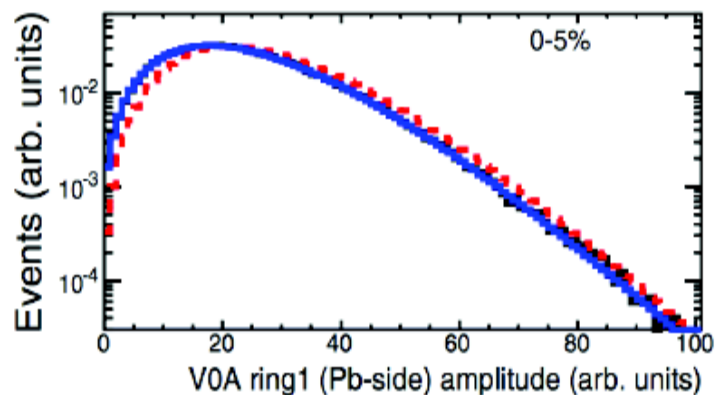
- a) Mid-rap $dN/d\eta \sim N_{\text{part}}$
- b) Yield at high- $p_T \sim N_{\text{coll}}$
- c) Pb-side $dN/d\eta \sim N_{\text{part}}^{\text{target}} (= N_{\text{coll}} \text{ in pA})$



- All values within at most **10%**
- **consistency of assumptions**
- This does not yet prove the validity of any (or all) of these assumptions

CONSISTENCY CHECK

ZNA: Zero Degree Energy
VOA: Forward Multiplicity

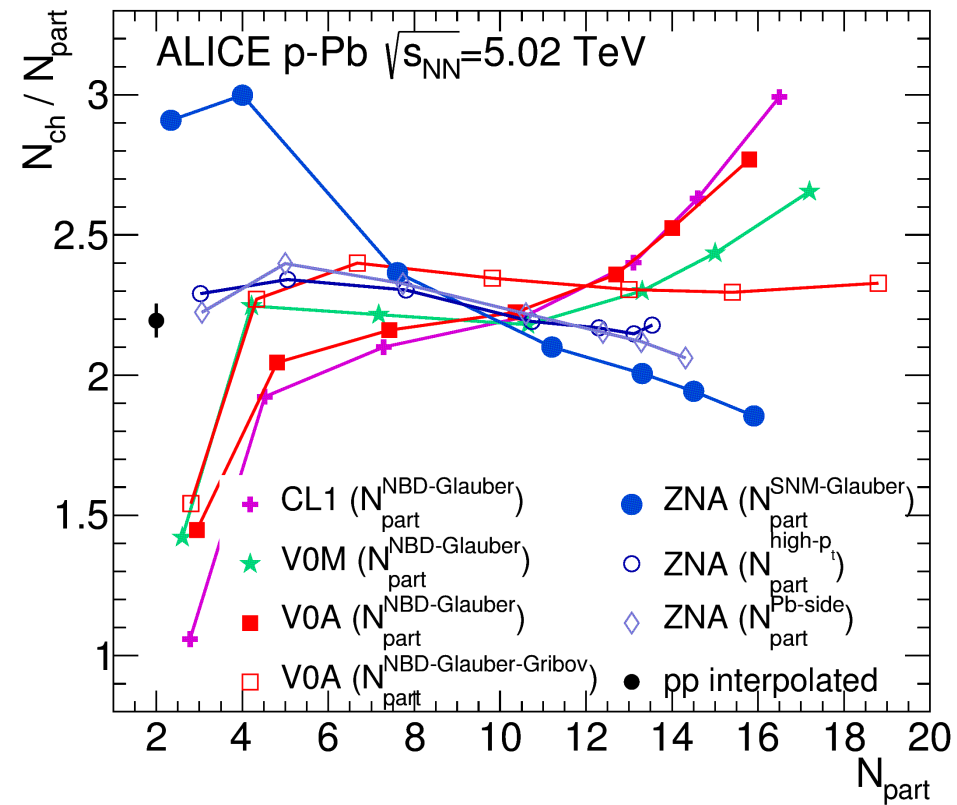
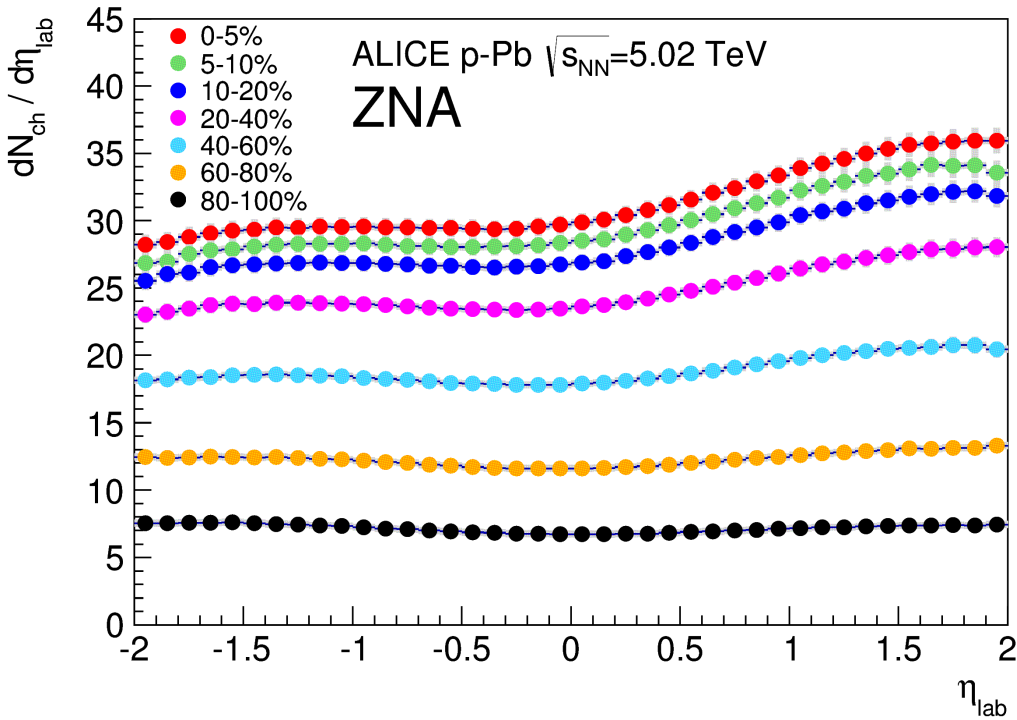


- ZNA and VOA: establish their relation to centrality \rightarrow $P(N_{coll})$
 - $P(N_{coll})$ distributions in ZNA bins \otimes NBD from Glauber fit to MB VOA multiplicity \rightarrow $P(N_{coll})$
 - unfolding: $P(N_{coll})$ distributions \otimes NBD from Glauber fits VOA data in ZNA centrality bins \rightarrow $P(N_{coll})$

does not work for biased centrality selection (CL1)

- \rightarrow energy measured by ZN is connected to the collision geometry
- \rightarrow ZNA unbiased centrality selection

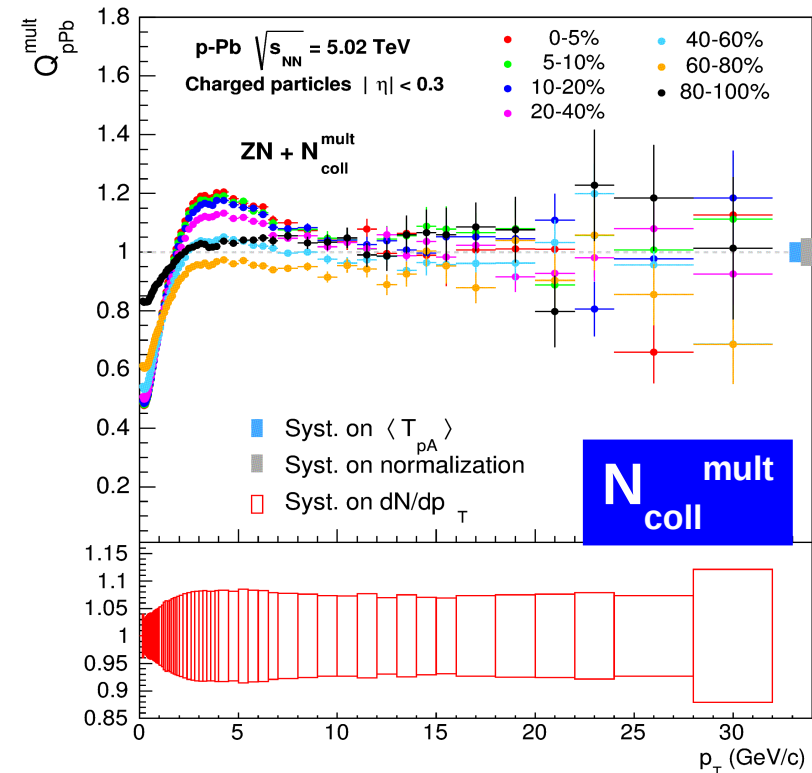
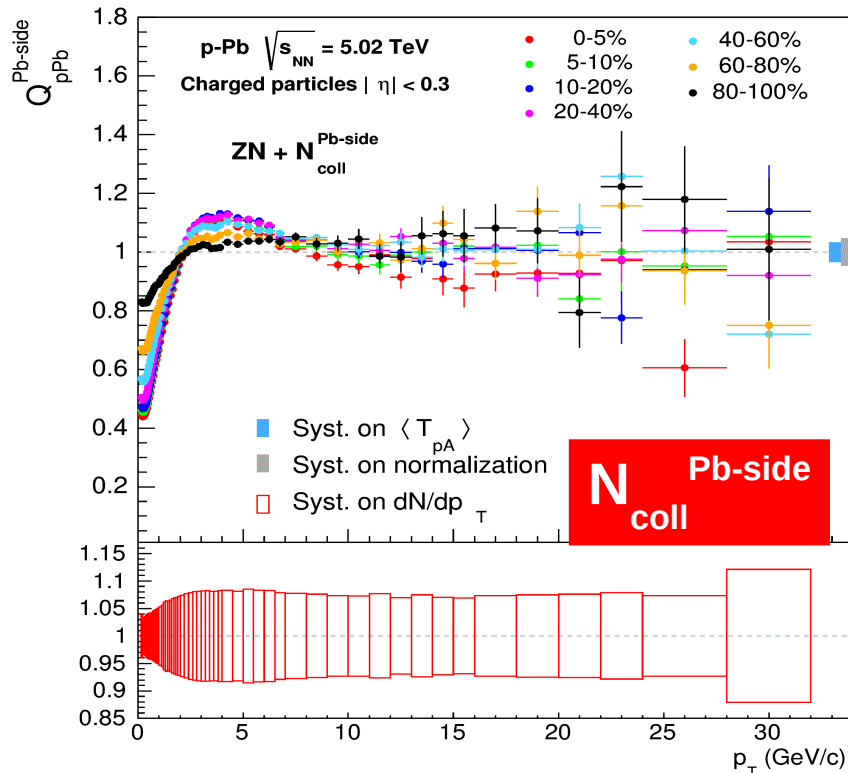
DN/D η AT MIDRAPIDITY



- **V0A (Glauber)** steeper than linear increase in N_{part}
- **V0A (Glauber-Gribov)** linear scaling with N_{part} apart from the peripheral point
- **ZN centrality** + assumptions on scaling for high- p_T and Pb-fragmentation side yields show linear scaling with N_{part} within 10% and the peripheral bin agrees with pp data

NUCLEAR MODIFICATION FACTOR

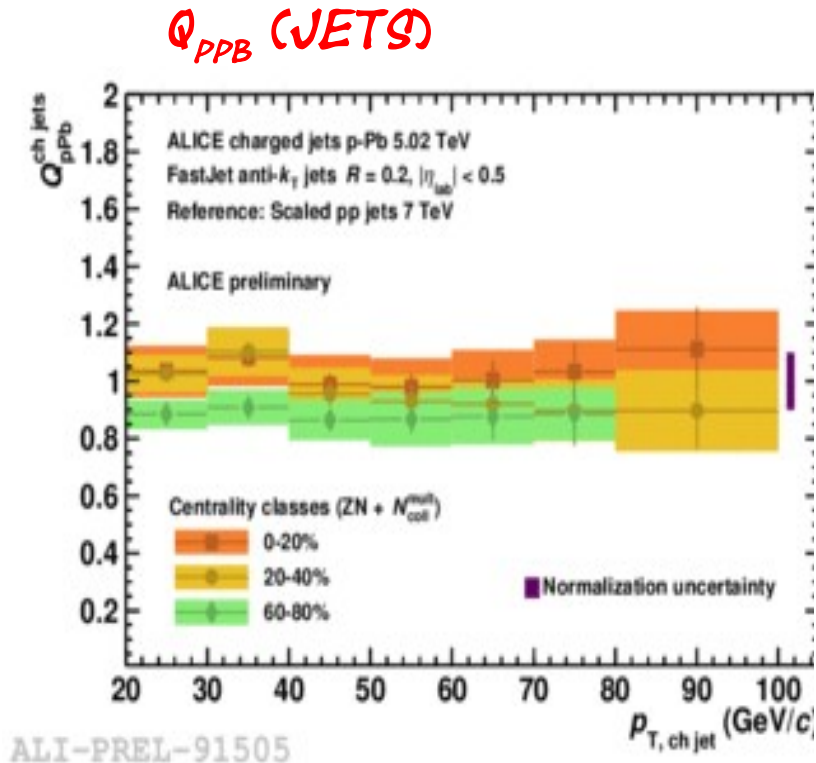
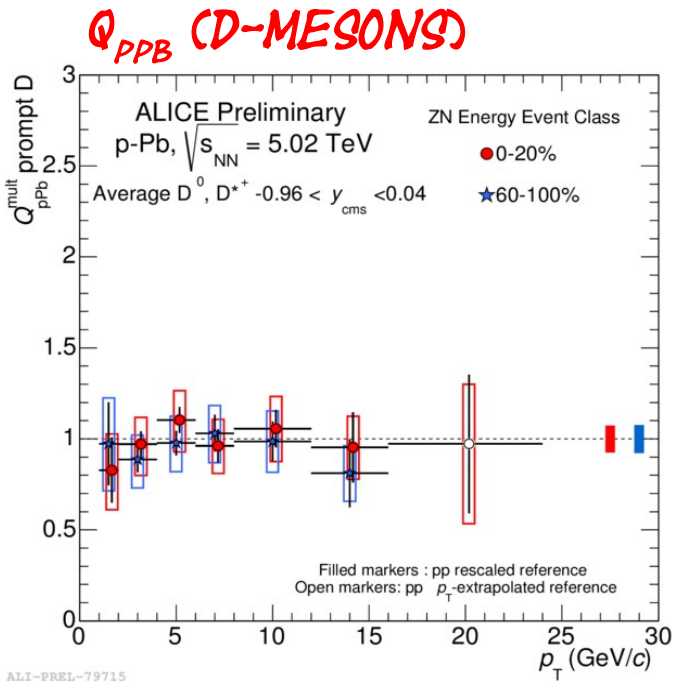
Q_{PPB} (NCH) CENTRALITY: ZERO DEGREE ENERGY



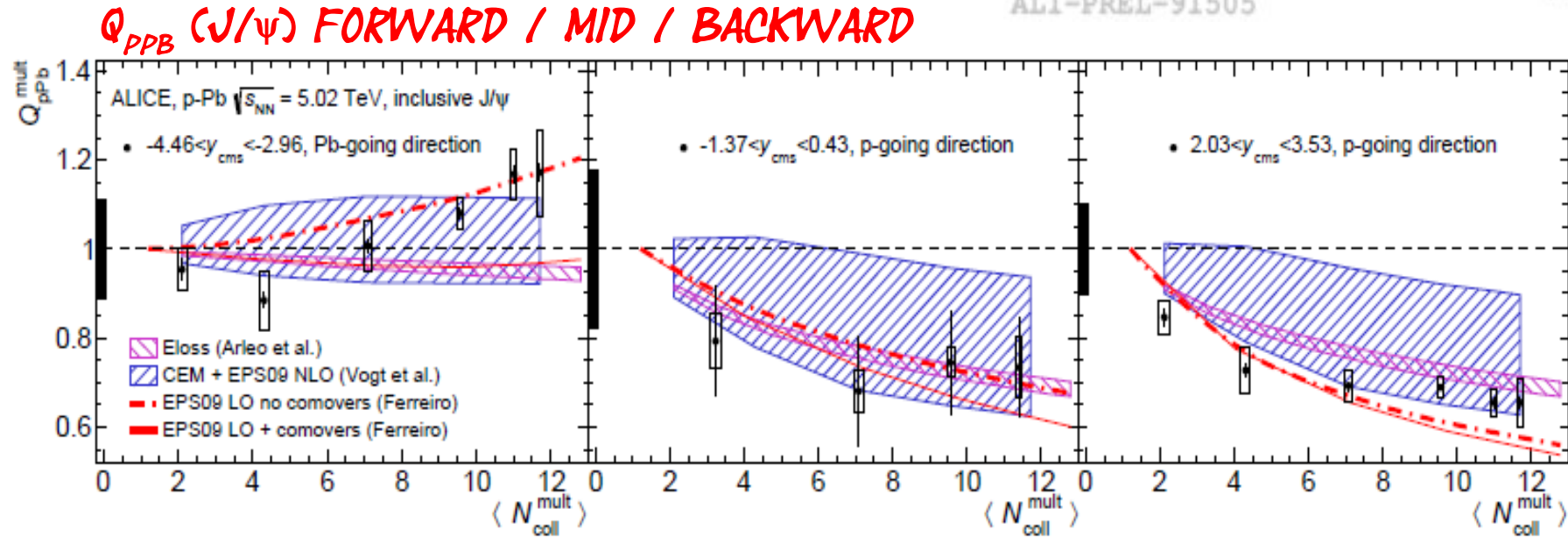
- Nuclear modification factors **consistent with unity** at high p_T for whole centrality range
- intermediate- p_T enhancement (“**Cronin**”) increases with centrality
- Results from the 2 assumptions used here are in agreement within uncertainties
- The geometry bias effect is still present in the most peripheral bin

... AND MANY MORE PA RESULTS VS. CENTRALITY ...

R. Bailhache, Thu 10:00
 A. Festanti, Thu 17:00
 A. Barbano, Thu 15:40



F. Krizek, Fri 12:00



I. Arsene Thu 11:30
 S. Weber, Thu 16:00
 A. Camejo, Thu 16:20
 ArXiv: 1506.08808

CONCLUSIONS

- p-Pb physics program: As **control experiment** baseline measurements provide clear proof that effects in Pb-Pb collisions are genuine hot deconfined QCD matter effects
- Study centrality dependence: is hard probes connection to collision geometry the same as for MB?
centrality selection → **different sources of bias**
- ALICE approach:
forward energy from nucleus fragmentation → unbiased selection
+ assumptions for particle scaling
- **Centrality dependence of particle production:**
 - $dN/d\eta$ at midrapidity scales with N_{part}
 - high- p_T particle production follows binary scaling

but also: cold nuclear matter effects for J/ψ absorption

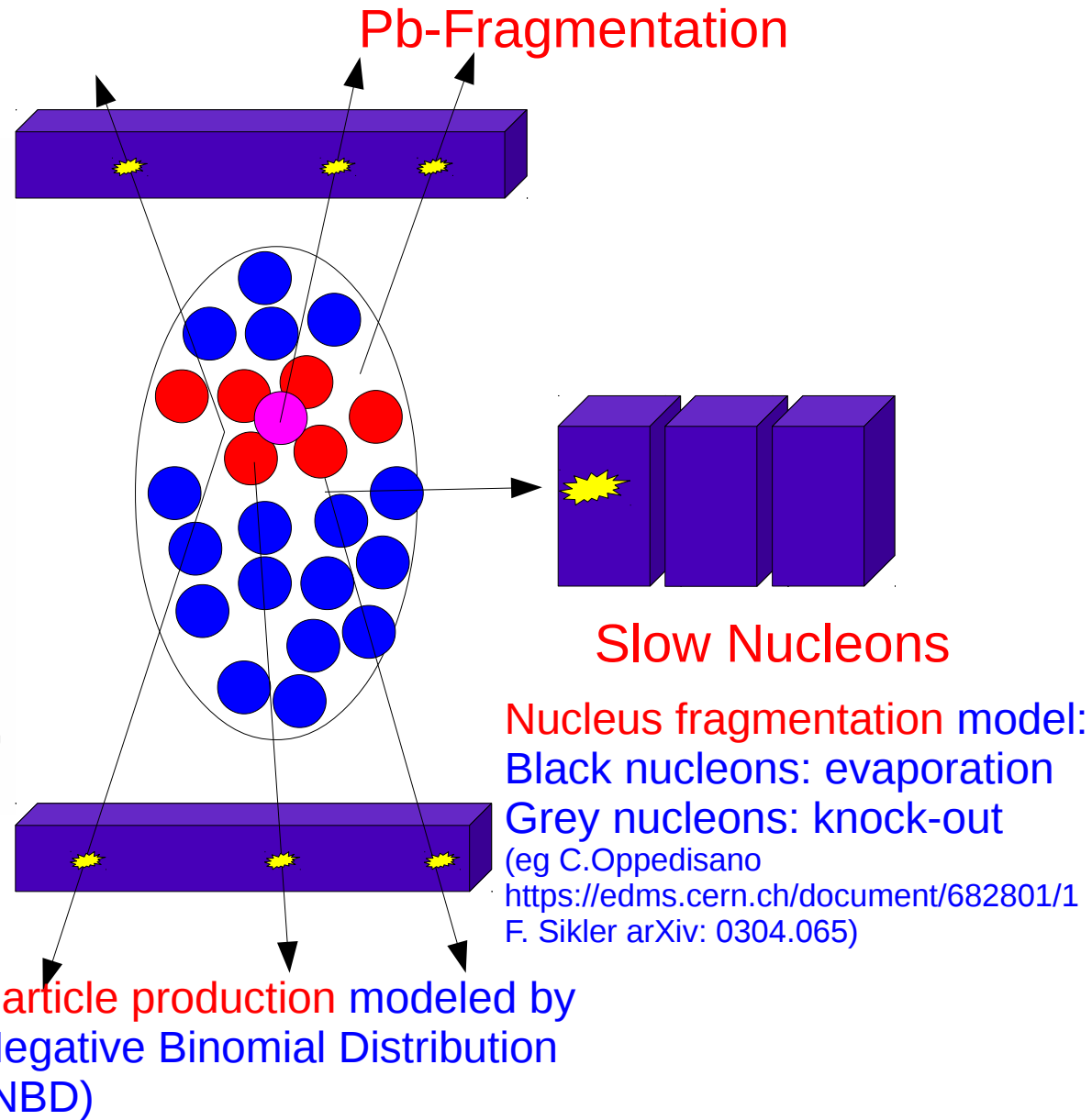
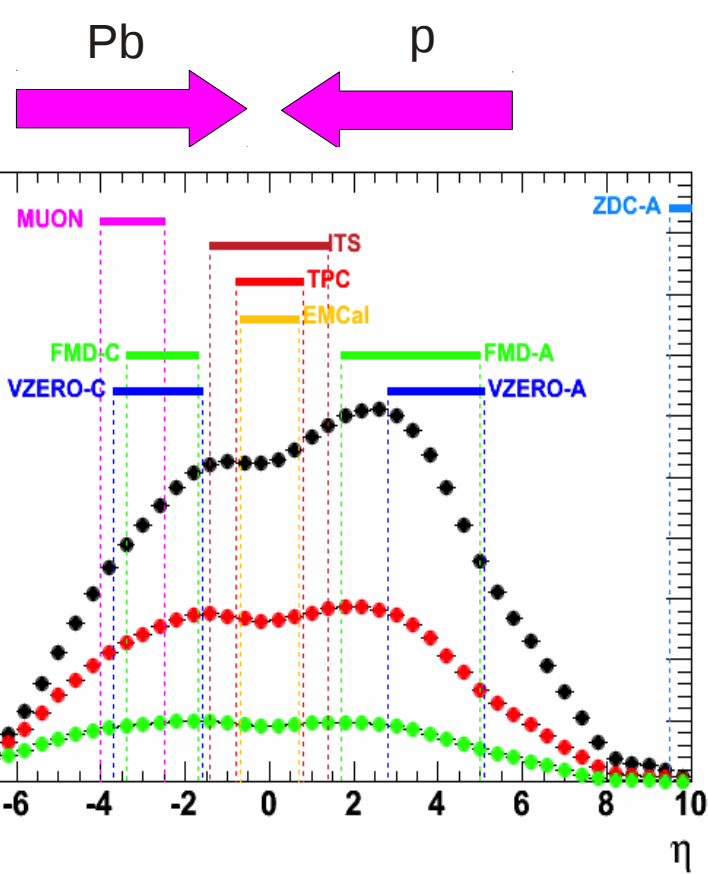
...



Night wraps the sky in tribute from the stars.
(Vladimir Mayakovsky, 1930)

BACKUP

DETECTORS USED FOR CENTRALITY

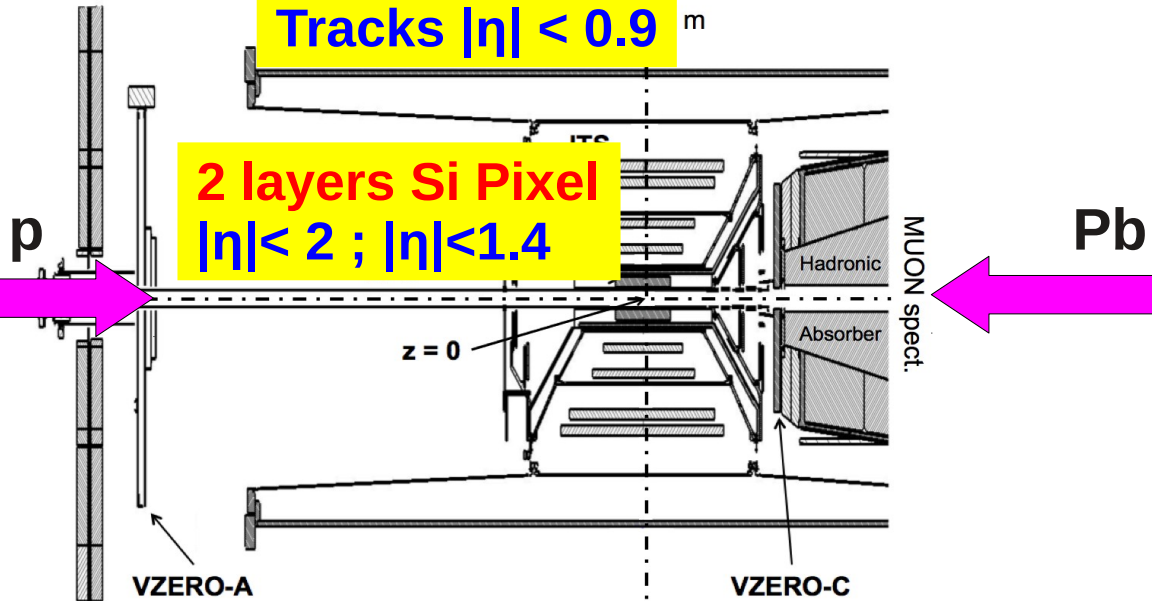


DETECTORS USED FOR CENTRALITY

MID-RAPIDITY

TPC+ITS
Tracks $|\eta| < 0.9$

2 layers Si Pixel
 $|\eta| < 2$; $|\eta| < 1.4$



VZERO Scintillators

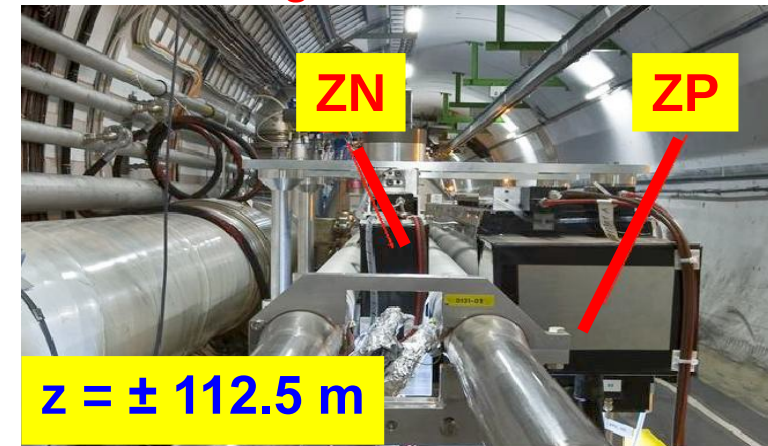
$z = 340$ cm
 $2.8 < \eta < 5.1$

$z = -90$ cm
 $-3.7 < \eta < -1.7$

Particle production modeled by
Negative Binomial Distribution
Pb-fragmentation more relevant
at forward rapidity

ZERO-DEGREE

Quartz-Fiber "Spaghetti"
Zero Degree Calorimeters



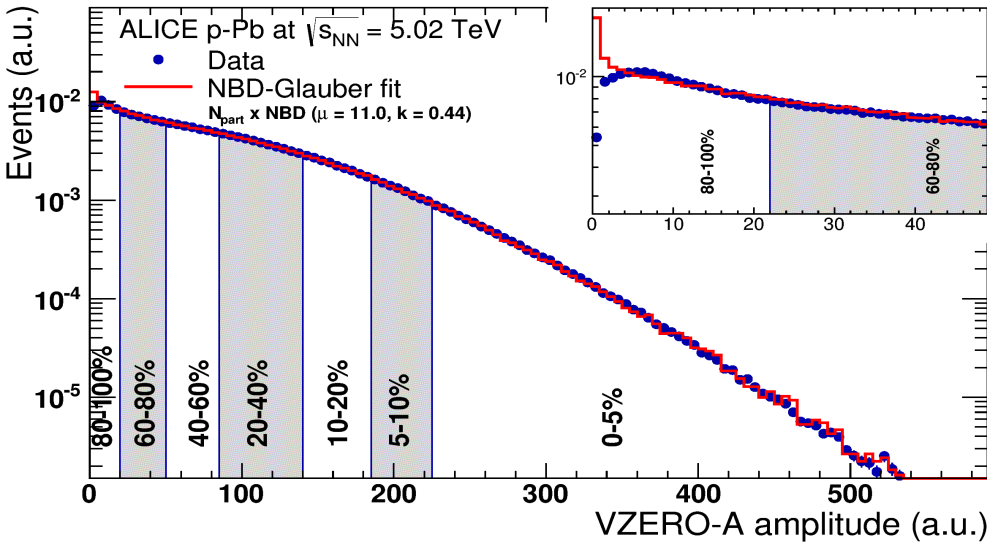
ZDC sensitive to slow nucleons
Nucleus fragmentation model:
Black nucleons: evaporation
Grey nucleons: knock-out

Centrality Estimators:

CL1: Clusters in 2nd Pixel Layer
V0M: VZERO-A+C Multiplicity
V0A: VZERO-A Multiplicity
ZNA: ZDC-A Neutron Energy

GLAUBER FIT

Glauber + Negative Binomial Distribution



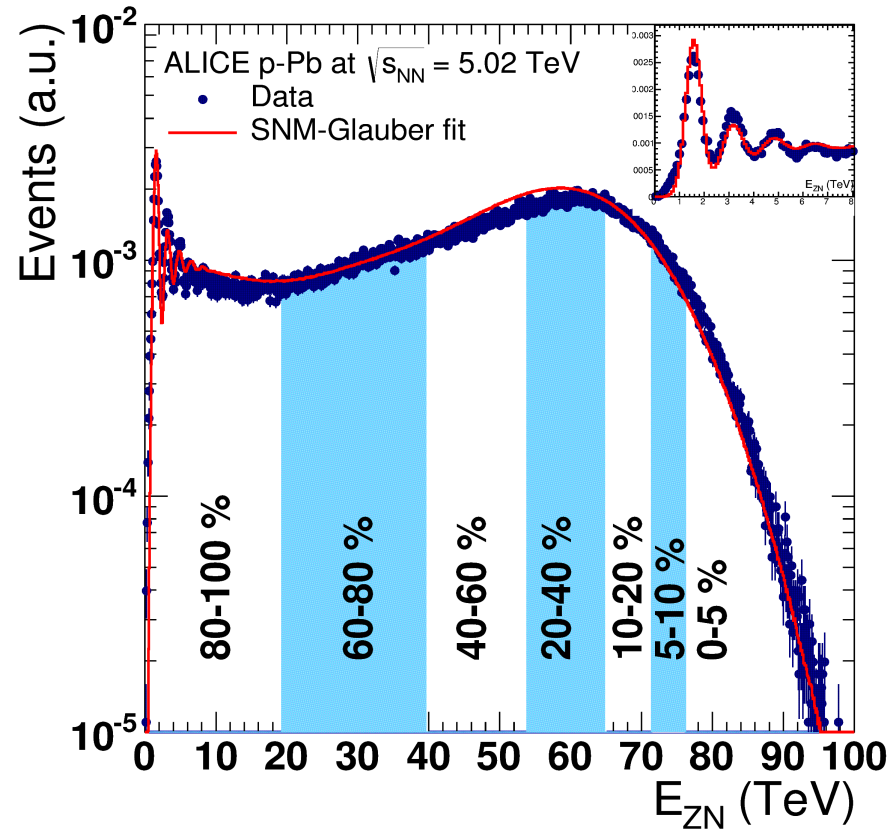
Glauber MC Parameters

$$\rho(r) = \rho_0 \frac{1}{1 + \exp\left(\frac{r-R}{a}\right)}$$

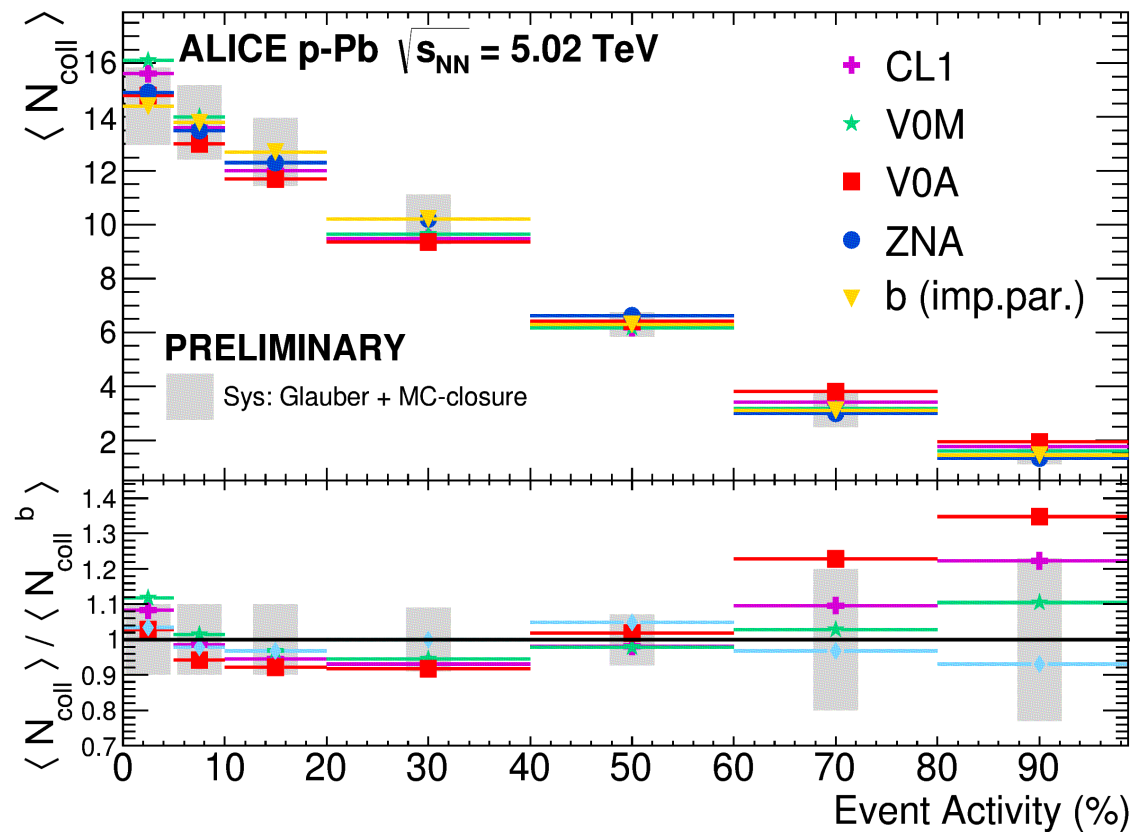
$R = 6.62 \pm 0.06$ fm
 $a = 0.546 \pm 0.01$ fm
 Minimum NN distance: 0.4 ± 0.4 fm
 pN Cross-section: $\sigma_{pN} = 70 \pm 5$ mb
 Proton radius: $R_p = 0.6 \pm 0.2$ fm

- Centrality classes: Multiplicity distribution sliced into percentiles of cross-section
- Obtain $P(N_{coll})$ from **Glauber MC**
- For each N_{coll} obtain
 - Multiplicity from **NBD**
 - Slow nucleons from **SNM**
- Obtain $\langle N_{coll} \rangle$ for each centrality class

Glauber + Slow Nucleon Model



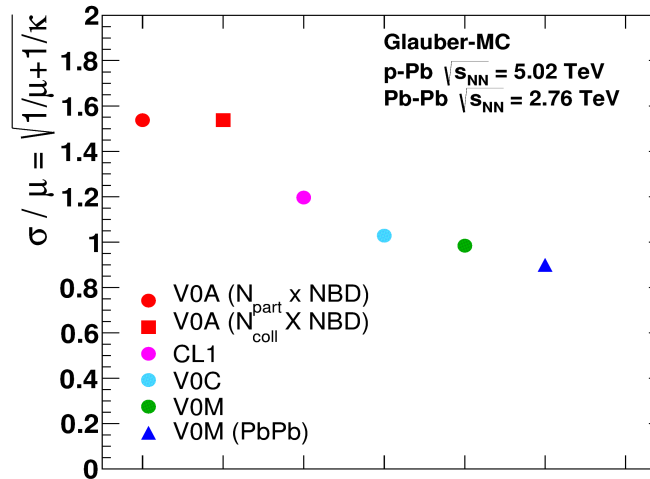
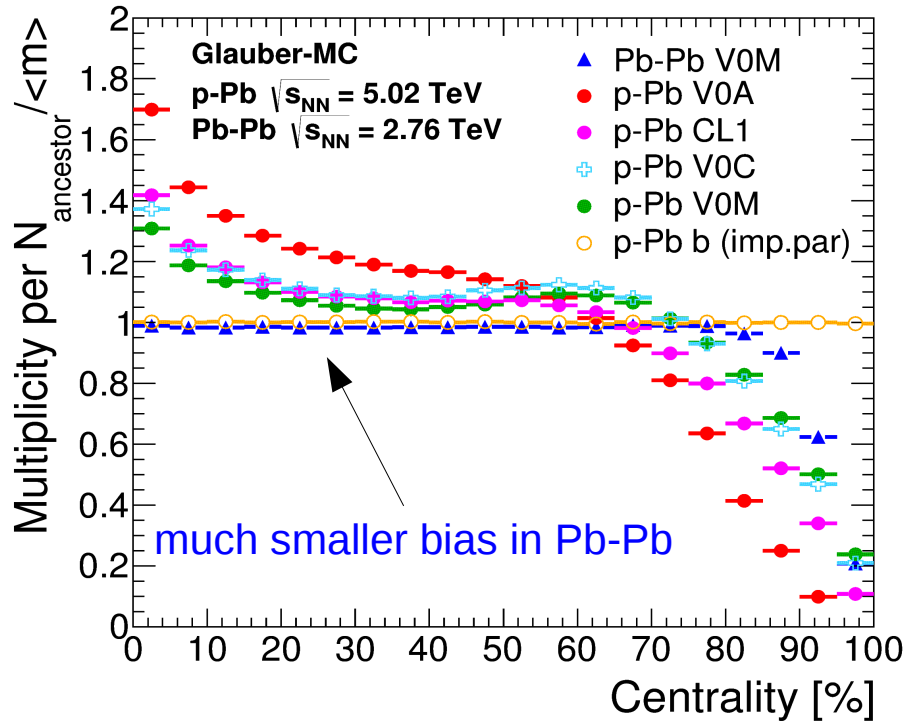
N_{coll} FROM GLAUBER FITS



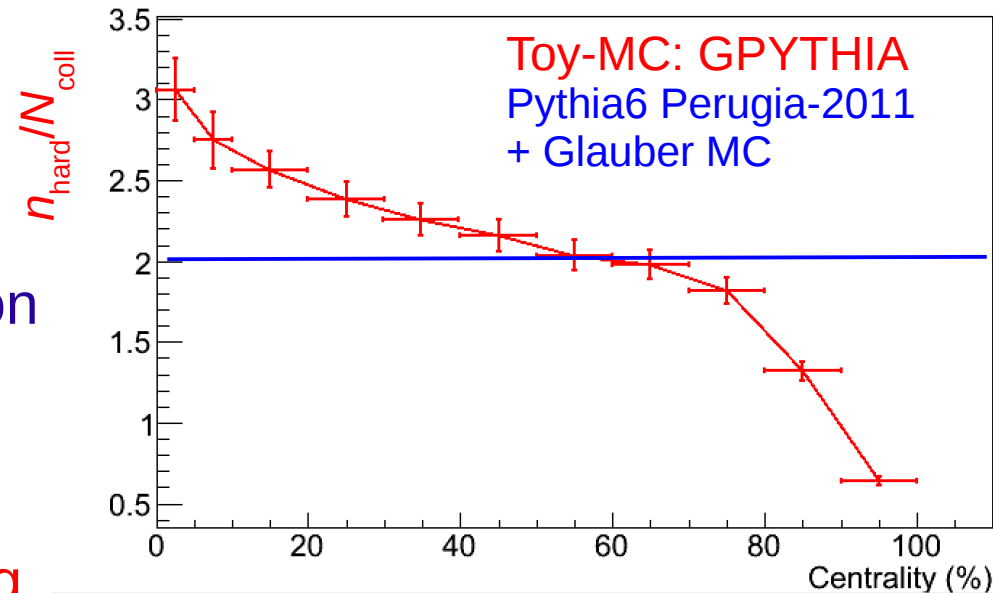
- $\langle N_{\text{coll}}^{\text{Glauber}} \rangle$ similar for different estimators
- Except for peripheral events, also similar to b-slicing
- Systematic error estimated by varying Glauber MC parameters.
- MC closure test performed with HIJING

Centrality (%)	N_{coll}^b	$N_{\text{coll}}^{\text{CL1}}$	$N_{\text{coll}}^{\text{V0M}}$	$N_{\text{coll}}^{\text{V0A}}$	Sys. Glauber	Sys. MC	Sys. Tot	$N_{\text{coll}}^{\text{ZNA}}$	Sys. SNM
0 - 5	14.4	15.6	15.7	14.8	10% (3.7%)	3%	10%	14.9	10%
5 - 10	13.8	13.6	13.7	13.0	10% (3.5%)	1%	10%	13.5	20%
10 - 20	12.7	12.0	12.1	11.7	10% (3.2%)	2%	10%	12.3	20%
20 - 40	10.2	9.49	9.55	9.36	8.8% (3.1%)	2%	9%	10.2	20%
40 - 60	6.30	6.18	6.26	6.42	6.6% (4.3%)	3%	7.2%	6.61	30%
60 - 80	3.10	3.40	3.40	3.81	4.3% (6.7%)	20%	20%	3.00	40%
80 - 100	1.44	1.76	1.72	1.94	2.0% (9.3%)	23%	23%	1.34	10%
0 - 100	6.90	6.82	6.87	6.87	10% (3.4%)	-	10%	6.90	-

MULTIPLICITY BIAS IN PA

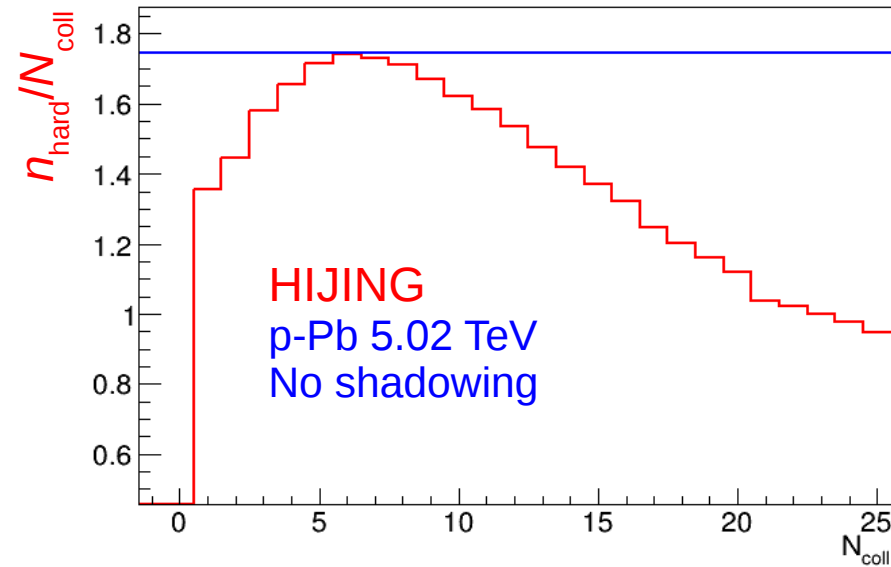


- **Multiplicity bias: fluctuations sizable**
 → Bias on $\text{Mult}/N_{\text{part}}$ at central and peripheral collisions
- MC models with multi-parton interaction (MPI) include fluctuations of particle sources (hard scatterings)
 HIJING (X.N. Wang, M. Gyulassy, nucl-th/9502021)
 → bias in mult ~ bias in hard scattering



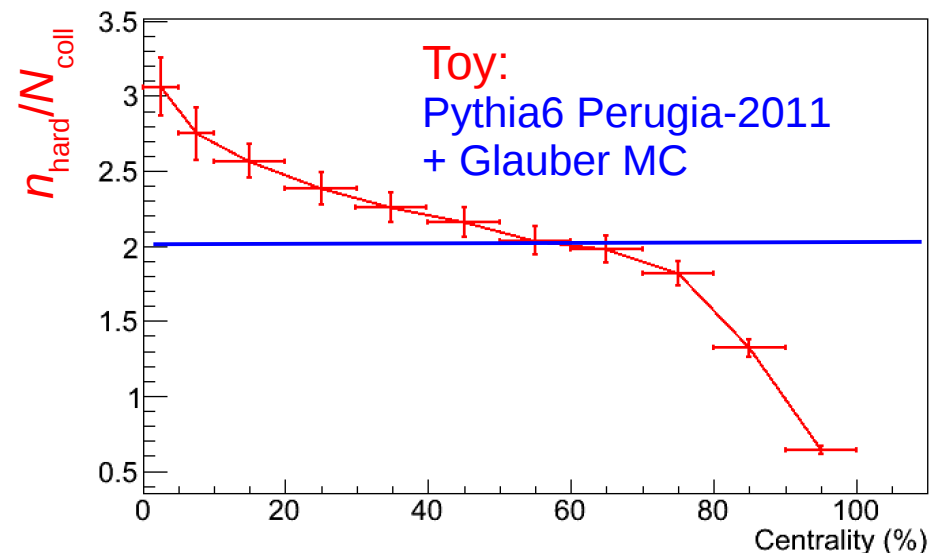
INSIGHTS FROM MONTE CARLO

N_{coll} scaling: $n_{\text{hard}}/N_{\text{coll}} = \text{const.}$



Number of hard scatterings per p-N collision

- vs N_{coll} (no multiplicity bias here !)
- Deviation from N_{coll} scaling
 - at low N_{coll} : geometry b_{NN}
 - at high N_{coll} : energy conservation (break down of factorization)

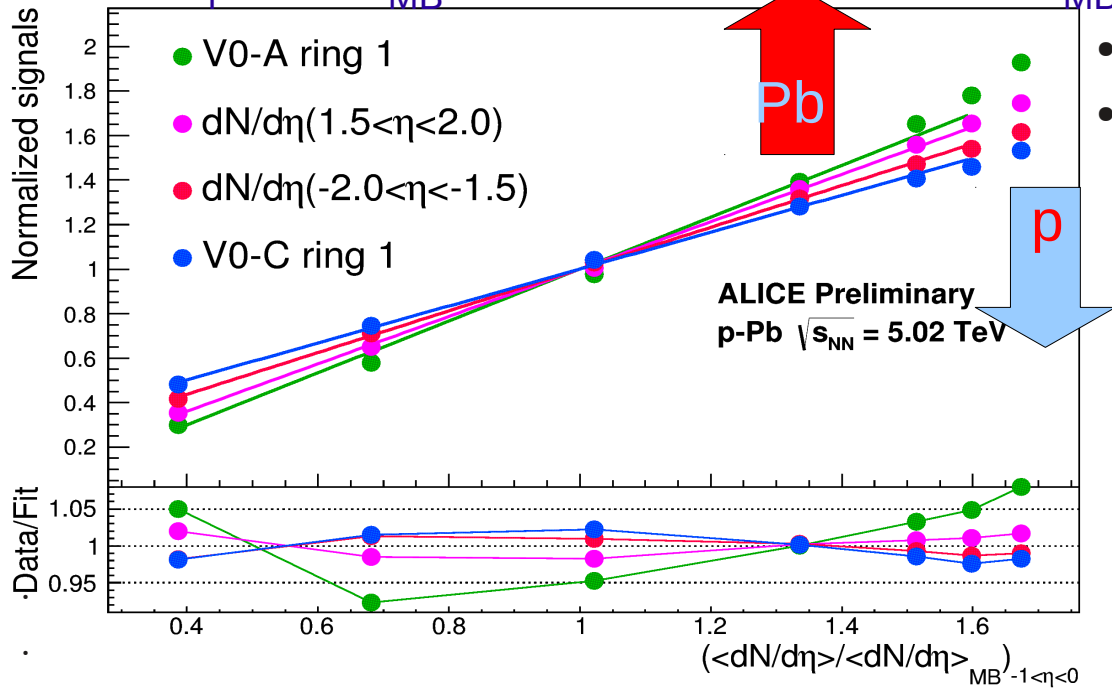


p-Pb collisions described as incoherent superposition of nucleon-nucleon

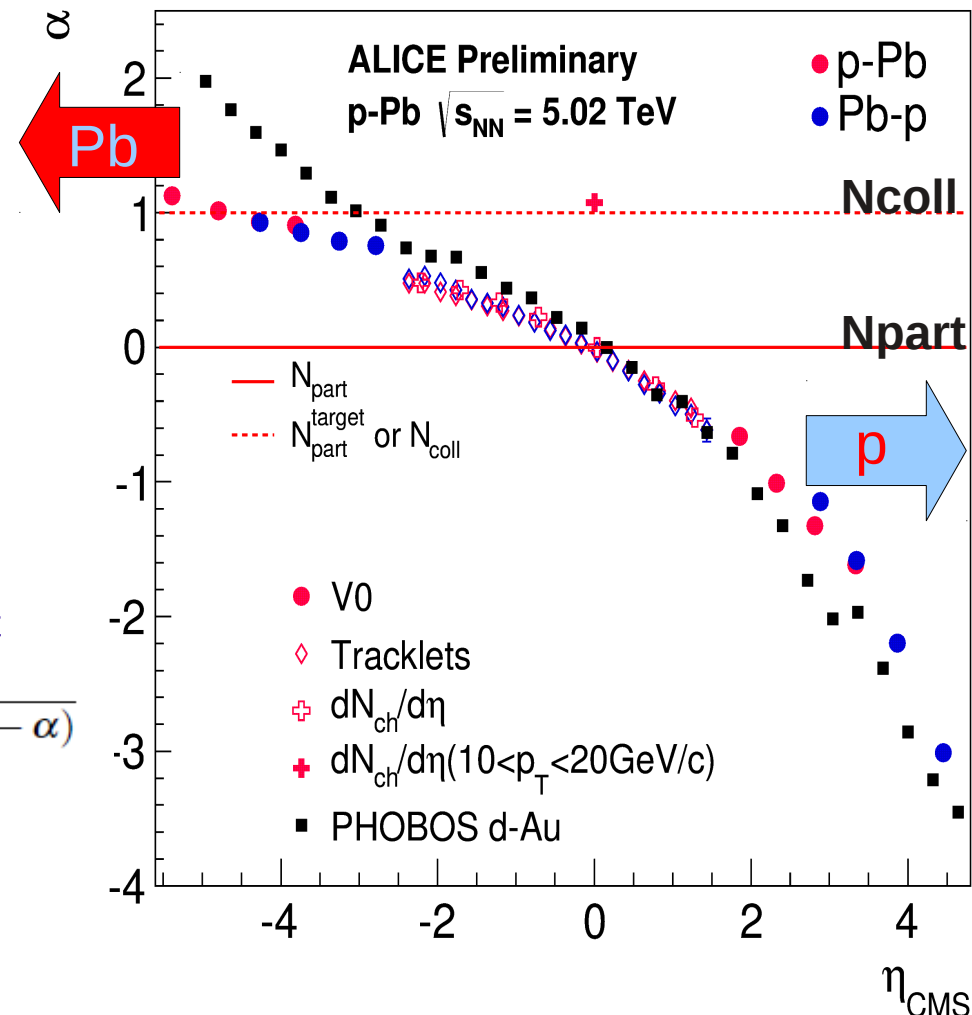
- vs centrality from multiplicity $|\eta| < 1.4$
- only multiplicity bias
- strong deviation from N_{coll} -scaling at low and high centralities.

SCALING OF PARTICLE PRODUCTION

$\langle S \rangle_i / \langle S \rangle_{MB}$ vs $\langle dN/d\eta \rangle_i / \langle dN/d\eta \rangle_{MB}$ ($-1 < \eta_{lab} < 0$)



- PHOBOS d-Au: $\eta \rightarrow 1.6 * \eta$ (beam rapidity)
- Similar dependence except A-going dir.



Fit: assuming $dN/d\eta$ scales with N_{part}

$$\frac{\langle S \rangle_i}{\langle S \rangle_{MB}} = \frac{\langle N_{part} \rangle_{MB}}{(\langle N_{part} \rangle_{MB} - \alpha)} \cdot \left(\frac{\langle dN/d\eta \rangle_i}{\langle dN/d\eta \rangle_{MB}} \right)_{-1 < \eta < 0} - \frac{\alpha}{(\langle N_{part} \rangle_{MB} - \alpha)}$$

$\alpha = 0$ – perfect N_{part} scaling

$\alpha = 1$ – perfect N_{coll} (or N_{part}^{target}) scaling

α has clear meaning (N_{part} vs N_{coll} scaling)

correlation between causally disconnected observables (eg: slow neutrons - multiplicity)

→ **connection to geometry.**

SLOW NUCLEON MODEL

PROTONS

- ➔ E910 (p-Au @ 18 GeV/c) fit to N_{gray} vs. N_{coll} to determine the average number of gray protons [\[I. Chemakin et al., Phys. Rev. C 60 024902 \(1999\)\]](#)

$$\langle N_{\text{gray p}} \rangle = (c_0 + c_1 N_{\text{coll}} + c_2 N_{\text{coll}}^2) (A_{\text{Pb}}/A_{\text{Au}})^{2/3}$$

- ➔ COSY (p-Au @ 2.5 GeV) measured the fraction of black over gray protons for the average number of black protons [\[A. Letourneau, Nucl. Phys. A 712 \(2002\) 133\]](#)

$$\langle N_{\text{black p}} \rangle = f_{\text{blackovergray}} * \langle N_{\text{gray p}} \rangle$$

$$\Rightarrow f_{\text{blackovergray}} = 0.65$$

- ➔ $N_{\text{gray p}}$, $N_{\text{black p}}$ extracted from binomial distributions

NEUTRONS

- ➔ from COSY: Light Charged Particle ($Z \leq 7$)

$$\text{LCP} = (\langle N_{\text{gray p}} \rangle + \langle N_{\text{black p}} \rangle) / \alpha$$

$$\Rightarrow \alpha = 0.585 \text{ (COSY) is left free}$$

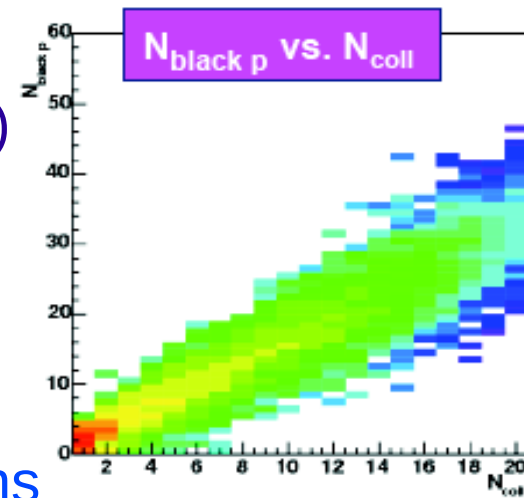
$$\langle N_{\text{slow n}} \rangle = \langle N_{\text{black n}} \rangle + \langle N_{\text{gray n}} \rangle = a + b / (c - \text{LCP}) \Rightarrow a \text{ (b, c) can be finely tuned}$$

- ➔ results from p induced spallation reactions (0.1-10 GeV) for the fraction of black/gray neutrons

$$\langle N_{\text{black n}} \rangle = 0.9 * \langle N_{\text{slow n}} \rangle$$

- ➔ $N_{\text{gray n}}$, $N_{\text{black n}}$ extracted from binomial distributions

SLOW NUCLEON MODEL

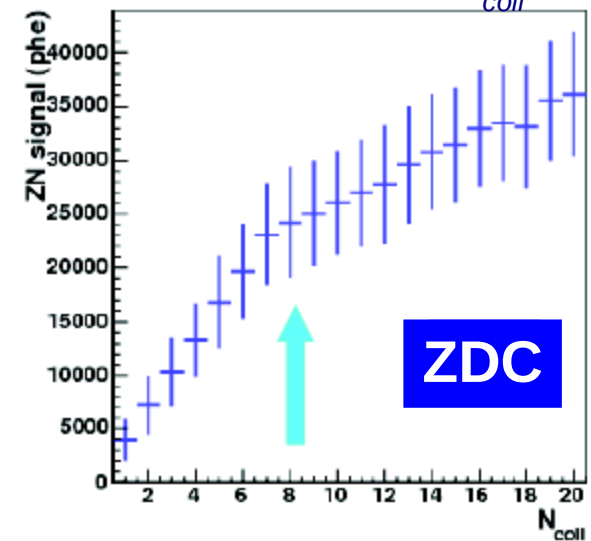


- Features of $N_{ch} \sim$ independent of $E_{projectile}$ (1GeV \rightarrow 1 TeV)
- **Slow nucleons** emission dictated by collision geometry \rightarrow Maxwell-Boltzmann (independent statistical emission) classified from emulsion experiments
 - Gray: soft nucleons knocked out by wounded nucleons
 - Black: low energy target fragments from de-excitation, evaporation
- Glauber model \rightarrow distribution of N_{coll}
- implemented model used a parameterization of results from low energy experiments

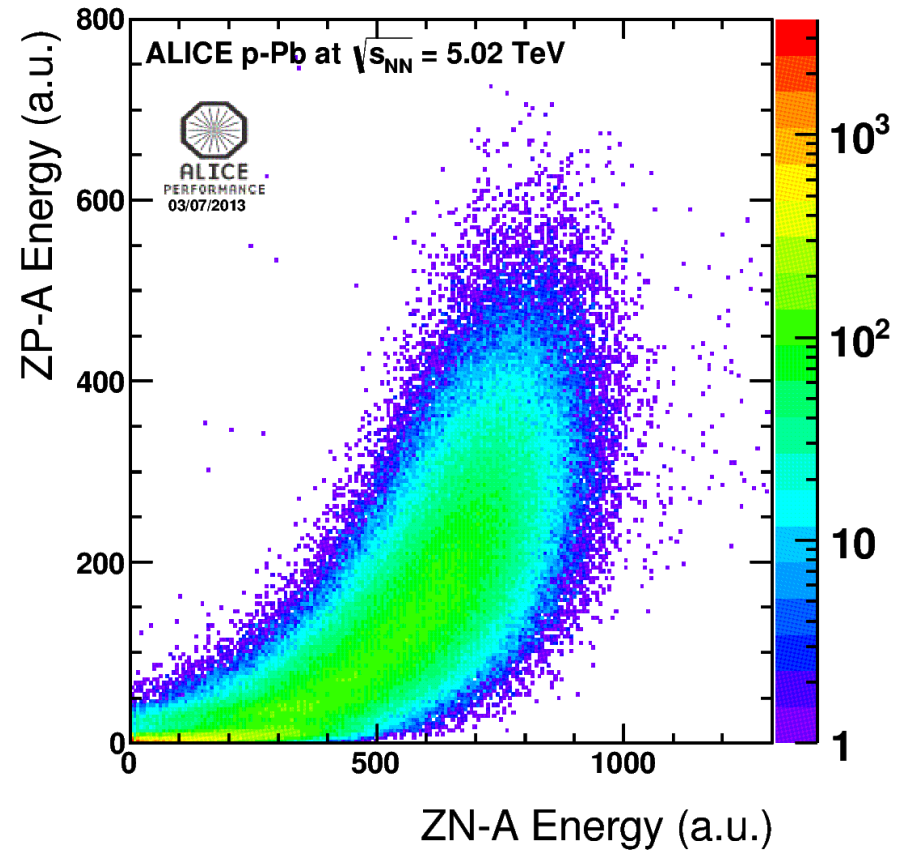
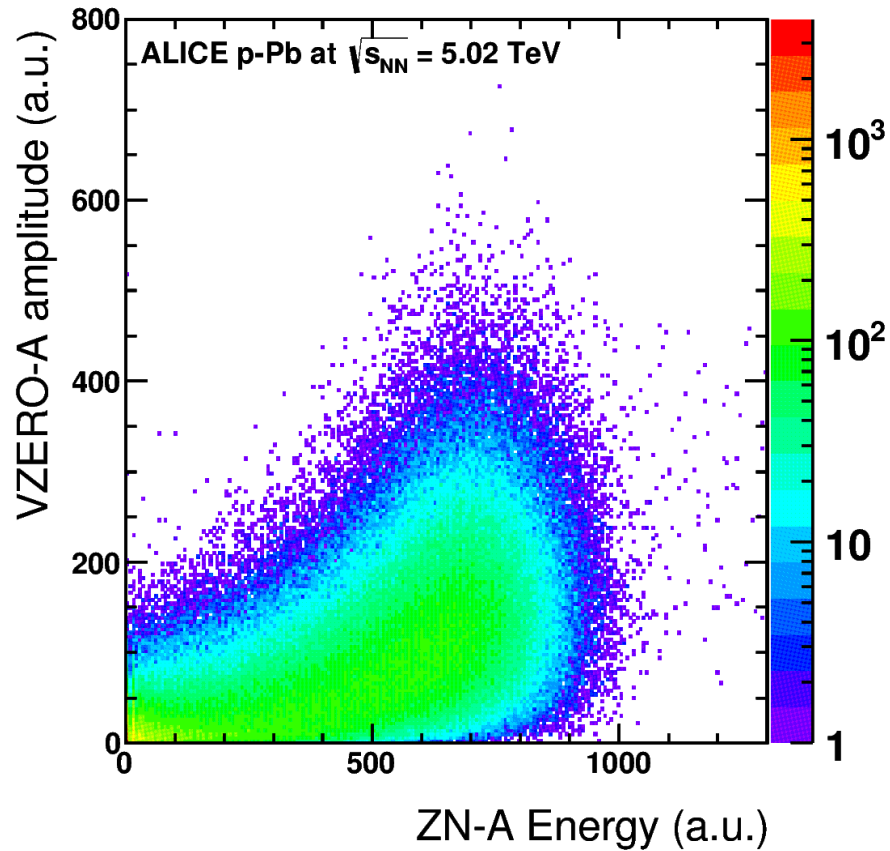
C.Oppedisano <https://edms.cern.ch/document/682801/1>
 F. Sikler, hep-ph/0304065

SLOW NUCLEONS	β [c units]	p [MeV/c]	E_{kin} [MeV]
Black	0 \div 0.25	0 \div 250	0 \div 30
Gray	0.25 \div 0.70	250 \div 1000	30 \div 400

saturation in N_{black} vs N_{gray}
 \rightarrow also in ZDC vs N_{coll}

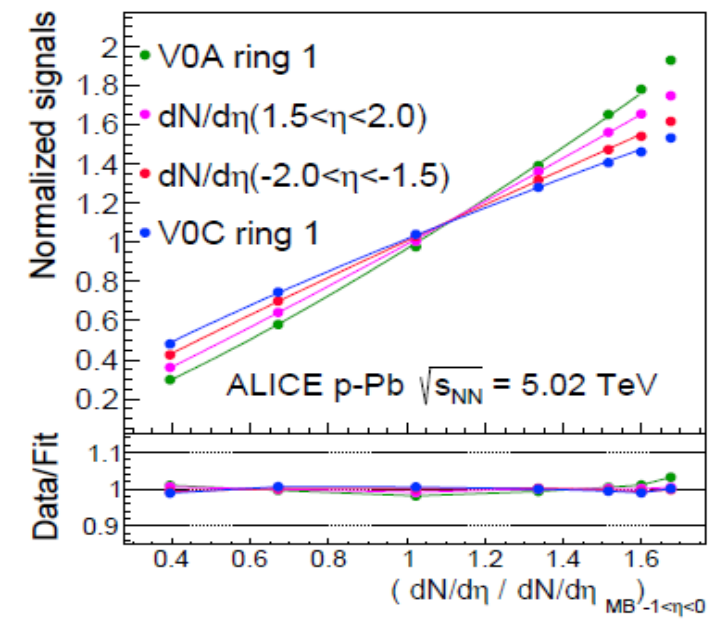
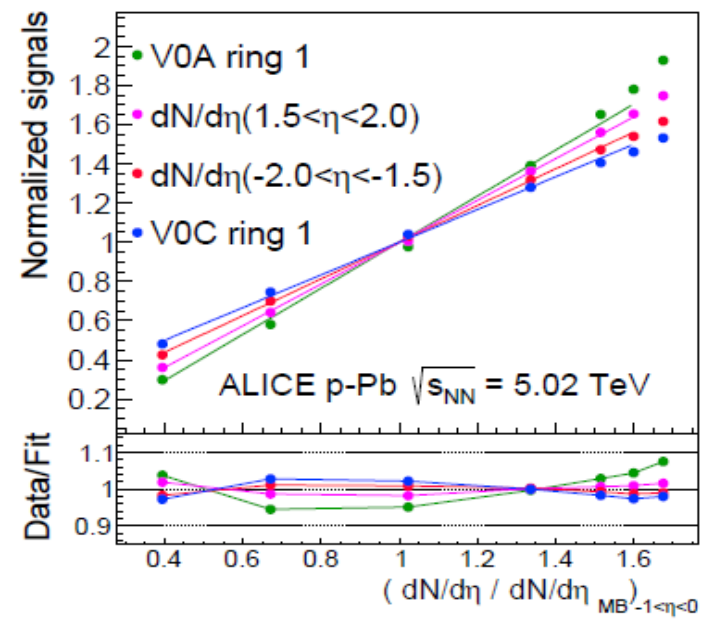


ZNA CORRELATIONS



SCALING OF PARTICLE PRODUCTION

- Scaling studied by defining so called self-normalized signals $\langle S \rangle_i / \langle S \rangle_{MB}$ vs self-normalized mid-rapidity $dN/d\eta(-1 < \eta_{lab} < 0)$



- Fit: assuming mid-rapidity $dN/d\eta$ scales with N_{part}

LINEAR

$$\frac{\langle S \rangle_i}{\langle S \rangle_{MB}} = \frac{\langle N_{part} \rangle_{MB}}{(\langle N_{part} \rangle_{MB} - \alpha)} \cdot \left(\frac{\langle dN/d\eta \rangle_i}{\langle dN/d\eta \rangle_{MB}} \right)_{-1 < \eta < 0} - \frac{\alpha}{(\langle N_{part} \rangle_{MB} - \alpha)}$$

- $\alpha = 0$ – perfect N_{part} scaling
- $\alpha = 1$ – perfect N_{coll} (or N_{target_part}) scaling
- α has clear meaning (N_{part} vs N_{coll} scaling)

POWER-LAW

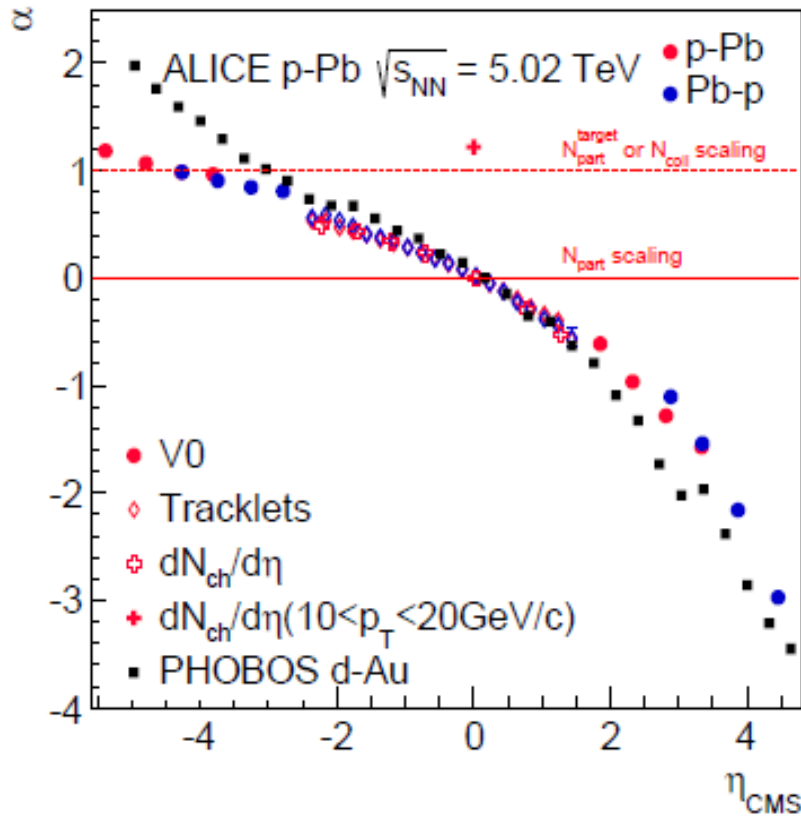
$$\frac{\langle S \rangle_i}{\langle S \rangle_{MB}} = \frac{\langle N_{part} \rangle_{MB}^\beta}{\langle N_{part} \rangle_{MB}^\beta} \cdot \left(\frac{\langle dN/d\eta \rangle_i}{\langle dN/d\eta \rangle_{MB}} \right)_{-1 < \eta < 0}^\beta$$

- $\beta = 0$ – perfect N_{part} scaling

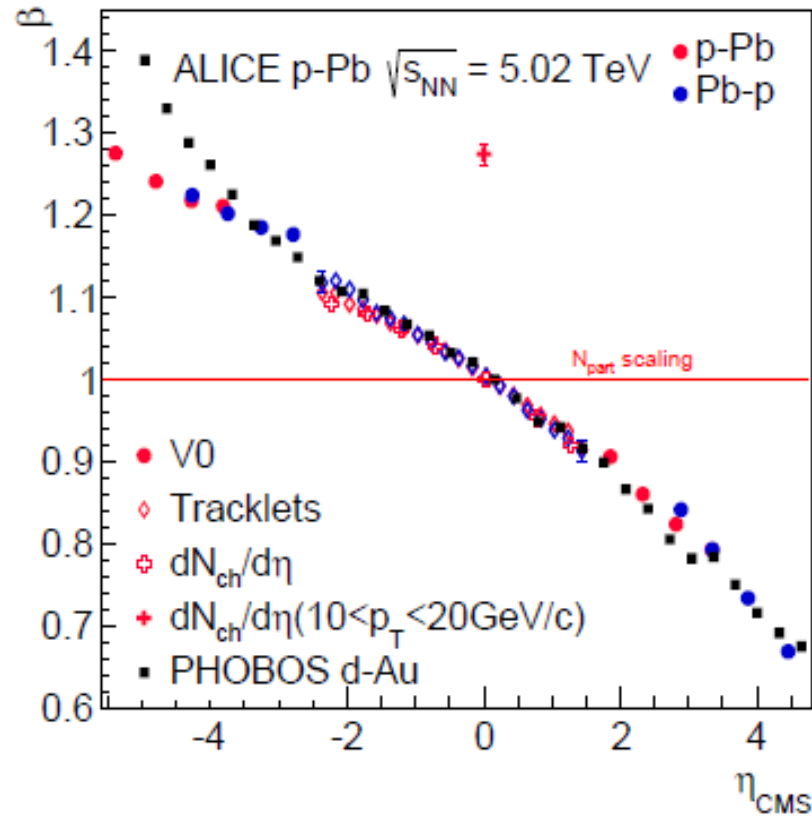
SCALING VS η_{CMS}

Ring	$\langle \eta_{CMS} \rangle$ (p-Pb)	$\langle \eta_{CMS} \rangle$ (Pb-p)
VZERO-A ring 1	-5.39	4.45
VZERO-A ring 2	-4.80	3.87
VZERO-A ring 3	-4.28	3.35
VZERO-A ring 4	-3.82	2.89
VZERO-C ring 1	3.34	-4.26
VZERO-C ring 2	2.82	-3.74
VZERO-C ring 3	2.33	-3.25
VZERO-C ring 4	1.86	-2.78

LINEAR

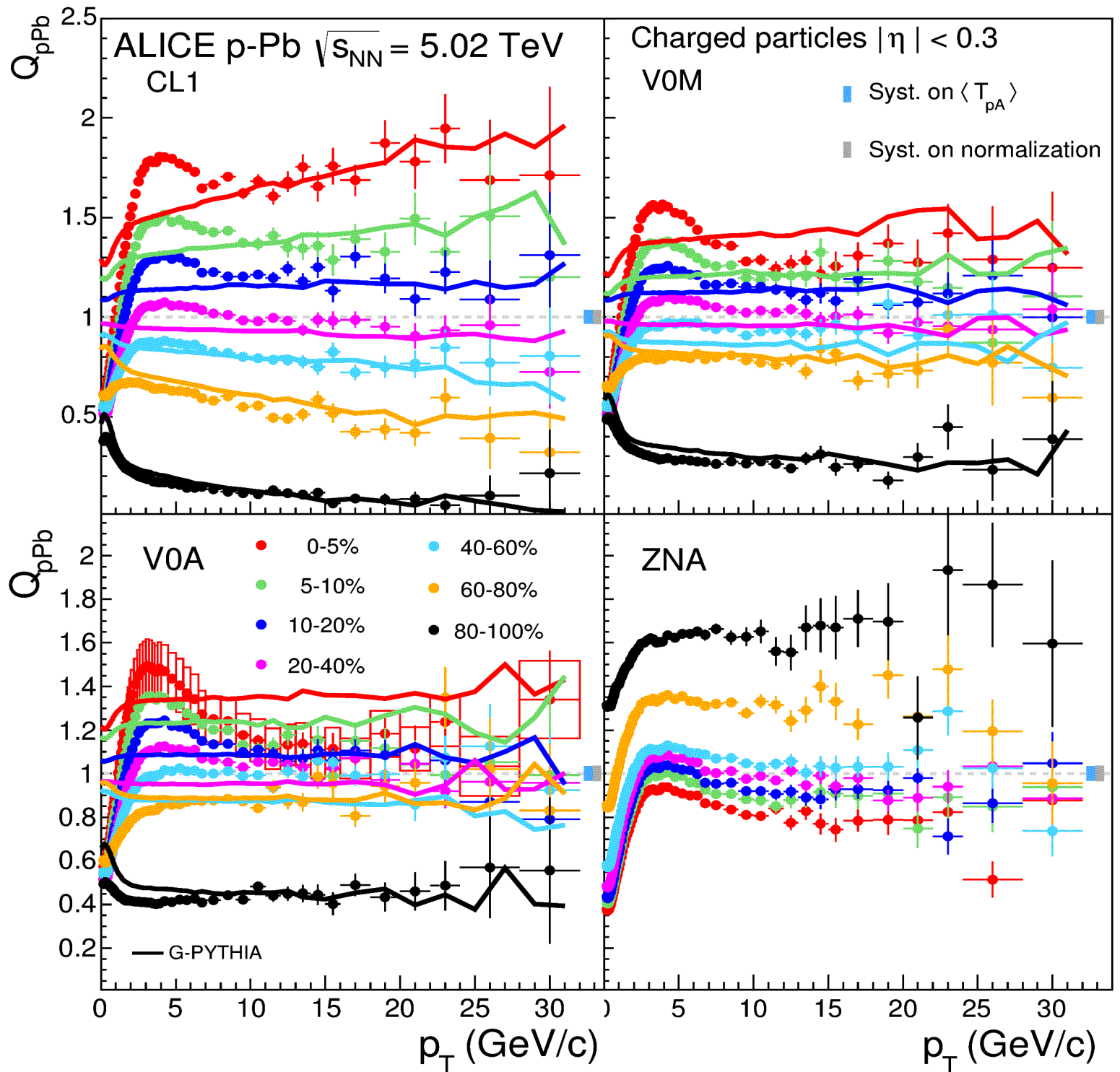


POWER-LAW

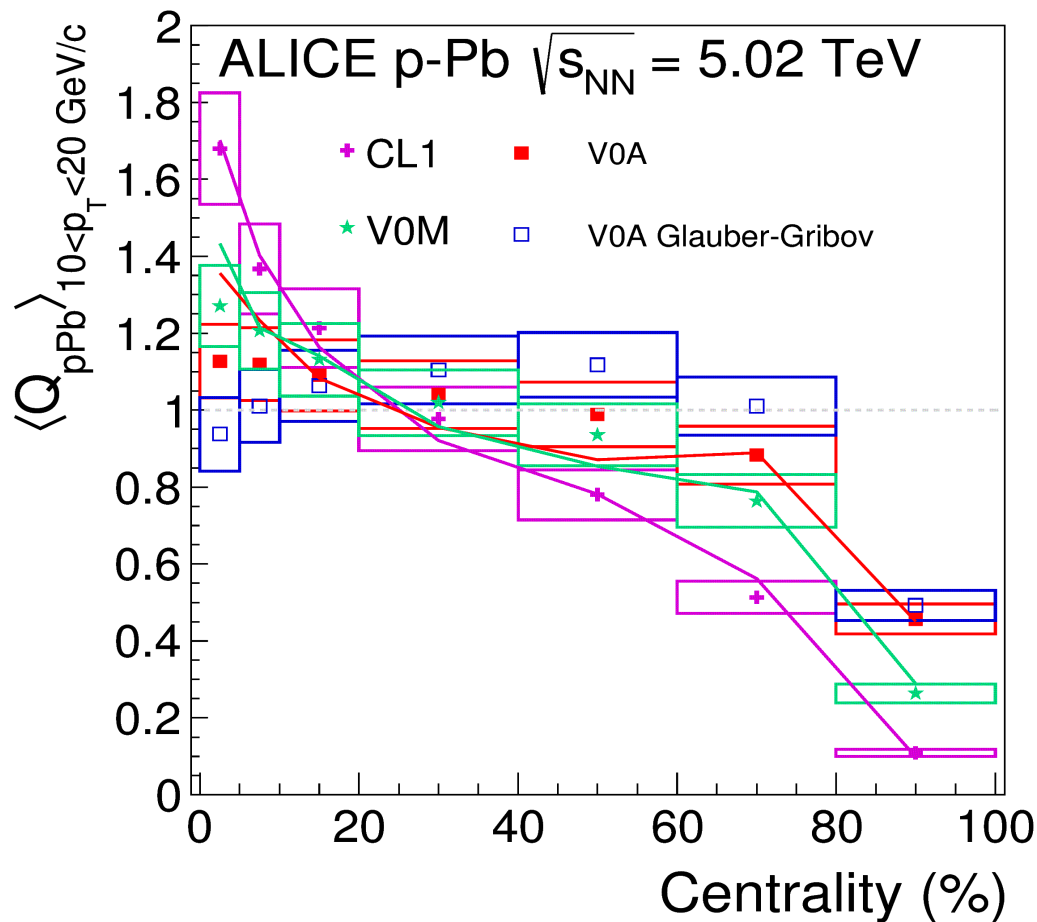


- PHOBOS d-Au $dN_{d\eta}(\eta)$ data, $\eta \rightarrow 1.6 \cdot \eta$ (beam rapidity RHIC \rightarrow LHC)
- Similar dependence between our and PHOBOS data, except forward nucleus-going direction
- High- p_T and inner VZERO-A ring quite similar, $\Delta(\alpha) \sim 0.2$
- Mid-rapidity vs inner VZERO-A is not perfect N_{part} vs N_{coll} scaling, $\Delta(\alpha) \sim 1.2$

Q_{pPb}



MEAN Q_{PPB} AT $P_T > 10$ GEV



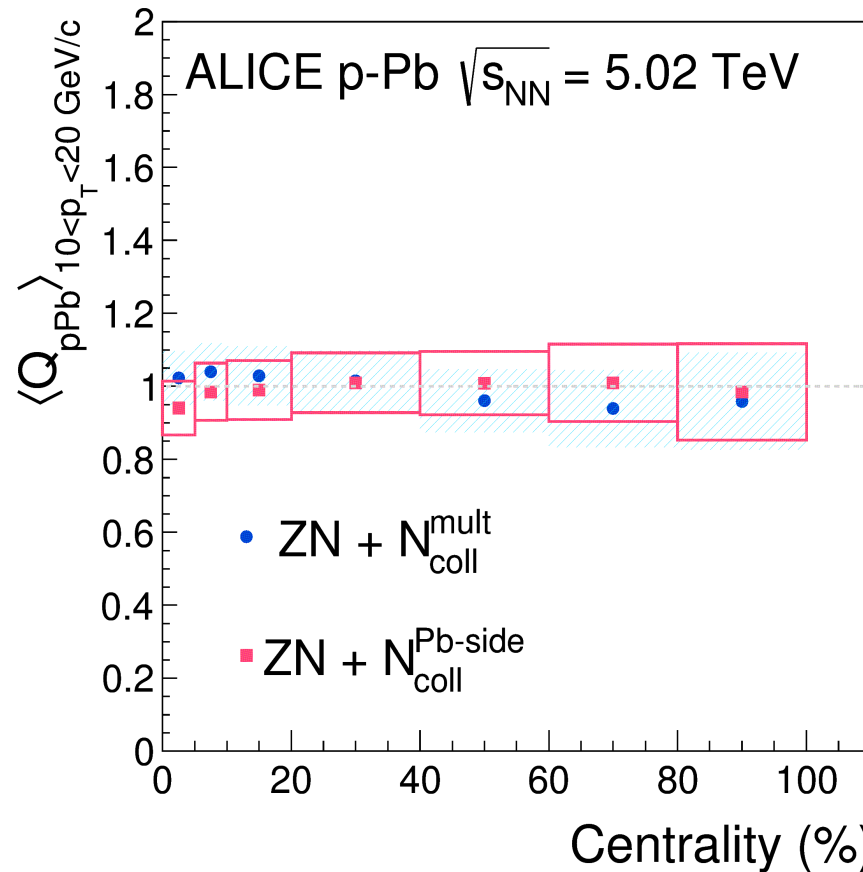
p-Pb collisions described as incoherent superposition of nucleon-nucleon

- vs centrality from multiplicity $|\eta| < 1.4$
- **only multiplicity bias**
- strong deviation from N_{coll} -scaling at low and high centralities.

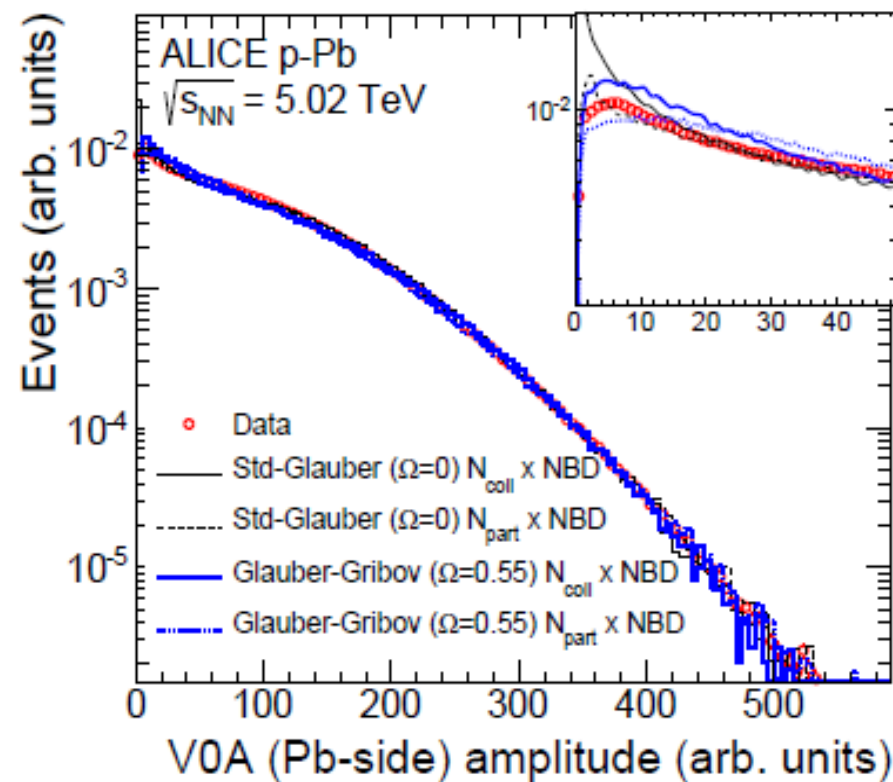
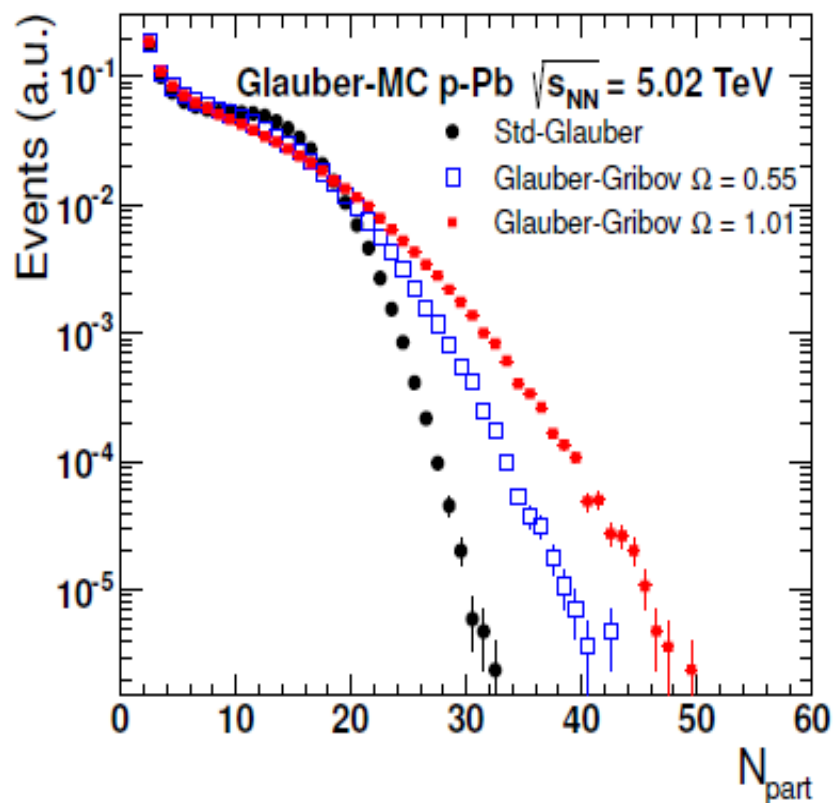
Same “S-shape” dependence as seen

- from multiplicity bias (Glauber + NBD fit)
- from Toy-MC (Glauber + Pythia)

Shape flattens with increasing rapidity gap:
 CL1 \rightarrow V0M \rightarrow V0A
 QpA flat for hybrids

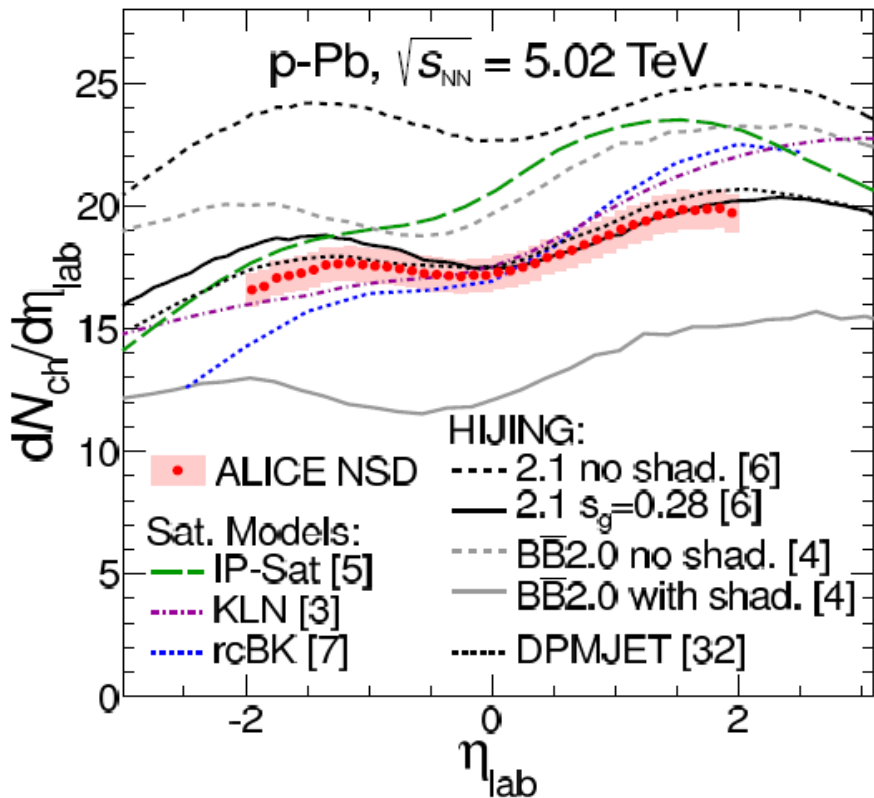


GLAUBER-GRIBOV



Centrality (%)	Glauber		Glauber-Gribov	
	N_{part} x NBD	N_{coll} x NBD	N_{part} x NBD	N_{coll} x NBD
0 - 5	14.8	14.9	17.8	19.2
5 - 10	13.0	13.2	14.4	15.2
10 - 20	11.7	11.8	12.0	12.5
20 - 40	9.36	9.49	8.82	9.04
40 - 60	6.42	6.49	5.68	5.56
60 - 80	3.81	3.59	3.33	2.89
80 - 100	1.94	1.85	1.80	1.43
0 - 100	6.87	6.87	6.73	6.75

MULTIPLICITY IN PA



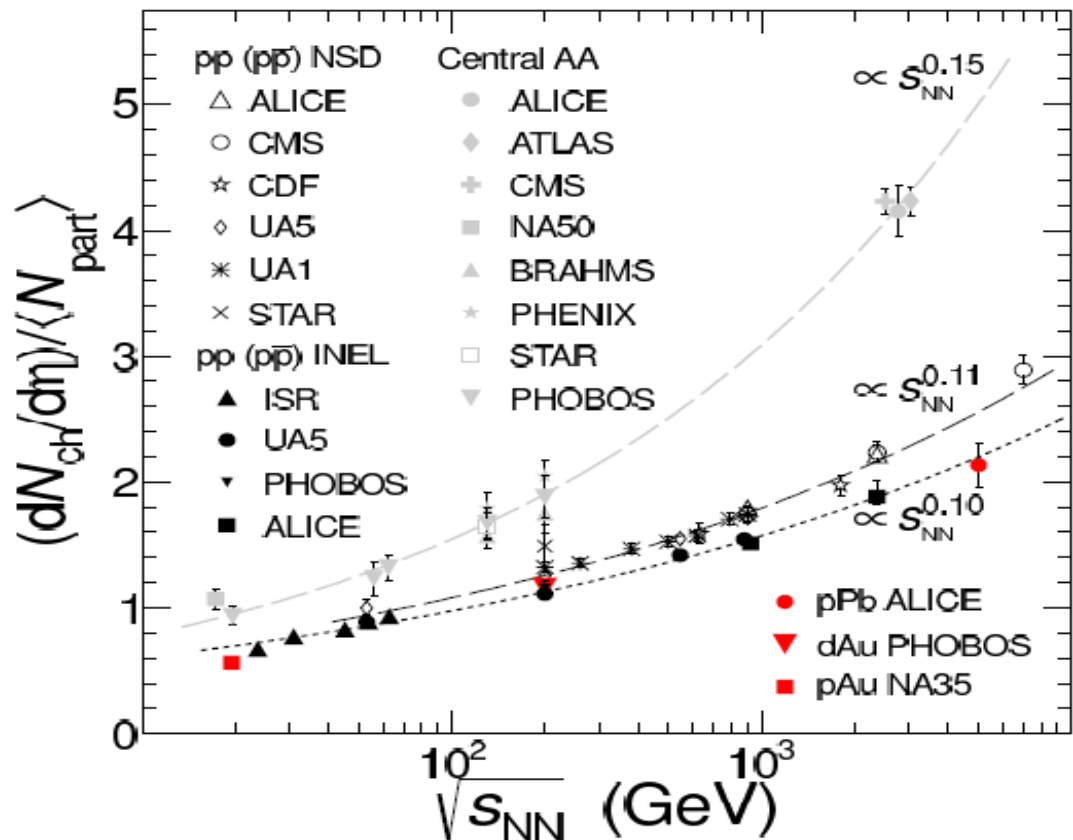
RAPIDITY DISTRIBUTION

- Data favors models that incorporate shadowing
- Saturation models predict much steeper η -dependence which is not seen in the data

ALICE Coll. Phys. Rev. Lett. 110, 032301 (2013)

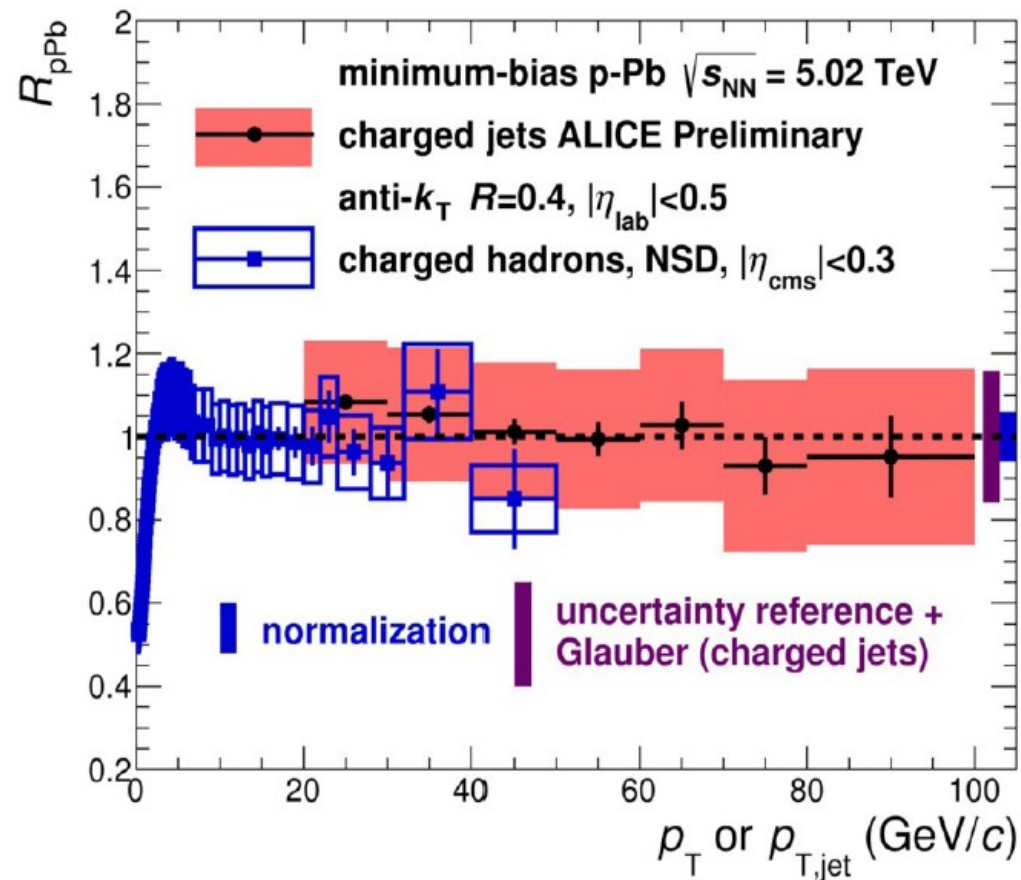
ENERGY DEPENDENCE

- ~15% below NSD pp collisions
- Similar to inelastic pp collisions
- 84% higher than in d–Au collisions at $\sqrt{s_{NN}} = 0.2$ TeV.

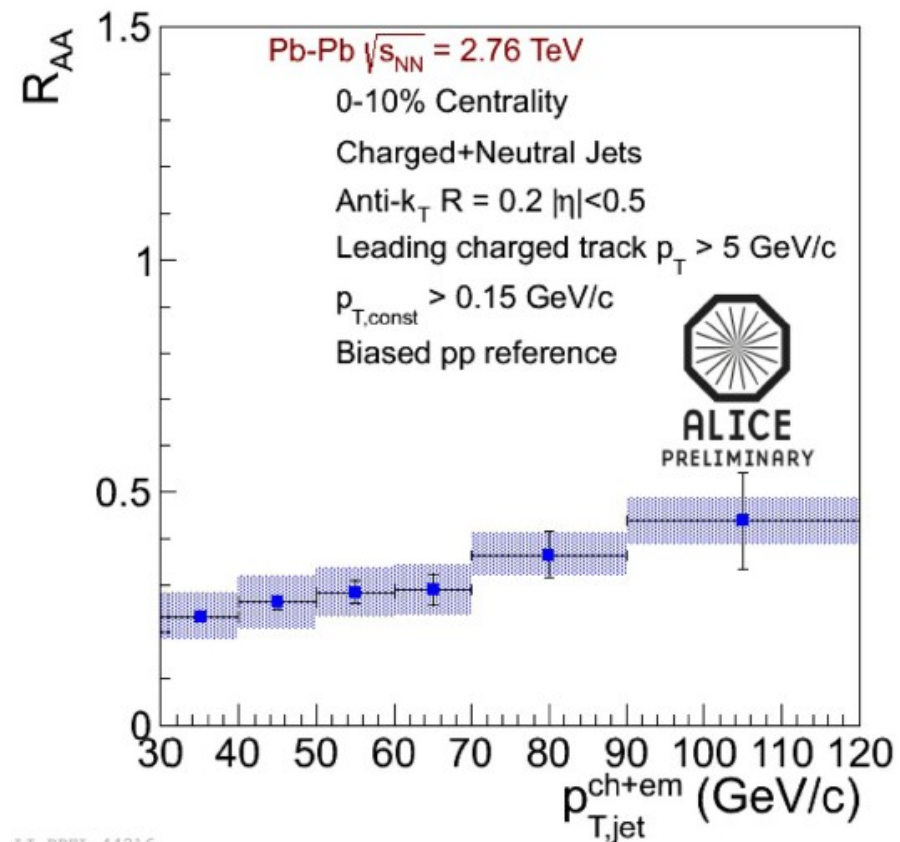


JETS R_{pA}

p-Pb (minimum bias)

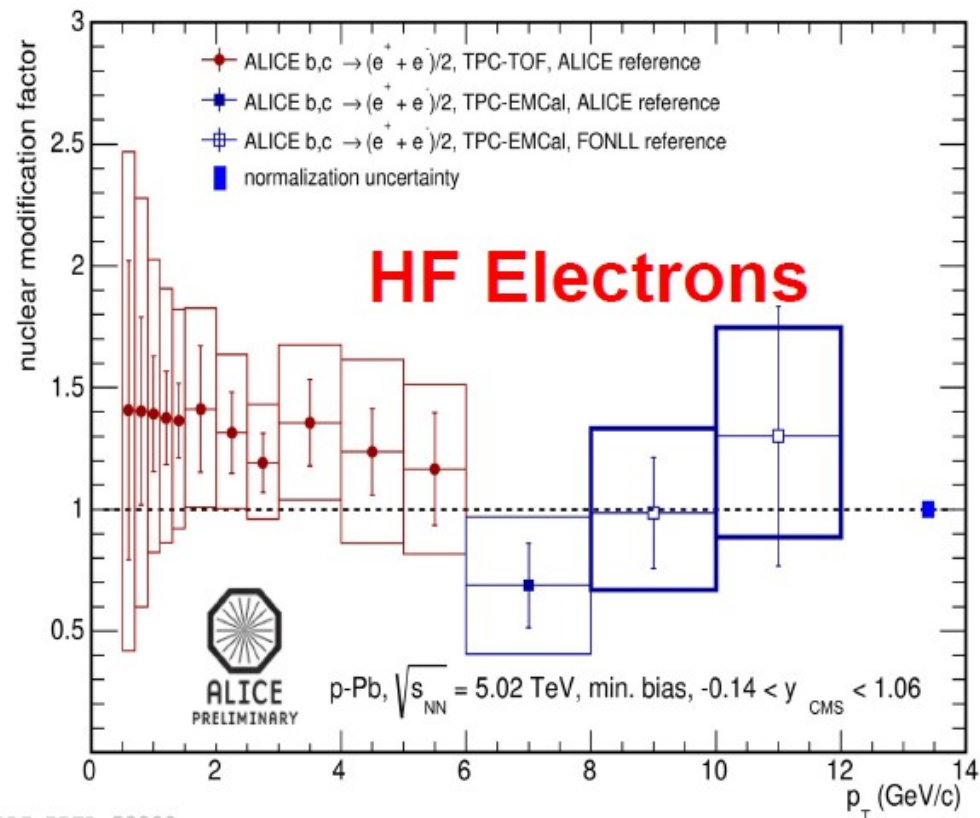
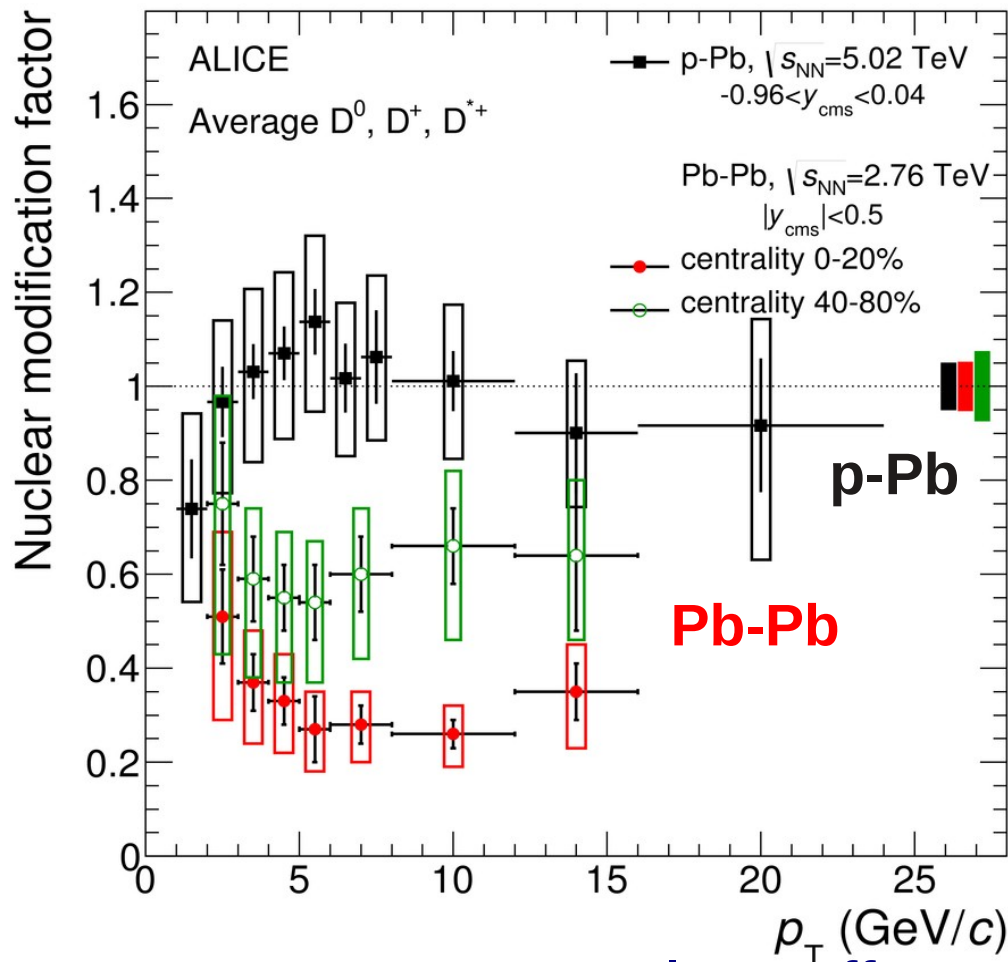


Pb-Pb (central)



- $R_{pPb} \sim 1 \rightarrow$ no nuclear effects in pPb
 \rightarrow suppression in PbPb is a final state effect

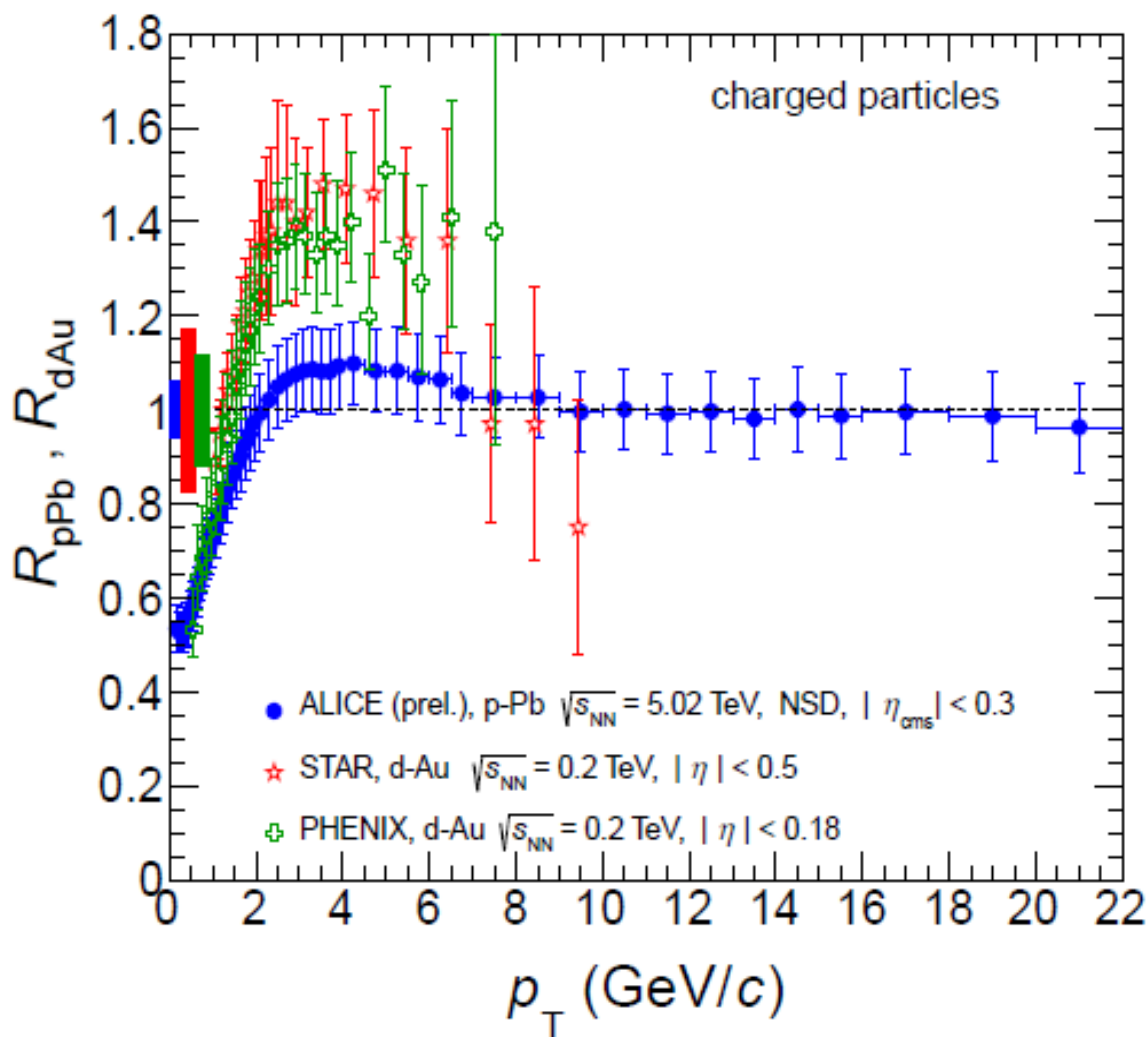
HEAVY FLAVOR R_{pA}



- $R_{pPb} \sim 1 \rightarrow$ no nuclear effects in pPb
- \rightarrow suppression in PbPb is a final state effect

ALICE Coll. Phys. Rev. Lett. 113 (2014) 232301

FLOW, CRONIN OR SATURATION?



To distinguish scenarios
look differentially!

LHC vs. RHIC data

- **Cronin effect**: “re-distribution” of low- p_T hadrons at higher p_T due to multiple (parton) scattering larger at RHIC

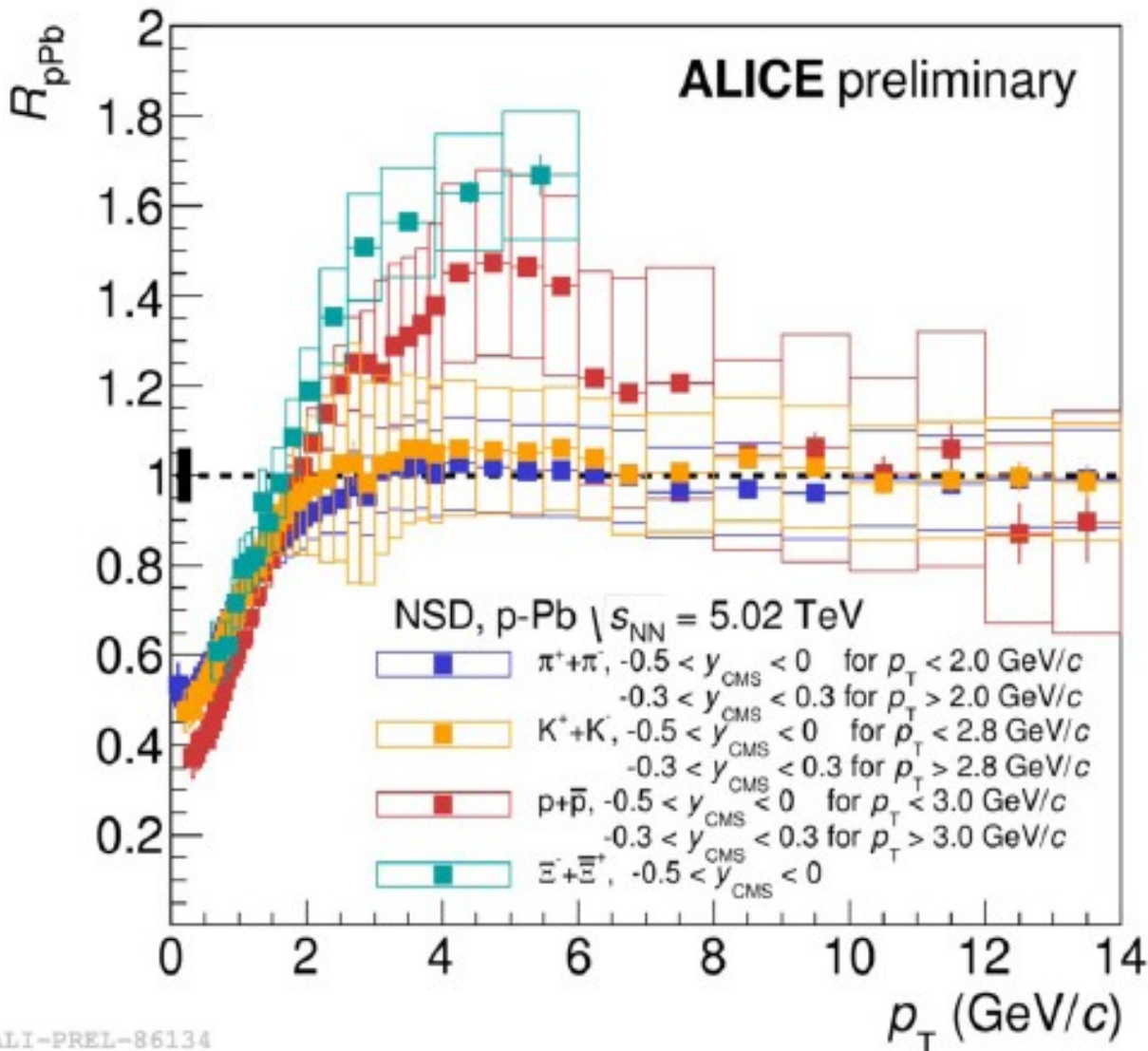
First observed by Cronin
in PRD 11 (1975) 3105

→ Multiple soft scatterings in
IS prior to hard scatter
(arXiv:hep-ph/0212148)

- **flow**: blue-shift of spectra larger at LHC

- **saturation**: depletion of spectra at low p_T larger at LHC

R_{pA} FOR PARTICLE SPECIES



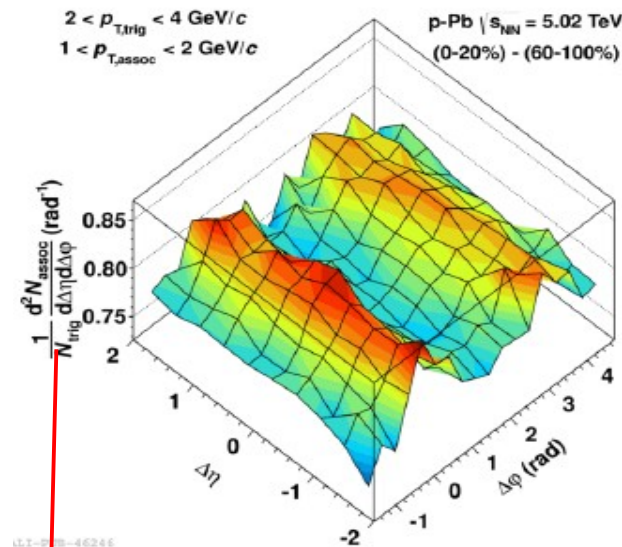
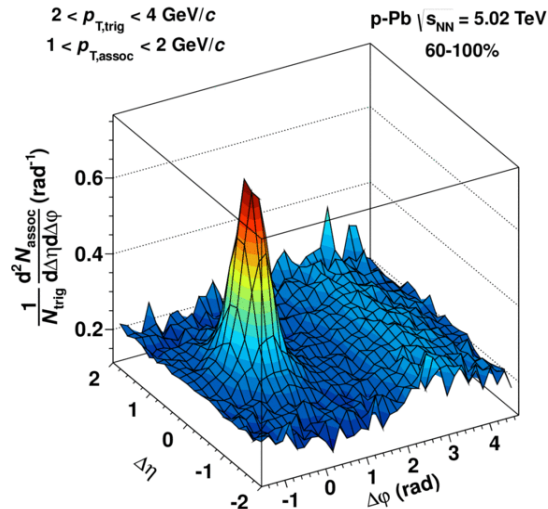
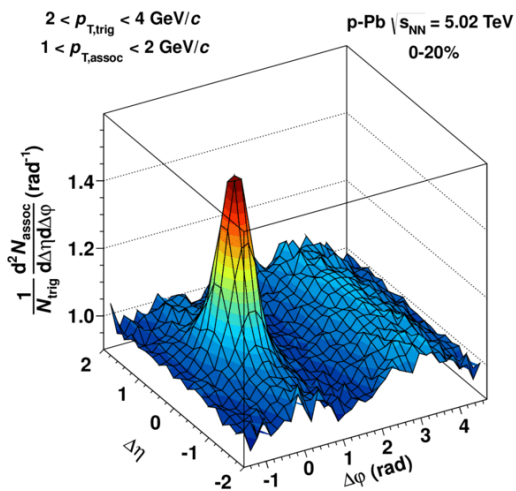
At intermediate p_T
(Cronin region):
Indication of
mass ordering
– No enhancement
for pions and kaons
– **Pronounced peak
for protons**
– Even stronger for
cascades

Particle species dependence points to relevance of final state effects

DOUBLE RIDGE

0-20%

60-100%

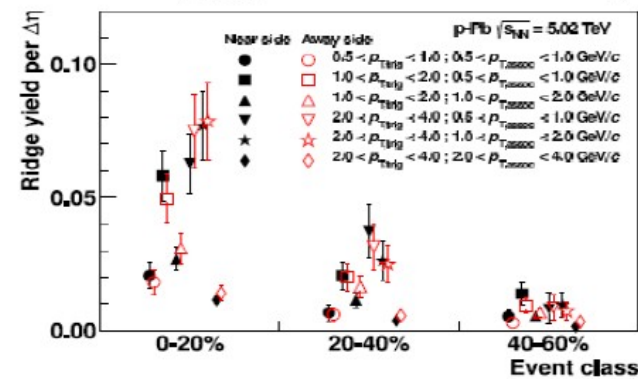
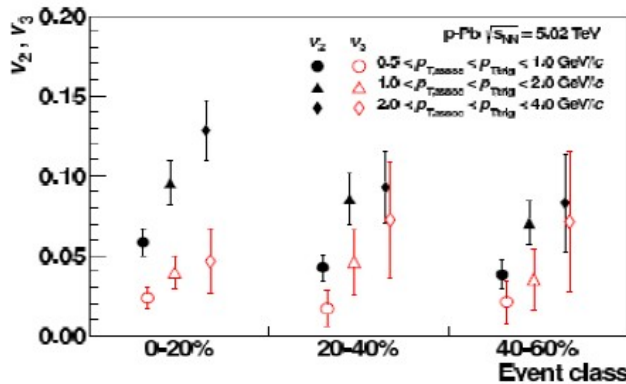
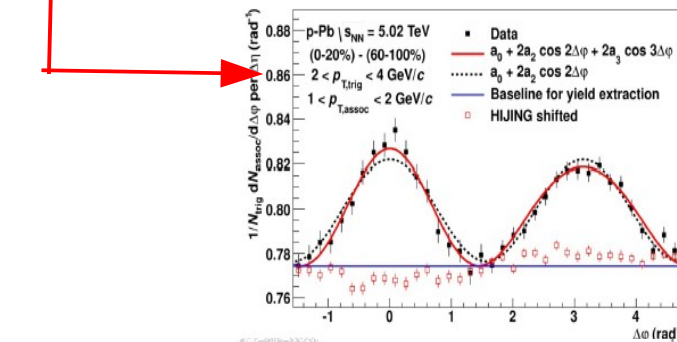


PLB 719 (2013), 29-41

long range correlation:

Double (near+away side) ridge structure emerging when subtracting per-trigger yield of low (60-100%) from high-multiplicity (0-20%) events.

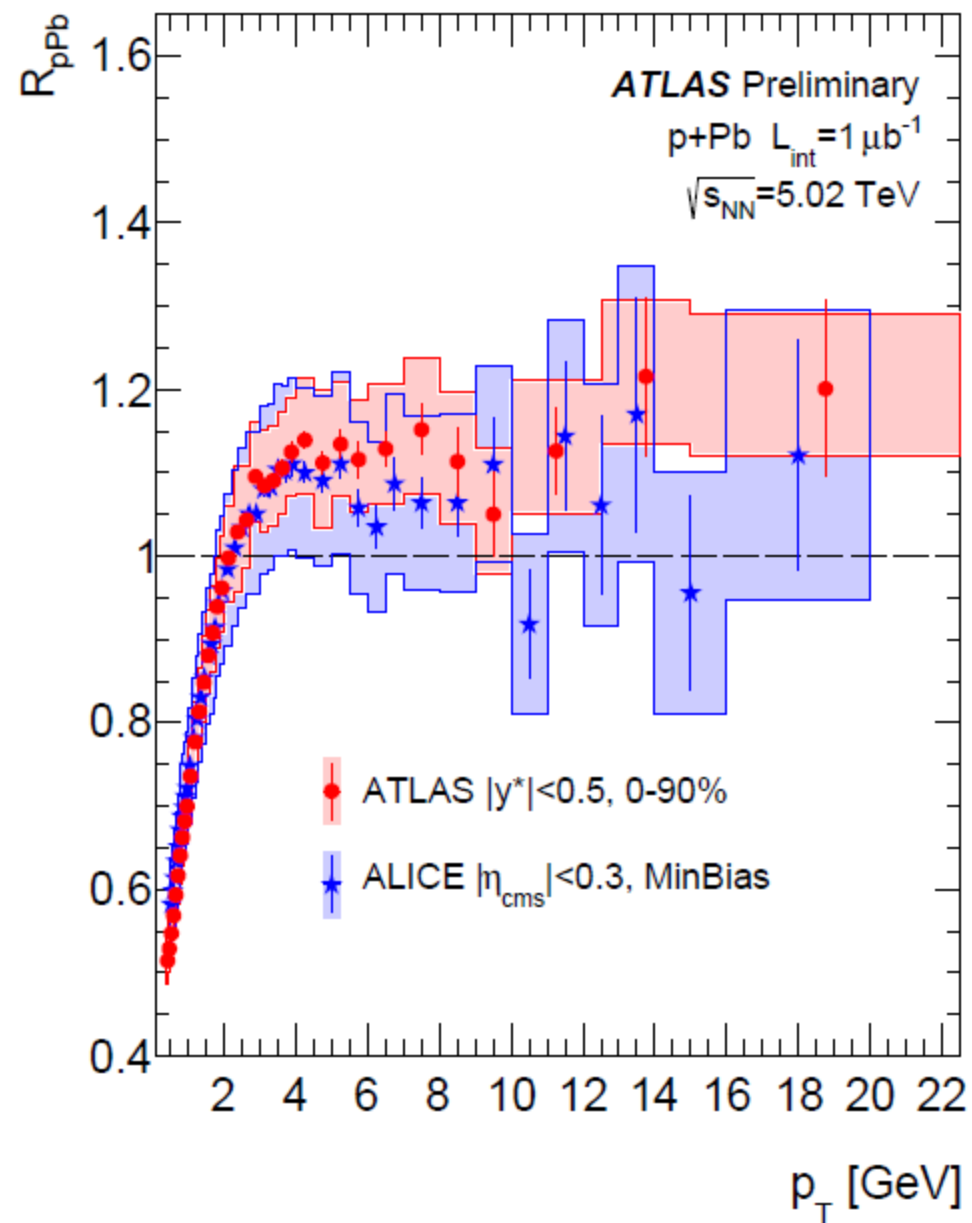
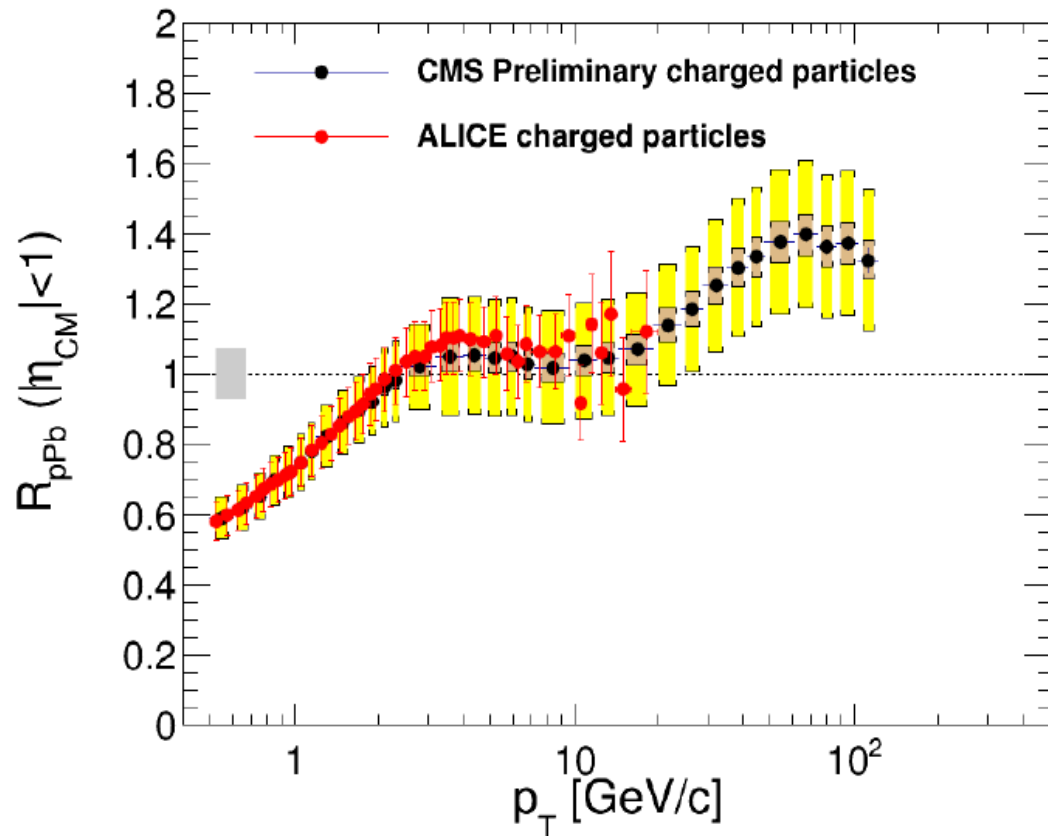
Near and away side nearly identical independent of mult. → common underlying physics?



ALICE Coll. PLB 719 (2013), pp. 29-41

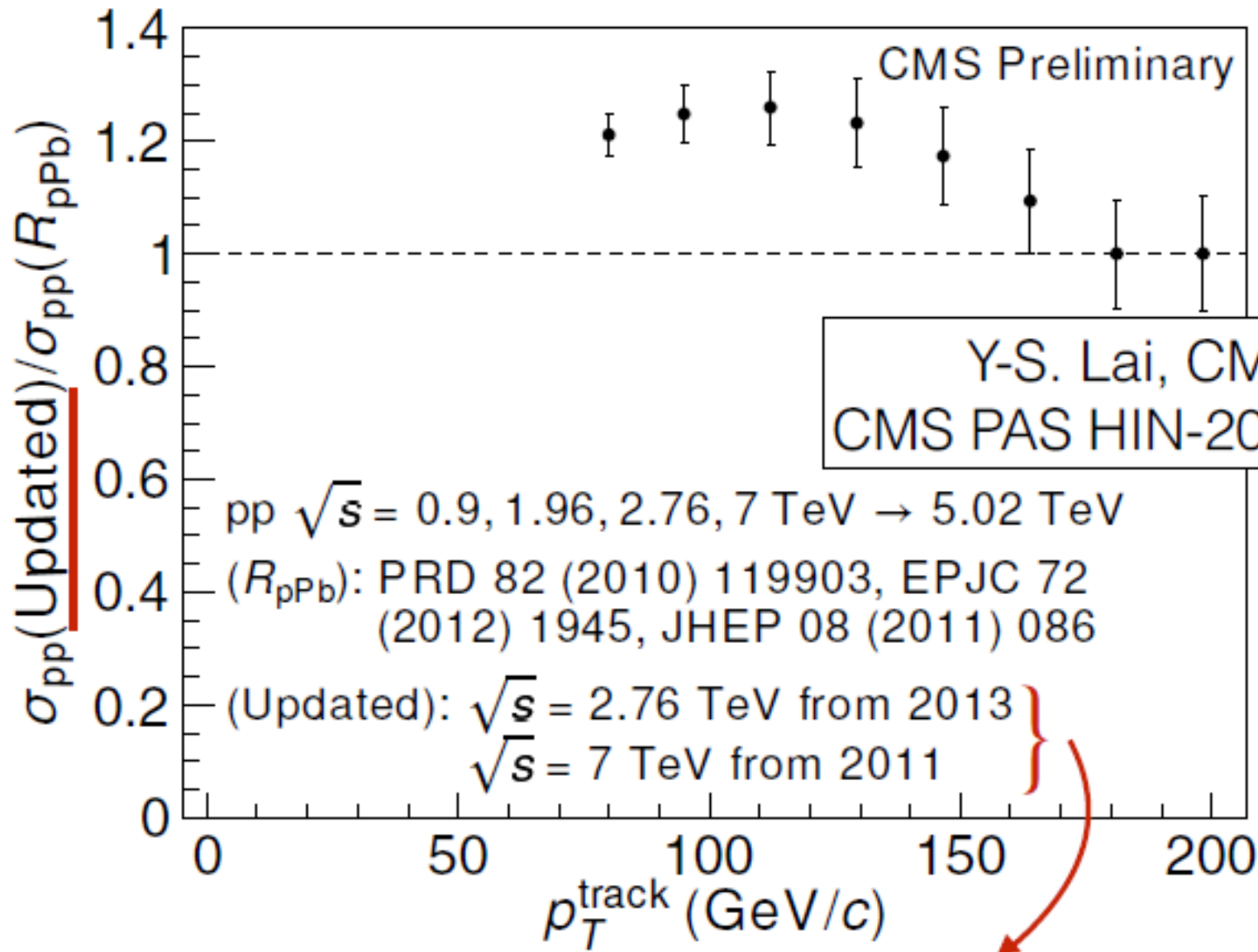
SQM 2015

RPA ALICE VS ATLAS VS CMS



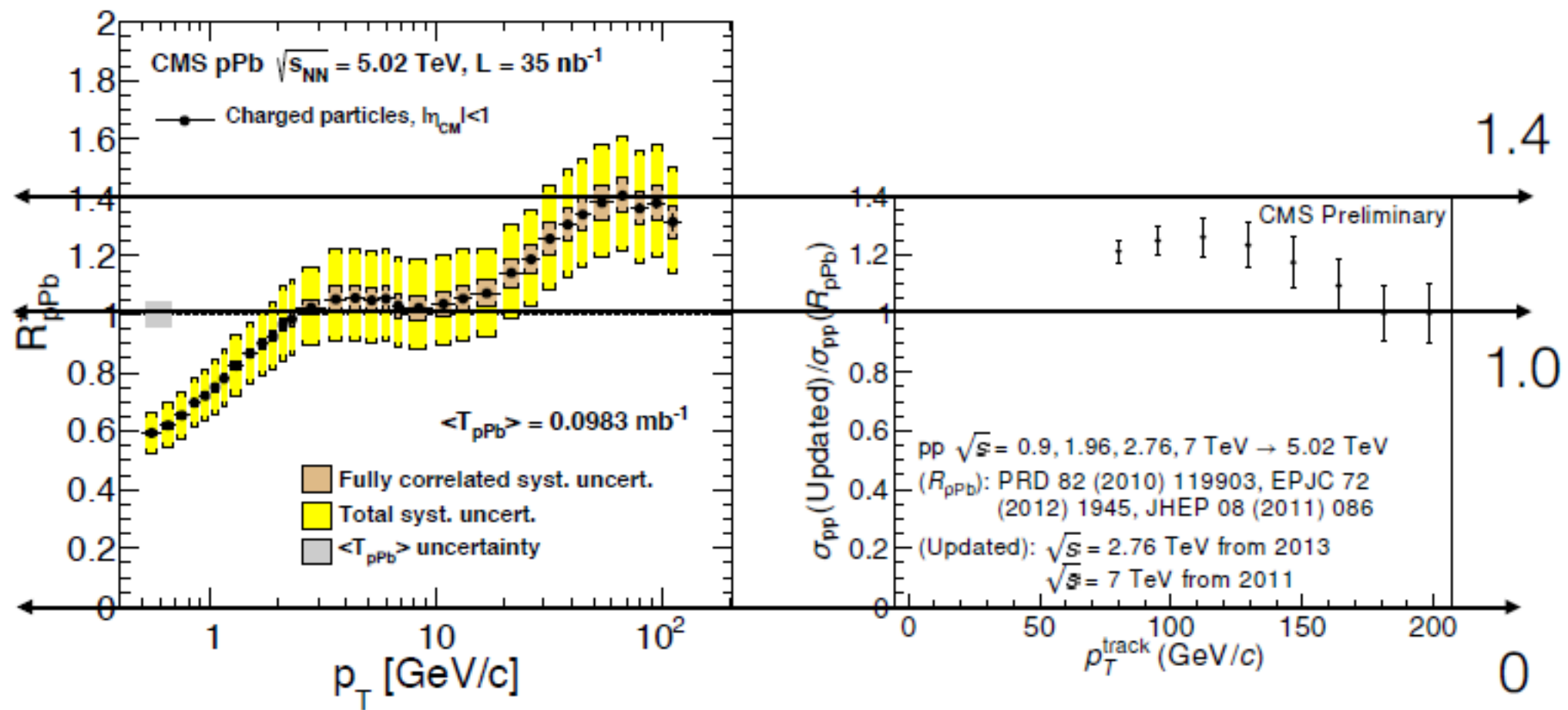
pp @ 5 TeV reference for CMS

D. PEREPELITSA
HARD PROBES 2015

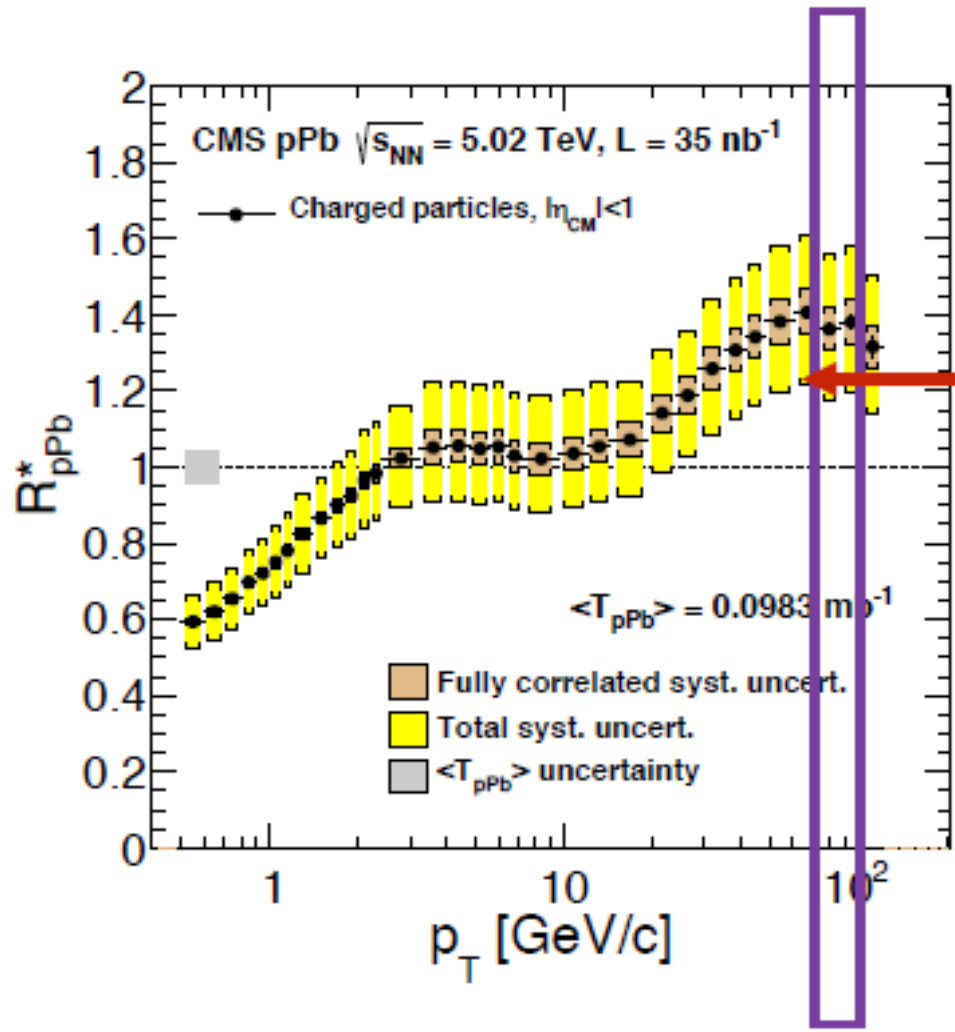


using updated 2.76 TeV and 7 TeV measurements
 \Rightarrow what would the effect on the R_{pPb} be?

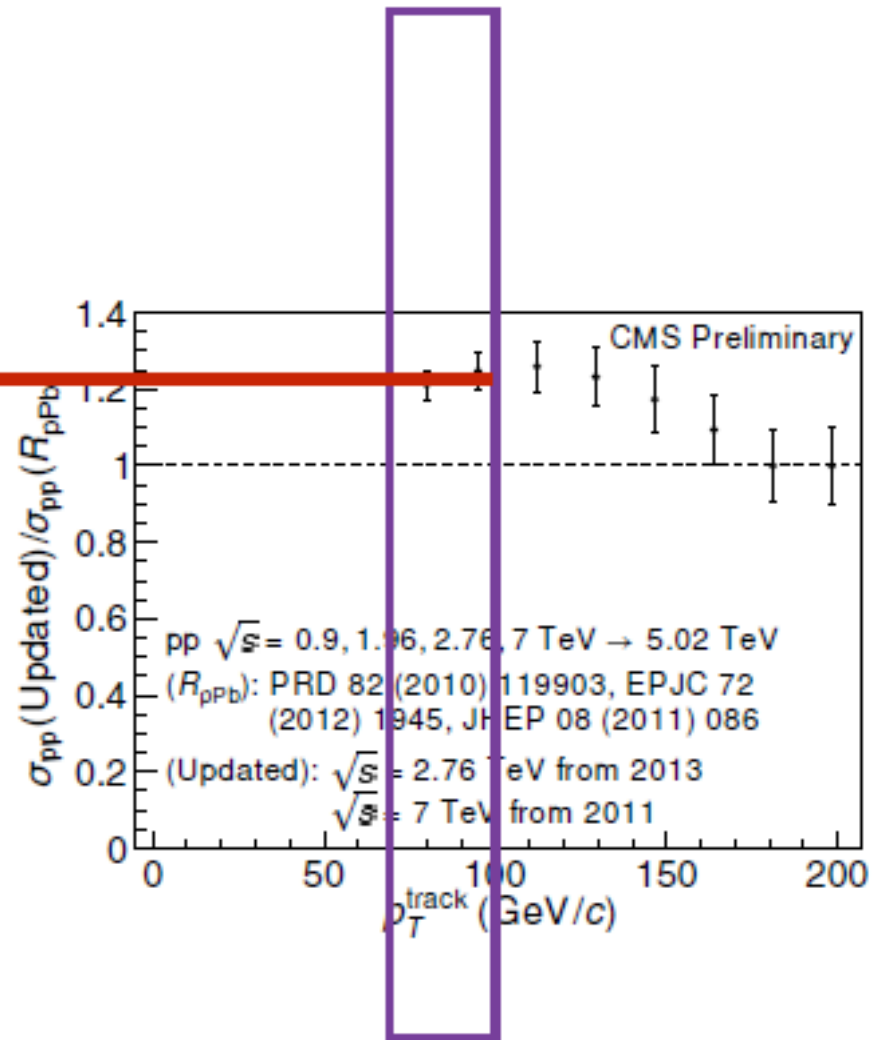
line these up vertically...



new reference would **eliminate**
most of the enhancement

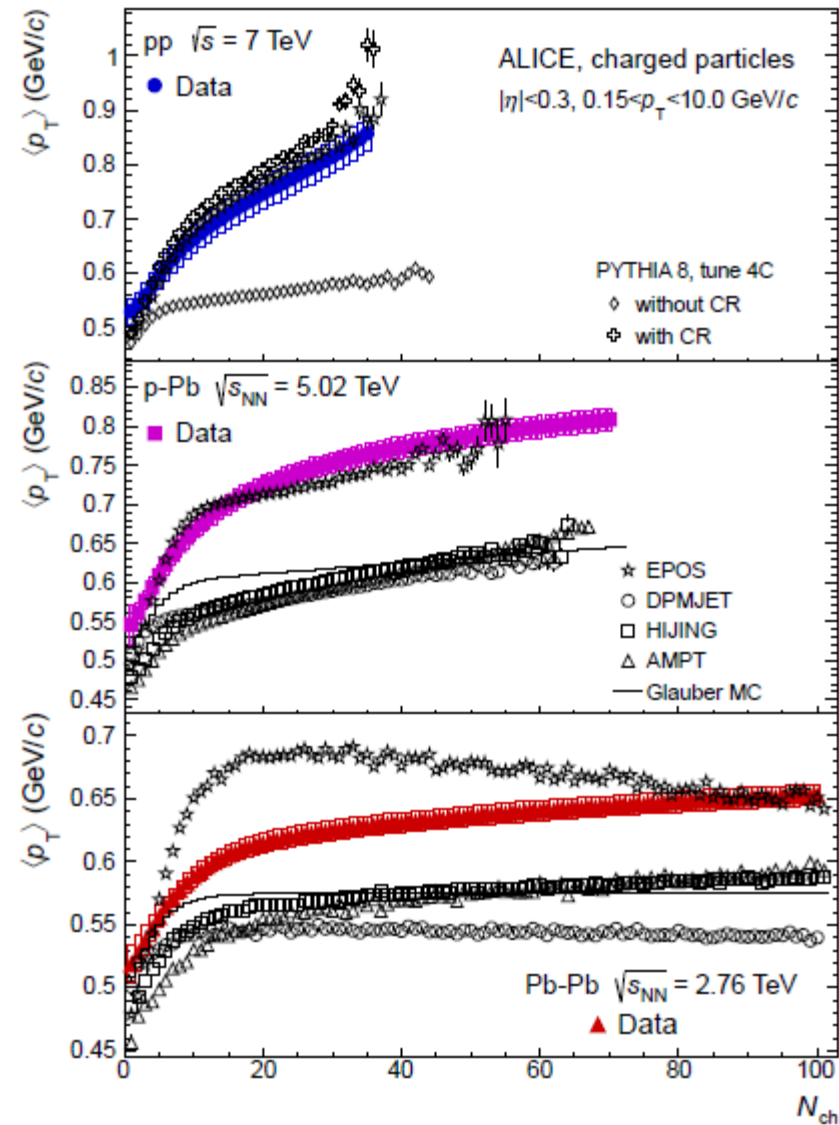


70-100 GeV
(log scale)



70-100 GeV
(linear scale)

MEAN P_T

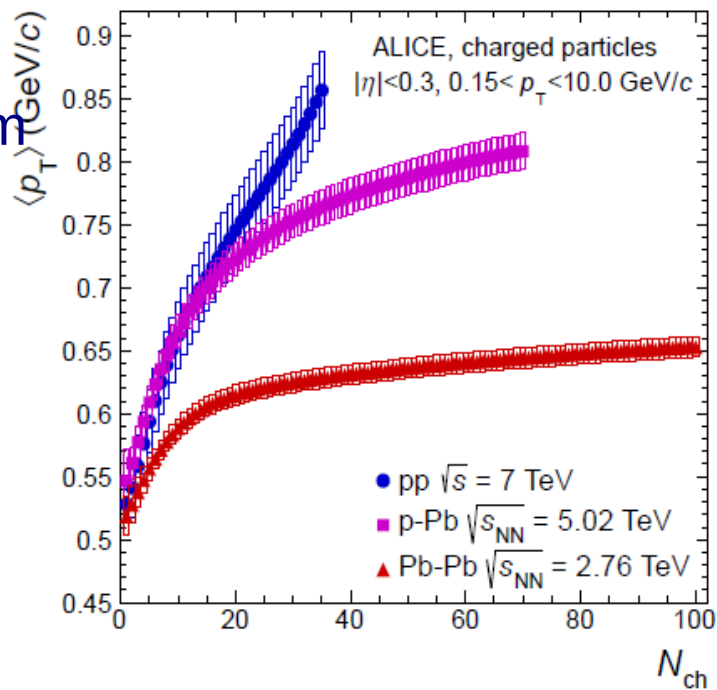


ALICE Coll. PLB 727 (2013) 371

pp: high-mult through multiple parton interactions
 BUT incoherent production \rightarrow same $\langle p_T \rangle$
 \rightarrow **Color reconnection**: strings from independent parton interactions do not independently produce hadrons, but fuse before hadronization
 \rightarrow fewer, but more energetic, hadrons
 Sign of collectivity?

pPb: features of both
 less saturation than in PbPb \rightarrow higher $\langle p_T \rangle$
 Sign of collectivity?

PbPb: high-mult from
 superposition of parton interactions,
 collective flow
 \rightarrow moderate increase of $\langle p_T \rangle$



ALICE

